CHAPITRE 18. Exemple de calcul d'ossature en portique en béton armé.

Example prepared by PHUNG NGOC DUNG, PhD researcher at ULg. Note¹ !!! In this example, notation « dot .» stands for "coma,". Example: 1.2 means 1,2

*Note*² !!! *The example is used with* $\gamma_c = 1,5$ *and* $\gamma_s = 1,15$. *The values are different in each country France:*

 $\gamma_c = 1,3$ and $\gamma_s = 1,0$; Belgium: $\gamma_c = 1,5$ and $\gamma_s = 1,00$.

I. INTRODUCTION

The design example of a reinforced concrete building which is presented hereafter aims at two main goals:

- To present the partially designing procedures of a reinforced concrete frame under a given seismic excitation according to Eurocode 8 and Eurocode 2
- To check the behaviours of the reinforced concrete frame which is correspondingly designed and detailed to Eurocode 8 under un-given seismic excitations by using Pushover analysis.

In order to get a fully designed and detailed reinforced concrete frame, there are several preliminary designing steps. The final drawings which are used on the sites are the results of series of calculations. To choose the best results, that is, the sectional dimensions, material properties, reinforcement areas, etc, the designing iterations must be carried out. The following presentation of the total design procedures is just some parts of the completely iterative processing.

The issues which are presented in the design example are:

- To describe the building architecture and properties such as materials, loads, ...
- To check the chosen cross sectional dimensions in pre-design.
- To analyze the structure under a given seismic excitation.
- To verify the structural elements.
- To check the building under other seismic excitations.

II. GENERAL DESCRIPTION

The building which is chosen to design is an office and flat building. The building has 6 stories. It is a six-story reinforced concrete two-way frame. The floor plan is presented in Figure 1. Figure 1. BUILDING PLAN



There are 3 bays of 5m and 4 bays of 5m. The area of current floor is about 300m2 $(20 \times 15 = 300m^2)$.

The structure has in-plane and elevation regularity.

The story height is 3m, except the ground story height is 3.5m.

The cross sectional dimensions for all columns are 400mmx500mm.

The slab thickness is 150mm; the dimensions of all beams are 250x500mm (slab included).

II.2. Exterior and partitioning walls:

The perimeter walls are glass and masonry ones. They do not affect the free displacement of the frame during earthquakes.

II.3. Loads:

The characteristic values for the loads are:

II.3.1 For the intermediate floor:

- Slab weight $\rightarrow 3.75$ kN/m²
- Flooring $\rightarrow 1.92 \text{ kN/m}^2$
- Live load $\rightarrow 3 \text{ kN/m}^2$

II.3.2 For the roof floor:

- Slab weight $\rightarrow 3.75$ kN/m²
- Flooring $\rightarrow 1.92 \text{ kN/m}^2$
- Live load $\rightarrow 0.75 \text{ kN/m}^2$
- snow load $\rightarrow 0.4 \text{ kN/m}^2$

II.4. <u>Preliminary Considerations:</u>

- Subsoil Class: C
- Ductility Level: DCM Medium level.
- Important category of the building is "II" \rightarrow ordinary building and $\gamma_I = 1$.
- The non-structural elements of the building are fixed in a manner as not to interfere with structural deformations.
- The structure is rigid fixed in non-deformable foundations.
- The relative design ground acceleration for the reference return period is $a_{gR} = 0.15g$.

II.5. Materials

- Concrete class: \rightarrow C25/30 $E_{cm} = 31GPa = 31KN / mm^2$
- Longitudinal ribbed reinforcing steel bars \rightarrow S500 was chosen.
- Transverse ribbed reinforcing steel bars \rightarrow S500.

II.6. <u>Design Procedures:</u>

For the R/C multi-story flexible frame buildings, the inter-story drift control governs the design. \rightarrow So, the pre-design procedures of the cross sectional dimensions of the frame members are the checks of horizontal displacements induced by the earthquakes.

III.PREDESIGN:III.1.Weights of Masses: - 3.2.4 – EC8

In accordance to 3.2.4 - EC8 [3], the inertial effects of the design seismic actions shall be evaluated by taking into account the presence of the masses associated to all gravity loads appearing in the following combination of actions:

$$\sum G_{kj}$$
 "+ " $\sum \psi_{E,i} Q_{k,i}$

Where:

 $\psi_{E,i}$: combination coefficients.

 $\psi_{E,I}$ is determined as following 4.2.4 – EC8 $\psi_{E,i} = \varphi \cdot \psi_2$

The value of ϕ is to be from the table 4.2-4.2.4-EC8

 $\varphi = 1.0 \rightarrow$ for the top story.

 $\varphi = 0.8 \rightarrow$ for the correlated occupancies.

 $\varphi = 0.5 \rightarrow$ for the roof story.

(EC8 table 4.2 for categories A-C* - domestic and residential and for stories independently occupied)

 $\psi_{2,i}$: combination coefficients. Determining from the Annex A1:1990:2002, table A.1.1

 $\psi_{2,i} = 0.3 \rightarrow \text{for the occupancy (category A).}$

 $\psi_{2,i} = 0 \rightarrow$ for the snow and wind loads.

So, the results are:

- For the intermediate stories: $W_{floori} = 3.75*300+1.92*300+0.8*0.3*3*300=1917KN$
- For the roof story: $W_{roof} = 3.75*300+1.92*300+1.0*0.3*0.75*300+1.0*0*0.4*300 = 1768.5KN$ All weights of masses are calculated from 4.3.1(10P) – EC8 [3]
- Weight of the beams on floors: $W_b = 0.25 * (0.5 - 0.15) * 25 * 31(beams) * 5m = 339KN * 6 = 2034.4KN$ for all floors.
- Weight of the columns on floors: $W_c = (0.4*0.5*(3-0.5)*25*20(columns))*5 floors +$ (0.4*0.5*(3.5-0.5)*25*20(columns)) = 1550KN for all floors.
- Total weights of the building: $W = \sum W_{floori} + W_{roof floor} + W_b + W_c = 1917 * 5 + 1768.5 + 2034.4 + 1550 = 14938KN$

III.2. Base shear force: (4.3.3.2.2 – EC8 [3])

• According to 4.3.3.2.2 – EC8 [3], Base shear force induced by an earthquake is determined as the following expression:

$$F_b = S_d(T_1) * m * \lambda$$
 (4.5 – EC8 [3])

Where:

- $S_d(T_1)$ the ordinate of the design spectrum at period T_1
- T₁: The fundamental period of vibration of the building for lateral motion in direction considered.
- m: is the total mass of the building. $m = \frac{W}{g}$
- λ : is correction factor.

 $\lambda = 0.85$ if $T_1 \le 2Tc$ and the stories of the buildings ≥ 2 stories

$$\lambda = 1$$
 if otherwise

• According to 4.3.3.2 (3) – EC8 [3], for the buildings with heights up to 40m, the value of $T_1(s)$ may be approximated by the following expression:

$$T_1 = C_t * H^{\frac{3}{4}} (4.6 - \text{EC8} [3])$$

Where:

- $C_t = 0.75$ for the concrete frames.
- H is the height of the building (m); H = 3.5*+5*3=18.5mSo, we have:

 $T_1 = 0.75 * 18.5^{\frac{3}{4}} = 0.67(s)$

• $S_d(T_1)$ – the ordinate of the design spectrum at period T_1 is determined from 3.2.2.5 – EC8. With subsoil class "C", we have, for the Type 1 spectrum:

$$\begin{cases} S = 1.15 \\ T_B(s) = 0.2(s) \\ T_C(s) = 0.6(s) \\ T_D(s) = 2(s) \end{cases}$$
 Table 3.2 – Type 1 – 3.2.2.2 – EC8 [3]
$$\begin{cases} S = 1.15 \\ T_C(s) = 0.2(s) \end{cases}$$

• For $\begin{cases} I_B(s) = 0.2(s) \\ T_C(s) = 0.6(s) \\ T_D(s) = 2(s) \end{cases}$ and $T_1 = 0.67(s) \rightarrow so$ we have $T_C < T_1 < T_D$ and $S_d(T_1)$ is calculated from

the expression 3.14 (3.2.2.5 – EC8 [3]).

$$S_{d}(T_{1}) = \begin{cases} a_{g} * S * \frac{2.5}{q} * \left(\frac{T_{c}}{T}\right) \\ \geq \beta * a_{g} \end{cases}$$

Where:

- $a_g = \gamma_I * a_{gR} = 1 * 0.15g 3.2.1(3)$
- β is the lower bound factor for the horizontal design spectrum, β =0.2.
- S=1.15
- q is the behaviour factor calculated from 5.2.2.2 EC8. In accordance to 5.2.2.2 EC8 [3], q is to be calculated from the following expression: q = q₀ *k_w ≥ 1.5.
 - q₀ is the basic value of the behaviour factor determined from table 5.1 5.2.2.2 EC8. For the concrete frames with the "DCM" ductility class, q₀ is calculated by

the following expression: $q_0 = 3.0 * \frac{\alpha_u}{\alpha_1}$, in which the ratio, $\frac{\alpha_u}{\alpha_1} = 1,3$, is

calculated from 5.2.2.2 (5a) – EC8. So the value of q_0 is 3.0*1.3=3.9

k_w is the factor reflecting the prevailing failure mode in structural systems with walls. k_w is calculated from 5.2.2.2 (11). So the value of k_w is 1.00

So, the value of q is determined as below: q=3.9*1=3.9

$$\Rightarrow S_{d}(T_{1}) = \begin{cases} 0.15g * 1.15*\frac{2.5}{3.9}*\left(\frac{0.6}{0.67}\right) = 0.099g \\ \ge 0.2*0.2g = 0.04g \end{cases}$$
$$\Rightarrow F_{b} = S_{d}(T_{1})*m*\lambda = 0.099g*\frac{W}{g}*0.85 = 0.08415W$$
$$\Rightarrow F_{b} = 1257KN$$

III.3. Torsion Effects

- The torsion effect is taken into account for the transverse current frame in a simplified manner. (4.3.3.2.4 EC8 [3]).
- According to 4.3.3.2.4 EC8 [3], if the lateral stiffness and mass are symmetrically distributed in plan and unless the accidental eccentricity of 4.3.2(1)P is taken into account by a more exact method, the accidental torsion effects may be accounted for by multiplying the action effects in the individual load resisting elements resulting from the application of

4.3.3.2.3(4) by a factor δ given by: $\delta = 1 + 0.6 * \frac{x}{L_e}$. If the building is distributed

symmetrically in plan and elevation, it can be divided into 2 plane models and the factor δ is determined by $\delta = 1 + 1.2 * \frac{x}{L_1}$.

- According to the building plan, we can determine the values of x and L_e as follow: x=5m for frame at line 2, x=10 for frame at line 5; L_e=20m.
- So, the value of δ is calculated by the following expression: $\delta = 1 + 0.6 * \frac{x}{L_e} = 1 + 0.6 * \frac{5}{20} = 1.15$ and $\delta = 1.3$ for line 5. However, we have seen in (Plumier,

Construction en zone sismique,[9]) that in fact a realistic δ for such building is rather δ =1.15. In this pre-design step the value of δ = 1.15 will be used. It should be checked at the final design state.

III.4. Seismic force distribution:

- Seismic forces distributed to all frames of the building depend on both their stiffness and their positions in plan, due to torsion.
- Force distribution along the height of the building using the simplified formula 4.11 or 4.10 EC8 [3].
- In accordance to 4.3.3.2.3 (1) EC8 [3], the fundamental mode shapes in the horizontal directions of analysis of the building may be calculated using methods of dynamics or may be approximated by horizontal displacements increasing linearly along the height of the building.
- According to 4.3.3.2.3(2) EC8 [3], the seismic action effects shall be determined by applying, to the two planar models, horizontal forces, F_i , to all stories.

$$F_{i} = F_{b} * \frac{s_{i} * m_{i}}{\sum s_{j} * m_{j}}$$
(4.10)

Where:

- F_i is the horizontal force acting on the story i.
- F_b is the seismic base shear.
- s_i , s_j displacements of masses m_i , m_j in the fundamental mode shape.
- m_i , m_j are the story masses.
- According to 4.3.3.2.3(3) EC8 [3], when the fundamental mode shape is approximated by horizontal displacements increasing linearly along the height, the horizontal forces F_i are given by:

$$F_i = F_b * \frac{z_i * m_i}{\sum z_j * m_j} (4.11 - \text{EC8 [3]})$$

Where:

- F_i is the horizontal force acting on the story i.
- F_b is the seismic base shear.
- z_i , z_j heights of the masses m_i , m_j above the level of application of the seismic action...
- m_i , m_j are the story masses.
- So, the values of F_i can be calculated as the following table:

| Table III.1 | Horizontal | seismic | force | Distribution |
|-------------|------------|---------|-------|--------------|
| | | | | |

| Story | Height (z _i) m | $Weight-w_i \\$ | zi*wi | $\frac{z_i * w_i}{\sum z_j * w_j}$ | F _i (KN) |
|--------------|----------------------------|-----------------|----------|------------------------------------|---------------------|
| 6 | 18.5 | 2250.375 | 41631.94 | 0.267369 | 321.3376 |
| 5 | 15.5 | 2398.875 | 37182.56 | 0.238794 | 286.995 |
| 4 | 12.5 | 2398.875 | 29985.94 | 0.192576 | 231.4475 |
| 3 | 9.5 | 2398.875 | 22789.31 | 0.146358 | 175.9001 |
| 2 | 6.5 | 2398.875 | 15592.69 | 0.100139 | 120.3527 |
| 1 | 3.5 | 2436.375 | 8527.313 | 0.054764 | 65.81837 |
| T 1 4 | | | | | |

Fb = 1257 [KN].

- The above seismic forces, F_i, are total seismic forces acting at each story for the whome building and all frames. According to the stiffness of each frame, we will distribute the seismic forces to each frame linearly including torsion effects.
- In the action direction of the earthquake (direction Y or transverse direction), there are 5 portal frames. We will distribute the seismic forces to the transverse frame at line 2 as following:

$$- F_{2-6} = F_6 * \frac{1}{5} * \delta = 321.34 * \frac{1}{5} * 1.15 = 73.9 \text{KN} \cdot F_{2-5} = F_5 * \frac{1}{5} * \delta = 287.0 * \frac{1}{5} * 1.15 = 66.0 \text{KN} \cdot F_{2-5} = F_5 * \frac{1}{5} * \delta = 287.0 * \frac{1}{5} * 1.15 = 66.0 \text{KN} \cdot F_{2-5} = F_5 * \frac{1}{5} * \delta = 287.0 * \frac{1}{5} * 1.15 = 66.0 \text{KN} \cdot F_{2-5} = F_5 * \frac{1}{5} * \delta = 287.0 * \frac{1}{5} * 1.15 = 66.0 \text{KN} \cdot F_{2-5} = F_5 * \frac{1}{5} * \delta = 287.0 * \frac{1}{5} * 1.15 = 66.0 \text{KN} \cdot F_{2-5} = F_5 * \frac{1}{5} * \frac{1}{5} * \delta = 287.0 * \frac{1}{5} * 1.15 = 66.0 \text{KN} \cdot F_{2-5} = F_5 * \frac{1}{5} * \frac{1}{5} * \frac{1}{5} * \frac{1}{5} * \frac{1}{5} = 66.0 \text{KN} \cdot F_{2-5} = F_5 * \frac{1}{5} * \frac{1}{5} * \frac{1}{5} * \frac{1}{5} * \frac{1}{5} = 66.0 \text{KN} \cdot F_{2-5} = F_5 * \frac{1}{5} = 66.0 \text{KN} \cdot F_{2-5} = F_5 * \frac{1}{5} = 66.0 \text{KN} \cdot F_{2-5} = F_5 * \frac{1}{5} * \frac{1$$

$$- F_{2-4} = F_4 * \frac{1}{5} * \delta = 231.5 * \frac{1}{5} * 1.15 = 53.23 KN \cdot F_{2-3} = F_3 * \frac{1}{5} * \delta = 175.9 * \frac{1}{5} * 1.15 = 40.5 KN \cdot F_{2-3} = F_3 * \frac{1}{5} * \delta = 175.9 * \frac{1}{5} * 1.15 = 40.5 KN \cdot F_{2-3} = F_3 * \frac{1}{5} * \delta = 175.9 * \frac{1}{5} * 1.15 = 40.5 KN \cdot F_{2-3} = F_3 * \frac{1}{5} * \delta = 175.9 * \frac{1}{5} * 1.15 = 40.5 KN \cdot F_{2-3} = F_3 * \frac{1}{5} * \delta = 175.9 * \frac{1}{5} * 1.15 = 40.5 KN \cdot F_{2-3} = F_3 * \frac{1}{5} * \delta = 175.9 * \frac{1}{5} * 1.15 = 40.5 KN \cdot F_{2-3} = F_3 * \frac{1}{5} * \delta = 175.9 * \frac{1}{5} * 1.15 = 40.5 KN \cdot F_{2-3} = F_3 * \frac{1}{5} * \delta = 175.9 * \frac{1}{5} * 1.15 = 40.5 KN \cdot F_{2-3} = F_3 * \frac{1}{5} * \delta = 175.9 * \frac{1}{5} * 1.15 = 40.5 KN \cdot F_{2-3} = F_3 * \frac{1}{5} * \delta = 175.9 * \frac{1}{5} * 1.15 = 40.5 KN \cdot F_{2-3} = F_3 * \frac{1}{5} *$$

$$-F_{2-2} = F_2 * \frac{1}{5} * \delta = 120.4 * \frac{1}{5} * 1.15 = 27.7 \text{ KN} \cdot F_{2-1} = F_1 * \frac{1}{5} * \delta = 65.8 * \frac{1}{5} * 1.15 = 15.14 \text{ KN} \cdot F_{2-1} = F_1 * \frac{1}{5} * \delta = 65.8 * \frac{1}{5} * 1.15 = 15.14 \text{ KN} \cdot F_{2-1} = F_1 * \frac{1}{5} * \delta = 65.8 * \frac{1}{5} * 1.15 = 15.14 \text{ KN} \cdot F_{2-1} = F_1 * \frac{1}{5} * \delta = 65.8 * \frac{1}{5} * 1.15 = 15.14 \text{ KN} \cdot F_{2-1} = F_1 * \frac{1}{5} * \delta = 65.8 * \frac{1}{5} * 1.15 = 15.14 \text{ KN} \cdot F_{2-1} = F_1 * \frac{1}{5} * \delta = 65.8 * \frac{1}{5} * 1.15 = 15.14 \text{ KN} \cdot F_{2-1} = F_1 * \frac{1}{5} * \frac{1}{5} * \frac{1}{5} * \frac{1}{5} * \frac{1}{5} = 15.14 \text{ KN} \cdot F_{2-1} = F_1 * \frac{1}{5} * \frac{1}{5} * \frac{1}{5} * \frac{1}{5} = 15.14 \text{ KN} \cdot F_{2-1} = F_1 * \frac{1}{5} * \frac{1}{5} * \frac{1}{5} = 15.14 \text{ KN} \cdot F_{2-1} = F_1 * \frac{1}{5} * \frac{1}{5} * \frac{1}{5} = 15.14 \text{ KN} \cdot F_{2-1} = F_1 * \frac{1}{5} * \frac{1}{5} * \frac{1}{5} = 15.14 \text{ KN} \cdot F_{2-1} = F_1 * \frac{1}{5} * \frac{1}{5} * \frac{1}{5} = 15.14 \text{ KN} \cdot F_{2-1} = F_1 * \frac{1}{5} * \frac{1}{5} * \frac{1}{5} = 15.14 \text{ KN} \cdot F_{2-1} = F_1 * \frac{1}{5} * \frac{1}{5} = 15.14 \text{ KN} \cdot F_{2-1} = F_1 * \frac{1}{5} * \frac{1}{5} = 15.14 \text{ KN} \cdot F_{2-1} = F_1 * \frac{1}{5} * \frac{1}{5} * \frac{1}{5} = 15.14 \text{ KN} \cdot F_{2-1} = F_1 * \frac{1}{5} * \frac{1}{5} * \frac{1}{5} * \frac{1}{5} = 15.14 \text{ KN} \cdot F_{2-1} = F_1 * \frac{1}{5} * \frac{1}{5} * \frac{1}{5} * \frac{1}{5} = 15.14 \text{ KN} \cdot F_{2-1} = F_1 * \frac{1}{5} * \frac{1}{5} * \frac{1}{5} * \frac{1}{5} = 15.14 \text{ KN} \cdot F_{2-1} = F_1 * \frac{1}{5} * \frac{1}{5} * \frac{1}{5} * \frac{1}{5} = 15.14 \text{ KN} \cdot F_{2-1} = F_1 * \frac{1}{5} * \frac{1}{5} * \frac{1}{5} * \frac{1}{5} = 15.14 \text{ KN} \cdot F_{2-1} = F_1 * \frac{1}{5} * \frac{1}{5} * \frac{1}{5} * \frac{1}{5} = 15.14 \text{ KN} \cdot F_{2-1} = F_1 * \frac{1}{5} * \frac{1}{5} * \frac{1}{5} * \frac{1}{5} = 15.14 \text{ KN} \cdot F_{2-1} = F_1 * \frac{1}{5} * \frac{1}{5} * \frac{1}{5} * \frac{1}{5} = 15.14 \text{ KN} \cdot F_{2-1} = F_1 * \frac{1}{5} * \frac{1}{5} * \frac{1}{5} * \frac{1}{5} = 15.14 \text{ KN} \cdot F_{2-1} = F_1 * \frac{1}{5} * \frac{1}{5} * \frac{1}{5} = 15.14 \text{ KN} \cdot F_{2-1} = F_1 * \frac{1}{5} * \frac{1}{5} = 15.14 \text{ KN} \cdot F_{2-1} = F_1 * \frac{1}{5} + \frac{1$$

LATERAL SEISMIC FORCES IN EACH Y-Z OR TRANSVERSAL FRAME





III.5. <u>The limitation of the inter-story drifts:</u>

- A plane frame is analysed and the displacements of the frame subjected to the applied forces F₂₋₁ to F₂₋₆, which are computed above, will be determined by using SAP 2000. Version 9.0.3. According to 4.3.1(7) EC8[3], the elastic modulus of Concrete E=E/2= 15,5KN/mm².
- According to 4.4.3.2 EC8 [3], the following limits shall be observed: For the buildings having non-structural elements of ductile materials attached to the structure: $d_x * v \le 0.0075 * h$

Where:

- h: is the story height \rightarrow h=3m and h=3.5m
- d_r : is design inter-story drift as defined in 4.4.2.2 (2) EC8 [3], evaluated as the difference of the average lateral displacements d_s at the top and bottom of the story under consideration and calculated according to $4.3.4 \rightarrow d_r = d_{s_r} d_{s_{r+1}}$.

- According to 4.3.4 – EC8 [3], for displacement analysis, if linear analysis is performed the displacements induced by the design seismic action shall be calculated on the elastic deformations of the structural system by means of the following simplified expression:

$$d_s = q_d * d_e$$

Where:

 $+\ d_s:$ is the displacement of a point of the structural system induced by the seismic action.

+ d_e : is the displacement of the same point of the structural system, as determined by a linear analysis based on the design response spectrum according to 3.2.2.5 - EC8.

+ q_d : is the displacement behaviour factor, assumed equal to q unless otherwise specified. So $q_d = q = 3.9$.

- v: is the reduction factor to take into account the lower return period of the seismic action associated with the damage limitation requirement. The value of v also depends on the important class of the building. The important class of the building is "II" so the value of v is 0.5 (according to 4.4.3.2(2) EC8 [3]).
- The value of d_s must be smaller than the value derived from the elastic spectrum.
- When determining d_e, the torsion effects of the seismic actions shall be accounted for.
- Table of drifts:

| Story | Story elastic displacements. (d _e - mm) | Behaviour factor of Displacement | ds _i | d _r =ds _i -ds _{i-1} | d _r *v | Drift from EC8 0.0075h mm) | |
|-------|--|--|-----------------|--|-------------------|-------------------------------|--|
| 6 | 46.373 | | 180.8547 | 14.1297 | 7.06485 | 22.5 | |
| 5 | 42.75 | | 166.725 | 23.4429 | 11.72145 | 22.5 | |
| 4 | 36.739 | 2.0 | 143.2821 | 31.7733 | 15.88665 | 22.5 | |
| 3 | 28.592 | 5.9 | 111.5088 | 37.8339 | 18.91695 | 22.5 | |
| 2 | 18.891 | | 73.6749 | 40.2597 | 20.12985 | 22.5 | |
| 1 | 8.568 | | 33.4152 | 33.4152 | 16.7076 | 26.25 | |

| Table III | .2 – Sto | ry Drifts |
|-----------|----------|-----------|
|-----------|----------|-----------|

So, the condition $d_r * v \le 0.0075 * h$ is met.

The section dimensions and material properties which are chosen are satisfied with pre-designed steps according to EC8.

IV. <u>PRELIMINARY STEPS</u>: According to EC8 – 4.

IV.1. Structural regularity.

IV.1.1 <u>Regularity in plan:</u>

According to 4.2.3.2 – EC8 [3], criteria for the regularity in plan are:

- The building structure is symmetrical in plan with respect to two orthogonal directions.
- The plan configuration is compact.
- The in-plane stiffness of the floors is sufficiently large to distribute seismic forces among the vertical structural elements.

• The slenderness
$$\lambda = \frac{L_{\text{max}}}{L_{\text{min}}}$$
 of the building is $\lambda = \frac{L_{\text{max}}}{L_{\text{min}}} = \frac{20}{15} < 4$.

• In accordance to 4.2.3.2 (5) – EC8 [3], at each level for each direction of analysis x or y, the structural eccentricity e_0 and the torsional radius r verify the two conditions below, which are expressed for the direction of analysis y:

$$\begin{cases} e_{0x} \le 0.3 * r_x \\ r_x > l_s \end{cases}$$
 (4.1-EC8 [3])

Where:

- e_{0X} : is the distance between the centre of stiffness and the centre of mass, measured along x direction, which is normal to the direction of analysis considered.
- r_x: is square root of the ratio between torsional effects and lateral stiffness in y direction (torsional radius)
- l_s : is the radius of gyration of the floor mass in plan (square root of the ratio of (a) the polar moment of inertia of the floor mass in plan with respect to the centre of mass of the floor to (b) the floor mass).
- There are not setbacks in the plan.

IV.1.2 <u>Regularity in elevation:</u>

According to 4.2.3.3 – EC8 [3], criteria for regularity in elevation are:

- All the lateral resisting systems run without interruption from their foundations to the top of the building.
- Both lateral stiffness and the mass remain constant or reduce gradually without abrupt changes, from the base to top.
- There are not setbacks.

IV.2. Structural Analysis: (4.3 – EC8 [3])

IV.2.1 Modelling:

- Because of the in-plan and in-elevation regularity, in accordance to 4.3.1(5) and to the table 4.1(4.2.3.1) the allowed simplifications are:
 - The analytical model: Planar.
 - The method of analysis: Using simplified method \rightarrow Lateral force method of analysis can be used because all the conditions of 4.3.3.2.1 are met:
 - The building has fundamental period of vibration T₁ in the two main directions smaller than the following values:

$$T_1 \leq \begin{cases} 4^* T_c \\ 2.0s \end{cases} \Leftrightarrow T_1 = 0.67s \leq \begin{cases} 4^* 0.6 = 2.4s \\ 2.0s \end{cases}$$

- All the criteria for regularity in elevation given in 4.2.3.3 EC8 are met.
- Behaviour factor: is the reference value.
- The building will be analysed with two planar frames using the lateral force method and comparison with two planar frames using the response spectrum analysis.

IV.2.2 Natural Periods:

According to 4.3.3.2 - EC8 [2], the natural period can be determined by Reileight Method or approximated method. The first period T₁ defined by approximated formula is equal to the value of 0.67.

IV.2.3 Local effects of infill

There is no infill for the current transverse and longitudinal frames.

IV.3. Verification of structural type:

IV.3.1 <u>Torsional Rigidity:</u>

In accordance to 5.2.2.1 (4)P – EC8 [3], the first four types of systems (i.e. frame, dual and wall systems of both types) shall possess a minimum torsional rigidity that satisfies expression (4.1b) in both horizontal directions.

But in accordance to 5.2.2.1(5), for frame or wall systems with vertical elements that are well distributed in plan, the requirement specified in (4)P above may be considered as being satisfied without analytical verification.

IV.4. Selection of ductility class

The chosen ductility class for design is "DCM". So, designing, dimensioning and detailing must ensure a ductile behaviour of the elements meaning that ductile modes of failure should precede failure modes with sufficient reliability. The plastic hinges which are developed in response to the seismic excitation must be able to dissipate a medium amount of energy in a stable manner.

IV.5. Material checks

IV.5.1 Concrete

In accordance to 5.4.1.1 - EC8 [3], for ductility class "DCM" the use of concrete class which is lower than C16/20 is not allowed in primary seismic elements. So, we choose the concrete class C25/30.

IV.5.2 Flexural reinforcement steel

In accordance to 5.4.1.1 - EC8 [3], only ribbed bars are allowed as reinforcing steel in critical sections of primary seismic elements. The reinforcing steel class S500, the high ductility steel that satisfies the additional requirements in critical regions concerned in table C.1, annex C – EC2 [2], is chosen.

IV.5.3 Shear reinforcement steel

In accordance to 5.4.1.1 (2P) - EC8 [3], except for the closed stirrups or cross-ties, only ribbed bars are allowed as reinforcing steel in critical of primary seismic elements. The reinforcing steel class S500 for flexural reinforcement steel was chosen. So, we also choose S500 for shear reinforcement steel.

IV.6. <u>Second order Effects(P-Δ)</u>

According to 4.2.2.2 (2) - EC8 [3], the second-order effects (P- Δ effects) need not to be taken into account if the following condition is fulfilled in all stories:

$$\theta = \frac{P_{tot} * d_r}{V_{tot} * h} \le 0.1(4.28 - \text{EC8} [3])$$

Where:

- θ is the inter-story drift sensitivity coefficient.
- P_{tot} is the total gravity load at and above the story considered in the seismic design situation.
- $d_r = d_{s_i} d_{s_{i-1}}$ is design inter-story drift, evaluated as the difference of the average lateral displacements d_s at the top and the bottom of the story under consideration.
- V_{tot} is the total seismic shear at the considered level.

At the ground story:
$$\theta = \frac{P_{tot} * d_r}{V_{tot} * h} = \frac{P_{tot}}{V_{tot}} * \frac{d_r}{h} = \frac{14282}{1257} * \frac{34}{3500} = 0.1104 > 0.1$$

At the intermediate story:
$$\theta = \frac{P_{tot} * d_r}{V_{tot} * h} = \frac{11846}{1191} * \frac{40.3}{3000} = 0.134 > 0.1$$

So, the second-order effects cannot be neglected.

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V. BEAM DESIGN AND VERIFICATION: According to EC8 [3]-4 and EC2[2].

V.1. TRANSVERSE CURRENT FRAME OR DIRECTION Y CURRENT FRAME:

V.1.1 Action effects: (According to 5.4.2 – EC8 [3])

In accordance to 5.4.2 – EC8 [3], for the beams with ductility DCM, the design values for the building moments shall be obtained from the analysis of the structures for the seismic situation according to 6.4.3.4 – EN 1990. Combination of actions for seismic design situations is calculated as following expression: ∑_{i≥1} G_{k,j} "+"P"+"A_{Ed} "+"∑_{i≥1} Ψ_{2,i} *Q_{k,i}

Where:

- $G_{k,j}$ is the permanent or persistent action j.
- P is the pre-stressing action.
- A_{Ed} is the design value of seismic actions for the reference return period (design spectrum)
- The loads were uniformly distributed along the length of the beam. No redistribution of the bending moments was made.
- The design value of the shear forces shall be determined in accordance with the capacity design rules, EC 8 5.4.2.2 1(P), considering the equilibrium of the beam under: a) the transverse load acting on it with the seismic design situation and b) end moment $M_{i,d}$ (with i=1,2 denoting the end sections of the beam), corresponding, for each sense of seismic action, to plastic hinge formation at the end of either of the beam or of the vertical elements, which ever takes place first which are connected to the joint where the beam end and i frame into.
- The analysis is performed using two planar models, one for each main direction.
- The torsion effects were determined separately by these two dimensions according to 4.3.3.2.4(2) EC8: If the analysis is performed using two planar models, one for each main horizontal direction, torsion effects may be determined by doubling the accidental eccentricity e_{ai} of the expression $e_{ai} = \pm 0.05L_i$ and applying the rules of 4.3.3.2.4(1) EC8 with the

factor
$$\delta$$
, $\delta = 1 + 0.6 * \frac{x}{L_e}$, replaced by the factor δ , $\delta = 1 + 1.2 * \frac{x}{L_e}$.

• Because of the symmetry, the actual eccentricity between stiffness centre S and the nominal mass centre M, $e_0 = 0$, is equal to 0, and the additional eccentricity, e_2 , taking into account of the dynamic effect of simultaneous transitional and torsional vibration, can not be computed.

 \rightarrow So, the only eccentricity taken into account is accidental torsional effect. $e_1 = e_{ai} = \pm 0.05L_i$ (When using the Response Spectrum Analysis)

Where:

- e_{ai} is the accidental eccentricity of the storey mass from its nominal location, applied in the same direction at all floors.
- L_i is floor dimension perpendicular to the direction of the seismic action.

V.1.2 <u>Action Summary:</u>

V.1.2.1 Gravity actions:

- DEAD Load: The self-weight load.
- DL slab: The dead loads induced by the floor and coating weight.
- LL slab: The live loads induced by the variable actions
- LL roof slab: The live loads induced by the variable roof actions
- Snow load: The loads induced by the snow.
- Joint load: The loads acting to the joints of the transverse frame induced by perpendicular frames.
- WIND load.

DEAD LOAD - FRAMES Y-Z



Figure 3 – Gravity Loads

V.1.2.2 Seismic actions:

- Seismic actions used to analyse in the frames will be determined by two methods of analysis: Lateral Force Analysis and Response Spectrum Analysis.
- The analysis is performed using two planar models, one for each main direction.
- Lateral force Analysis:

EC8 with the factor δ , $\delta = 1 + 0.6 * \frac{x}{L_e}$, replaced by the factor δ , $\delta = 1 + 1.2 * \frac{x}{L_e}$. So we

have $\delta = 1.3$

- The above seismic forces are total seismic acting in all of the building or all frames. According to the stiffness of each frame, we will distribute the seismic forces to each frame linearly including torsion effects.
- In the action direction of the earthquake, there are 5 portal frames. When distributing seismic forces to all floors of the frame, the torsion effects will be taken into account by the factor δ which is calculated from 4.3.3.2.4 (1) EC8. Factor δ, here, accounts for

the analysis model with two planar directions. We will distribute the seismic forces to the current transverse frame as following:

$$\begin{array}{ll} \circ & F_{2-6} = F_6 * \frac{1}{5} * \delta = 321.34 * \frac{1}{5} * 1.3 = 83.54 KN \\ \circ & F_{2-5} = F_5 * \frac{1}{5} * \delta = 287.0 * \frac{1}{5} * 1.3 = 74.6 KN \; . \\ \circ & F_{2-4} = F_4 * \frac{1}{5} * \delta = 231.5 * \frac{1}{5} * 1.3 = 60.2 KN \; . \\ \circ & F_{2-3} = F_3 * \frac{1}{5} * \delta = 175.9 * \frac{1}{5} * 1.3 = 45.8 KN \; . \\ \circ & F_{2-2} = F_2 * \frac{1}{5} * \delta = 120.4 * \frac{1}{5} * 1.3 = 31.3 KN \; . \\ \circ & F_{2-1} = F_1 * \frac{1}{5} * \delta = 65.8 * \frac{1}{5} * 1.3 = 17.11 KN \; . \end{array}$$

- Response Spectrum Analysis:
 - According to 4.3.3.3.1 EC8 [2], the response of all modes of vibration contributing significantly to the global response shall be taken into account. The requirements may be deemed to be satisfied if either of the following can be demonstrated:
 - the sum of the effective modal masses for the modes taken into account amounts to at least 90% of the total mass of the structure;
 - All modes with effective modal masses greater than 5% of the total mass are taken into account.
 - When using a spatial model, the above conditions should be verified for each relevant direction.
 - According to 4.3.3.3.2 EC8 [2], whenever all relevant modal responses may be regarded as independent of each other, the maximum value E_E of a seismic action effect may be taken as: $E_E = \sqrt{\sum E_{Ei}^2}$.
 - According to 4.3.3.3.3 EC8 [2], whenever a spatial model is used for the analysis, the accidental torsional effects may be determined as the envelope of the effects resulting from the application of static loadings, consisting of sets of torsional moments

- M_{ai} about the vertical axis of each storey *i*: $M_{ai} = e_{ai} \cdot F_i$

Where:

 M_{ai} is the torsional moment applied at storey *i* about its vertical axis.

 e_{ai} is the accidental eccentricity of storey mass i

 F_i is the horizontal force acting on storey *i*, as derived in **4.3.3.2.3** for all relevant directions.

According to 4.3.3.3.3 (2) - EC8 [2], the effects of the torsional loadings should be taken into account with positive and negative signs (the same sign for all storeys). Whenever two separate planar models are used for the analysis, the torsional effects may be accounted for by applying the rules of 4.3.3.2.4(2) to the action effects computed in accordance with 4.3.3.3.2. → From all things mentioned above, SAP2000 will be used to analyse the structure with Modal Response Spectrum. The analysis will run accordingly to EC8.

V.1.3 COMBINATIONS:

According to EC8 [3], there are 3 combinations determined from all above actions:

- Combination 1: DEAD Load + DL Slab + Joint Load + Seismic Load + $\sum \psi_{2,i} * Q_k, i$
- Combination 2(in opposite direction): DEAD Load + DL Slab + Joint Load Seismic Load + Σψ_{2,i} * Q_k, i
- Combination3: Envelope of Combination 1 and Combination2.

V.1.4 INTERNAL FORCES:

The internal forces will be determined by SAP2000, version 9.0. The internal forces, which are used to design the section reinforcement of the frames, are determined by Lateral Force Analysis method.

| | 58 | 59 | 60 | 76 | 77 | 78 | 94 | 95 | 96 |
|-----|----|----|---------------|----|----|------------------|----|----|------------------|
| 108 | | | 120 | | | 132 | | | 144 |
| 107 | 55 | 56 | 611 57 | 73 | 74 | 75 ⁷⁵ | 91 | 92 | 93 143 |
| 106 | | | 118 | | | 130 | | | 142 |
| 105 | 52 | 53 | 211 54 | 70 | 71 | 62T 72 | 88 | 89 | 141 06 |
| 104 | | | 116 | | | 128 | | | 140 |
| 103 | 49 | 50 | ں 11 51 | 67 | 68 | 69 127 | 85 | 86 | 6. € 87 |
| 102 | | | 114 | | | 126 | | | 138 |
| 101 | 46 | 47 | стт 48 | 64 | 65 | 99 125 | 82 | 83 | 261 84 |
| 100 | | | 112 | | | 124 | | | 136 |
| 66 | 43 | 44 | 111 45 | 61 | 62 | 123 153 | 79 | 80 | 581 132 81 |
| 98 | | | 110 | | 7. | 122 | | | 134 |
| 97 | | | 109 | | Ť | 121 | | | 133 |
| | | | | | I | $\rightarrow x$ | | | |

Figure 4 - Transverse or Direction Y Frame Line 2

| 18- | 14 |
|-----|----|
|-----|----|

| | TABLE: Element Forces – Transverse Y current Frames – First Story Beams | | | | | | | | | | |
|-------|---|-----------------|-------------|----------|----------------------------|-----------------------------|------------------------------|--|--|--|--|
| Frame | Section | OutputCase | CaseType | StepType | P=M _{Ed} Axial | V2=V _{Ed} Shear | M3=M _{Ed} Moment | | | | |
| Text | m | Text | Text | Text | KN | KN | KN-m | | | | |
| 43 | 0 | envelopeofseism | Combination | Max | 9.864 | 5.006 | 92.5335 | | | | |
| 43 | 0 | envelopeofseism | Combination | Min | 9.256 | -102.682 | -186.834 | | | | |
| 44 | 0.83333 | envelopeofseism | Combination | Max | 9.864 | 53.883 | 36.0313 | | | | |
| 44 | 0.83333 | envelopeofseism | Combination | Min | 9.256 | -53.805 | 25.8847 | | | | |
| 45 | 1.66667 | envelopeofseism | Combination | Max | 9.864 | 102.761 | 82.1908 | | | | |
| 45 | 1.66667 | envelopeofseism | Combination | Min | 9.256 | -4.927 | -176.8834 | | | | |
| 61 | 0 | envelopeofseism | Combination | Max | 18.518 | 0.107 | 73.302 | | | | |
| 61 | 0 | envelopeofseism | Combination | Min | 1.907 | -97.862 | -171.6978 | | | | |
| 62 | 0.83333 | envelopeofseism | Combination | Max | 18.518 | 48.985 | 29.0468 | | | | |
| 62 | 0.83333 | envelopeofseism | Combination | Min | 1.907 | -48.985 | 28.9698 | | | | |
| 63 | 1.66667 | envelopeofseism | Combination | Max | 18.518 | 97.862 | 73.225 | | | | |
| 63 | 1.66667 | envelopeofseism | Combination | Min | 1.907 | -0.107 | -171.6209 | | | | |
| 79 | 0 | envelopeofseism | Combination | Max | 25.951 | 4.71 | 81.7629 | | | | |
| 79 | 0 | envelopeofseism | Combination | Min | -6.831 | -102.543 | -176.4554 | | | | |
| 80 | 0.83333 | envelopeofseism | Combination | Max | 25.951 | 53.587 | 35.9144 | | | | |
| 80 | 0.83333 | envelopeofseism | Combination | Min | -6.831 | -53.665 | 26.0016 | | | | |
| 81 | 1.66667 | envelopeofseism | Combination | Max | 25.951 | 102.465 | 91.8717 | | | | |
| 81 | 1.66667 | envelopeofseism | Combination | Min | -6.831 | -4.788 | -186.1723 | | | | |

V.1.5 <u>DESIGN OF BEAMS OF THE FIRST STORY IN FRAME LINE 2 (members 43-45, 61-63 and 79-81)</u>

V.1.5.1 Geometrical Restraints

• Effective flange width:

According to 5.4.3.1.1(3) - EC8 [3], the effective flange width b_{eff} may be assumed as follows:

- For primary seismic beams framing into exterior columns, the effective flange width, b_{eff} , is taken to the width b_c of the column in the absence of the transverse beam, or equal to this width increased by $2h_f$ on each side of the beam if there is transverse beam of similar depth.
- For the primary seismic beams framing into interior columns the above length may be increased by $2h_f$ on each side of the beam.

So, the effective flange width of beams framing to the exterior columns is:

 $b_c = 400mm$; $h_f = 150mm \rightarrow b_{eff} = b_c + 2 * 2 * h_f = 1000mm$

The effective flange width of beams framing to the interior columns is:

 $b_c = 400mm$; $h_f = 150mm \rightarrow b_{eff} = b_c + 2*4*h_f = 1600mm$

• Beam – Column centroidal axis distance :

The beam framing symmetrically into the exterior columns has the eccentricity as following expression: e = 0.00mm

- Minimum width of the beams :
 - In accordance to 5.4.1.2.1 EC8 [3], the effective transfer of cyclic moments from a primary seismic beam to a column shall be achieved, by limiting the eccentricity of the beam axis relative to that of the column into which it frames.
 - A deemed to satisfy rule for 5.4.1.2.1 EC8 is to limit the distance between the centroidal axes of the two members to less than $b_c/4$. $\rightarrow \begin{cases} b_w \leq \min\{b_c + h_w; 2b_c\} \\ b_w \geq 200mm \end{cases}$
- Width to height ratio of the web of the beam:

In accordance to 4.3.5.7 – EC2 [2], lateral buckling of the slender beams:

- (P1), where the safety of beams against lateral buckling is in doubt, it shall be checked by an appropriate method.
- (P2), the width to height ratio of the beam's web must be ensure to the following $h_{m} = 500 mm$]

condition:
$$h_w < 2.5 * b_w$$
, so $b_w = 250$ $\rightarrow 350 < 2.5 * 250 = 625$

• Limitation of the beam width:

According to 5.4.1.2.1 – EC8 [3], the beam width has to be checked as following condition:

$$b_w \le \min(b_c + h_w; 2*b_c) \to b_w = 250 \le \begin{cases} 250 + 500 = 750\\ 2*250 = 500 \end{cases}$$
. This condition is met.

V.1.5.2 Flexural reinforcement – Ultimate limit States

• Bending moment envelope diagram is presented as following:



- The reinforcement of the sections will be calculated by using EC2.
- The actual strength of the materials:
 - Concrete:

As chosen above, the concrete class is C25/30, according to 3.1.2.4 - EC2 [2], concrete material properties are:

$$\begin{aligned} f_{ck} &= 25MPa = 25N \ / \ mm^2; \ f_{cm} = 33MPa = 33N \ / \ mm^2; \ f_{ctm} = 2.6MPa = 2.6N \ / \ mm^2 \\ f_{cd} &= \frac{\alpha_c * f_{ck}}{\gamma_c} = 16.67MPa = 16.67N \ / \ mm^2; \ \alpha_c = 1; \ \gamma_c = 1.5 \\ (Note: \ In \ Belgium \ \gamma_C = 1.5; \ In \ France \ \gamma_C = 1.3) \end{aligned}$$

- Reinforcing steel:

As chosen above, the steel class is \$500, according to EC2 and EC3, steel material properties are:

$$f_{yk} = 500MPa = 500N / mm^{2}$$
$$f_{yd} = \frac{\alpha * f_{yk}}{\gamma_{s}} = \frac{1*500}{1.15} = 434.8MPa = 434.8N / mm^{2}$$

(*Note: In Belgium* $\gamma_s = 1.0$; *In France* $\gamma_s = 1.0$)

- In accordance to ultimate limit states of bending plus axial force design procedure of 6.1 EC 2 and 3.1.5 EC2 [2], we will use a rectangular diagram for compressed concrete block. In this case, the value of η is 1, so $\eta^* f_{cd} = 1^* f_{cd} = 16.7$ MPa.
- Flexural Reinforcing steel of Left side of first span of the beam (Axis A)

$$M^+ = 92534Nm$$

$$M^{-} = -186834Nm$$

- For M^+ :

- Beam's dimensions: b=250mm; h=500mm.
- Cover:
- $c_{nom} = c_{min} + \Delta c_{dev}$ (Expression 4.1 EC2 [2]) Where:

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 $c_{min} = max[c_{min,b}; c_{min,dur}]$. (According to Expression 4.2 – EC2[2]) $c_{min,b} =$ diameter of bar. Assume 20mm bars and 6 mm hoops - Table 4.2 – EC2[2]. $c_{min, dur} =$ minimum cover due to environmental conditions. Assuming that Exposure class is XC1 and Structural Class is S4 $\rightarrow c_{min,dur} = 15$ mm $\Delta c_{dev} = 10$ mm

- $\rightarrow c_{nom} = 20 + 10 = 30 \text{ mm}$
- Concrete cover thickness $+\frac{1}{2}$ reinforcement diameter = 30 + 6 + 7 = 43 mm
- The effective height d: $d = h \text{concrete cover thickness} \text{stirrup diameter} \frac{1}{2}$ reinforcement diameter = 500 - 43 = 457 mm
- The effective width of the beam : $b_{eff} = 1450$ mm
- According to Appendix A1 Concise EC2 [5], and to How to design concrete using EC2 [6]:

$$K = \frac{M_{Ed}}{b_{eff} * d^2 * f_{ck}} = \frac{92534 * 10^3}{1600 * 457^2 * 25} = 0.01$$

To restrict the ratio x/d < 0.45

 $\rightarrow \delta = 0.85$ and K' = 0.168

$$\rightarrow z = \frac{d}{2} * \left[1 + \sqrt{1 - 3.53K} \right] = \frac{457}{2} * \left[1 + \sqrt{1 - 3.53*0.0122} \right] = 452.03 \le 0.95 * d = 434.15$$

- \rightarrow x = 2.5*(d-z) = 57.125mm < 1.25*h_f = 1.25*150=187.5mm
- On the other hand we have the relationship: $M_{Rd} = A_s * f_{yd} * z$, So the area of reinforcement steel can be determined as follows:

$$A_{s} \geq \frac{M_{Ed}}{f_{vd} * z} = \frac{92534 * 10^{3}}{434.8 * 434.15} = 490.2 mm^{2} = 4.9 cm^{2}$$

• We choose 4 ϕ 14 (A_s = 6.2 cm²) for flexural reinforcements \Rightarrow The resistance of the 119

section is $M_{Rd,b,A}^+ = +119kNm$ and the over-strength factor is $\frac{119}{92.5} = 1.29$.

• The normalised flexural reinforcements are :

$$\rho = \frac{A_s}{b_w * d} = \frac{6.2}{25 * (50 - 3 - 0.6 - \frac{1.4}{2})} = 0.005$$

- Checking for spacing of the bars Clear spacing of the bars: (250-2*30-2*6-4*14)/3 = 40.7mm According to 8.2(2) – EC2 [2], minimum clear distance between bars:
 - = max [bar diameter, aggregate +5mm]
 - $= \max [14, 20+5] = 25 \text{mm} < 40.7$
- For M^- :
 - Beam's dimensions: b=250mm; h=500mm
 - Cover:
 - $c_{nom} = c_{min} + \Delta c_{dev}$ (Expression 4.1 EC2 [2])

Where:

```
c_{min} = max[c_{min,b}; c_{min,dur}]. (According to Expression 4.2 – EC2[2])
```

- $c_{min,b}$ = diameter of bar. Assume 20mm bars and 6 mm hoops Table 4.2 EC2[2].
- $c_{min, dur}$ = minimum cover due to environmental conditions. Assuming that Exposure class

is XC1 and Structural Class is $S4 \rightarrow c_{min,dur} = 15 mm$

 $\Delta c_{dev} = 10mm \rightarrow c_{nom} = 20 + 10 = 30 mm$

- Concrete cover thickness $+\frac{1}{2}$ reinforcement diameter + stirrup diameter = 60mm
- Working height d: d = h concrete cover thickness ½ reinforcement diameter = 500-60=440mm

- $M_{Rd} \ge M_{Ed}; M_{Rd} = \mu * b * d^{2} * \eta * f_{cd}; M_{Ed} = -186834Nm$ • The ULS condition: $\Rightarrow \mu \ge \frac{M_{Ed}}{b * d^{2} * \eta * f_{cd}} = \frac{186834 * 10^{3}}{250 * 440^{2} * 1 * 16.7} = 0.231$ $\Rightarrow \frac{x}{d} = 0.33 < 0.45; \Rightarrow \frac{z}{d} = 0.85 \Rightarrow z = 0.86 * d = 378.4mm;$
- On the other hand we have the relationship: $M_{Rd} = A_s * f_{yd} * z$, So the area of reinforcement steel can be determined as follows:

$$A_{s} \ge \frac{M_{Ed}}{f_{yd} * z} = \frac{186834 * 10^{3}}{434.8 * 378.4} = 1134 mm^{2} = 11.3 cm^{2}$$

• We choose $3 \phi 20+2*2\phi 10$ or $4 \phi 20$ (A_s = 12.6 cm²) for flexural reinforcements \Rightarrow The resistance of the section is $M_{Rd,b,A}^{-} = -218kNm$ and the over-strength factor is 218 ± 17

$$\frac{210}{186.8} = 1.17$$

• The normalised flexural reinforcements are :

$$\rho = \frac{A_s}{b_w * d} = \frac{12.6}{25 * (50 - 2.0 - 0.6 - \frac{2.0}{2})} = 0.011$$

- Checking for spacing of the bars Clear spacing of the bars: (250-2*30-2*6-4*20)/3 = 32.7mm According to 8.2(2) – EC2 [2], minimum clear distance between bars:
 - = max [bar diameter, aggregate +5mm]
 - $= \max [14, 20+5] = 25 \text{mm} < 32.7 \rightarrow \text{so this condition is met}$
- Check for the ratio between negative reinforcement and positive reinforcement: According to 5.4.3.1.2 (4a) EC8 [3], at the compression zone, reinforcement is not less than half of the reinforcement provided at the tension zone. The compression reinforcement area is 620mm² and the tension reinforcement area is 1260 mm² → so this condition is met
- Flexural Reinforcing steel of right side of first span of beam (Axis B):

$$M^+ = 82191Nm$$

 $M^- = -176883Nm$

- For M^+ :
 - Beam's dimensions: b_{eff} =1600 mm; h_w =500 mm
 - Concrete cover thickness $+ \frac{1}{2}$ reinforcement diameter =50mm
 - Working height d: d = h concrete cover thickness ½ reinforcement diameter = 500-50=450mm

ULS

condition:

• The

$$M_{Rd} \ge M_{Ed}; M_{Rd} = \mu * b_{eff} * d^2 * \eta * f_{cd}; M_{Ed} = 82191Nm$$

$$\Rightarrow \mu \ge \frac{M_{Ed}}{b^* d^2 * \eta * f_{cd}} = \frac{82191 * 10^3}{1600 * 450^2 * 1 * 16.7} = 0.02 \Rightarrow \frac{x}{d} = 0.066 < 0.45$$

$$\rightarrow x = 29 < h_f = 150; \Rightarrow \frac{z}{d} = 0.977 \Rightarrow z = 0.977 * d = 440mm$$

Area of reinforcement steel can be determined as follows:

$$A_{s} \ge \frac{M_{Ed}}{f_{yd} * z} = \frac{82191 * 10^{3}}{434.8 * 440} = 429mm^{2} = 4.3cm^{2}$$

• We choose 4 ϕ 14 (A_s = 6.2 cm²) for flexural reinforcements. \Rightarrow The resistance of the section is $M^+_{Rd,b,B} = 119kNm$ and the over-strength factor is $\frac{119}{82} = 1.45$.

• The normalised flexural reinforcements are :

$$\rho = \frac{A_s}{b_w^* d} = \frac{6.2}{25*(50-3.0-0.6-\frac{1.4}{2})} = 0.005$$

- Checking for spacing of the bars Clear spacing of the bars: (250-2*30-2*6-4*14)/3 = 40.7mm. According to 8.2(2) – EC2 [2], minimum clear distance between bars:= max [bar diameter, aggregate +5mm] = max [14, 20+5] = 25mm < 40.7 → so this condition is met
- For M^{-} :
 - Beam's dimensions: b=250mm; h=500mm
 - Concrete cover thickness $+ \frac{1}{2}$ reinforcement diameter =60mm
 - Working height d: d = h concrete cover thickness ½ reinforcement diameter = 500-60=440mm
 - The ULS condition:

$$M_{Rd} \ge M_{sd}; M_{Rd} = \mu * b * d^{2} * \eta * f_{cd}$$

$$M_{sd} = -176883Nm \Rightarrow \mu \ge \frac{M_{sd}}{b * d^{2} * \eta * f_{cd}} = \frac{176883 * 10^{3}}{250 * 440^{2} * 1 * 16.7} = 0.218$$

$$\Rightarrow \frac{x}{d} = 0.312 < 0.45 \Rightarrow \frac{z}{d} = 0.87 \Rightarrow z = 0.87 * d = 382.8mm$$

Area of reinforcement steel can be determined as follows:

$$A_{s} \ge \frac{M_{sd}}{f_{vd} * z} = \frac{176883 * 10^{3}}{434.8 * 382.8} = 1062.7 mm^{2} = 11 cm^{2}$$

• We choose $2 \phi 20 + 1 \phi 18 + 2\phi 10(A_s = 11.9 \text{ cm}^2)$ or $2\phi 20 + 2\phi 18$ for flexural reinforcements. \Rightarrow The resistance of the section is $M_{Rd,b,B}^- = -208kNm$ and the over-

strength factor is $\frac{208}{176} = 1.18$.

• The normalised flexural reinforcements are :

$$\rho = \frac{A_s}{b_w * d} = \frac{11.9}{25 * (50 - 3.0 - 0.6 - \frac{2.0}{2})} = 0.01$$

- Checking for spacing of the bars Clear spacing of the bars: (250-2*30-2*6-2*18-2*20)/3 = 34mm According to 8.2(2) – EC2 [2], minimum clear distance between bars:
 - = max [bar diameter, aggregate +5mm]
 - $= \max [14, 20+5] = 25 \text{mm} < 34 \text{mm} \rightarrow \text{so this condition is met}$
- Check for the ratio between negative reinforcement and positive reinforcement: According to 5.4.3.1.2 (4a) EC8 [3], at the compression zone, reinforcement is not less than half of the reinforcement provided at the tension zone. The compression reinforcement area is 620mm² and the tension reinforcement area is 1190 mm²→ so this condition is met
- Check for the deflection: According to 15.7 Concise EC2[5], the SLS state of deflection may be checked by using the span to effective depth approach. To use the span to effective depth approach, verify that:
 - Allowable $l/d = N*K*F1*F2*F3 \ge actual l/d$ Where:
 - N = Basic l/d: check whether $\rho > \rho_0$: $\rho = \rho' = 0.005$; $\rho_0 = f_{ck}^{0.5}/1000 = 0.005 \rightarrow$ use the Exp (7.16a) Concise EC2 [5]: N = 11+1.5*f_{ck}^{0.5}\rho/\rho_0 + 3.2*f_{ck}^{0.5}*(\rho/\rho_0 1)^{1.5} = 18.5
 - K=1.3 (end span) table 15.11 Concise EC2

F1 = 1; F2=1 F3=310/ σ_s Where: $\sigma_s = (A_{s,pro}/A_{s,req}) = 182/500 <= 1.5$ 1/d = 36.04Actual 1/d = 5000/457 = 10.9. So this condition is met.

V.1.5.3 Specific measures for the flexural reinforcement.

- Min/max reinforcing steel
 - In accordance to 5.4.3.1.2 EC8 [3], minimum tension reinforcement ratio shall not exceed the value: $\rho_{\min} = 0.5 * \frac{f_{ctm}}{f_{vk}} = 0.5 * \frac{2.6}{500} = 0.0026$ (5.12 EC8 [3]).

\rightarrow The reinforcement content is satisfactory.

According to 5.4.3.1.2 – EC8 [3], within the critical regions, the tension reinforcement ratio shall not exceed the value below: $\rho_{\text{max}} = \rho + \frac{0.018}{\mu_{\phi} * \varepsilon_{sy,d}} * \frac{f_{cd}}{f_{yd}}$

Where:

• μ_{ϕ} - Curvature ductility, $T_1 = 0.67s > T_C = 0.6s \rightarrow \mu_{\phi} = 2*q_0 - 1 = 6.8$.

•
$$\varepsilon_{sy,d} = \frac{J_{yd}}{E_s}$$

So, $\rho_{max} = 0.00532 + \frac{0.018}{6.8 * \frac{434.8}{200000}} * \frac{16.7}{434.8} = 0.052 > 0.01$

\rightarrow The reinforcement content is satisfactory.

• Longitudinal bar diameters:

According to 5.6.2.2 - EC8 [3], to prevent the bond failure, the diameter of longitudinal bars of the beams is limited as the following conditions:

- For interior beam – column joints:

$$\frac{d_{bL}}{h_c} \le \frac{7.5 * f_{ctm}}{\gamma_{Rd} * f_{yd}} * \frac{1 + 0.8\nu_d}{1 + 0.75 * k_D * \frac{\rho'}{\rho_{max}}} \leftrightarrow \frac{d_{bL}}{h_c} \le 4.0 * \frac{f_{ctm}}{f_{yd}} * (1 + 0.8 * \nu_d) \quad (2.7.2.2.1 - \text{ENV8.})$$

Where:

- h_c is the width of the column parallel to the bars, so $h_c = 500$ mm.
- f_{ctm} : is the mean value of the tensile strength of concrete $\rightarrow f_{ctm} = 2.6 \text{N/mm}^2$.
- $F_{yd} = 434.8$ MPa.
- v_d is the normalised design axial force in column, taken with its minimum value for seismic design situation $v_d = \frac{N_{Ed}}{N_{Ed}}$

$$v_d = \frac{1295000}{f_{cd} * A_c}$$

$$N_{Ed} = -1295000N; \ f_{cd} = 16.67MPa; \ A_c = 400x500 = 200000mm^2.$$

$$\rightarrow v_d = \frac{N_{Ed}}{f_{cd} * A_c} = \frac{1295000}{16.7 * 200000} = 0.387$$

- k_D is the factor reflecting the ductility class equal to 1 for DCH, to 2/3 for DCM.
- ρ' compression steel ratio $\rightarrow \rho' = 0.00532$
- $\rho_{\text{max}} = 0.052.$

•
$$\gamma_{Rd} = 1$$
.

So:
$$\frac{d_{bL}}{h_c} \le \frac{7.5*2.6}{1*434.8} * \frac{1+0.8*0.387}{1+0.75*\frac{2}{3}*\frac{0.00532}{0.052}} = 0.056 \rightarrow d_{bL} = 500*0.056 = 28 \text{mm}$$

 \rightarrow The chosen reinforcement is satisfactory.

- For exterior beam – column joints:

$$\frac{d_{bL}}{h_c} \le \frac{7.5 * f_{ctm}}{\gamma_{Rd} * f_{yd}} * 1 + 0.8\nu_d \iff \frac{d_{bL}}{h_c} \le 4.0 * \frac{f_{ctm}}{f_{yd}} * (1 + 0.8 * \nu_d) \quad (2.7.2.2.1 - \text{ENV8})$$

Where:

- h_c is the width of the column parallel to the bars, so $h_c = 500$ mm.
- f_{ctm} : is the mean value of the tensile strength of concrete $\rightarrow f_{ctm} = 2.6 \text{N/mm}^2$.
- $F_{vd} = 434.8$ MPa.
- v_d is the normalised design axial force in column, taken with its minimum value for soigning design situation $v_d = \frac{N_{Ed}}{N_{Ed}}$

For seismic design situation.
$$v_d = \frac{1}{f_{cd} * A_c}$$

 $N_{Ed} = -940000N; f_{cd} = 16.67MPa; A_c = 400x500 = 200000mm^2$
 $\rightarrow v_d = \frac{N_{Ed}}{f_{cd} * A_c} = \frac{940000}{16.7 * 200000} = 0.28$

- k_D is the factor reflecting the ductility class equal to 1 for DCH, to 2/3 for DCM.
- ρ' compression steel ratio $\rightarrow \rho' = 0.00532$
- $\rho_{\text{max}} = 0.052.$

•
$$\gamma_{\text{Rd}} = 1$$
.

So:
$$\frac{d_{bL}}{h_c} \le \frac{7.5 \times 2.6}{1 \times 434.8} \times (1 + 0.8 \times 0.28) = 0.055 \rightarrow d_{bL} = 500 \times 0.055 = 27.5 \text{ mm}$$

\rightarrow The chosen reinforcement is satisfactory.

- Top reinforcement of the beam.
 - In accordance to 2.7.3.4 part 1-3 ENV8, one fourth of the maximum top reinforcement shall run along the entire beam length.
 - Two $\phi 20$ bars will run along the entire span.

V.1.5.4 Shear resistance

- Design shear forces computed in accordance to the capacity design criterion:
 - According to 5.4.2.2 EC8 [3], in the primary seismic beams shear forces shall be calculated in accordance with the capacity design rule, considering the equilibrium of the beam under: a) the transverse load acting on it in seismic design situation and b) end moments $M_{i,d}$ (with i=1,2 denoting the end sections of the beam), corresponding for each sense of the seismic action, to plastic hinge formation at the ends either of the beams or of the vertical elements which are connected to the joint where beam end i frames into.
 - The calculation of shear forces as following the sketch below:



- Determining M^+_{ARd1} , M^-_{BRd1} , M^-_{ARd2} , M^+_{BRd2} , V_{A0} , V_{B0} .
 - M^+_{ARd1} and M^+_{BRd2}

The bottom reinforcement area of longitudinal bars is 6.2 cm^2 (4 ϕ 14), we determine the value of $M^+_{ARd1} = M^+_{BRd2}$ as following:

$$x = \frac{f_{yd} * A_s}{\eta * f_{cd} * b} = \frac{434.8 * 6.2 * 100}{1 * 16.7 * 250} = 64.6mm$$

$$d = 500 - 30 - 6 - \frac{14}{2} = 455mm$$

$$\frac{x}{d} = 0.139 \rightarrow \frac{z}{d} = 0.95$$

$$\rightarrow M^+_{ARd1} = z * f_{yd} * A_s = 0.95 * 465 * 434.8 * 620 = 119085198Nmm \rightarrow M^+_{ARd1} = 119KNm$$

$$M^+_{BRd2} = 119kNm.$$

- M_{ARd2}^{-} : The top reinforcement area of longitudinal bars is 4 ϕ 20 (A_s = 12.6 cm²), we determine the value of M_{ARd2}^{-} as following:

$$\begin{aligned} F_{as} &= f_{yd} * A_{s} = 434.8 * 1260 = 547848 Nmm \\ F_{c} &= \eta * f_{cd} * b * (h - z) = 16.7 * 250 * (500 - z) \\ &= 4175 * (500 - z) \\ F_{as} &= F_{c} \rightarrow 547848 = 4175 * (500 - z) \\ \rightarrow z = 368.8 mm \\ M_{ARd2}^{-} &= F_{as} * b_{as} + F_{c} * b_{c} \\ b_{as} &= z - coating - \phi stirrup - \frac{1}{2} \phi bars \\ b_{as} &= 368.8 - 20 - 6 - 10 = 332.8 mm \\ b_{c} &= \frac{h - z}{2} = \frac{500 - 368.8}{2} = 65.6 mm \\ \rightarrow M_{ARd2}^{-} &= 547848 * 332.8 + 4175 * (500 - 368.8) * 65.6 = 218256870 Nmm \rightarrow M_{ARd2}^{-} = 218KNm \end{aligned}$$

- M_{BRd1}^{-} : The top reinforcement area of longitudinal bars is $2\phi 20 + 2\phi 18$ (A_s = 11.9 cm²), we determine the value of M_{BRd1}^{-} as following: $F_{as} = f_{sd}^{-*} A_s = 434.8 \times 1190 = 517412 Nmm$

$$F_{c} = \eta * f_{cd} * b * (h - z) = 16.7 * 250 * (500 - z)$$

= 4175 * (500 - z)
$$F_{as} = F_{c} \rightarrow 517412 = 4175 * (500 - z)$$

$$\rightarrow z = 376.1mm$$

$$M_{BRd1}^{-} = F_{as} * b_{as} + F_{c} * b_{c}$$

$$b_{as} = z - coating - \phi stirrup - \frac{1}{2}\phi bars$$

$$b_{as} = 376.1 - 20 - 6 - 10 = 340.1mm$$

$$b_{c} = \frac{h - z}{2} = \frac{500 - 376.1}{2} = 62mm$$

$$\rightarrow M_{BRd1}^{-} = 517412 * 340.1 + 4175 * (500 - 376.1) * 62 = 208043336Nmm \rightarrow M_{BRd1}^{-} = 208KNm$$

- Determining V_{B0} and V_{A0} :

$$V_{B0} = V_{A0} = \frac{3750*5}{2} + \frac{32850*5}{2*2} = 50437.5N = 50.4KN$$

- So we have:

$$V_{M1} = -\gamma_{Rd} * \frac{(M_{ARd1}^{+} + M_{BRd1}^{-})}{l} = -1 * \frac{119 + 208}{5} = -65$$
$$V_{M2} = \gamma_{Rd} * \frac{(M_{ARd2}^{-} + M_{BRd2}^{+})}{l} = 1 * \frac{218 + 119}{5} = 67 ; V_{B0} = V_{A0} = 50.4 KN$$

And so:

- At support A: $V_{min} = V_{M1} + V_{A0} = -65+50.4 = -14.6$; $V_{man} = V_{M2} + V_{A0} = 67+50.4 = 117.4$ - At support B:

$$V_{min} = -V_{M2} + V_{B0} = -67 + 50.4 = -16.6$$
; $V_{man} = V_{M1} + V_{B0} = 65 + 50.4 = 115.4$

- V_{cd} and V_{Rd} Computations :
 - In the critical sections: $V_{cd} = 0$
 - Outside the critical sections: $V_{cd} = V_{Rd1}$.
 - In accordance with EC(2) 4.3.2.3 and neglecting the axial force influence, the value of $V_{Rd,c}$

EN 1992

$$V_{Rd,c} = \left[\frac{0.18}{\gamma_c} * k * (100 * \rho_l * f_{ck})^{1/3} - 0.15 * \sigma_{cp}\right] * b_w * d$$

- f_{ck} is compressed strength of the concrete at the age of 28 days. $\gamma_c = 1.5$
- $k = 1 + \sqrt{\frac{200}{d}} \le 2.0 \text{ d} \text{mm}; \ \rho_l = \frac{A_{sl}}{b_w * d} \le 0.02 \text{ where:}$
- A_{sl} is the area of tension reinforcements.
- $b_w is$ the minimum width.
- $\sigma_{cp} = \frac{N_{sd}}{A}$; N_{sd} is the longitudinal force. MPa
- Replacing with the value of f_{ck} is 25MPa, reinforcing steel percentage is $\frac{620}{250*(500-20-6-7)} = 0.00532, \qquad \text{so} \qquad \text{we} \qquad \text{have:}$ $V_{Rd,ct} = \left[\frac{0.18}{1.5}*1*(100*0.00532*25)^{1/3}\right]*250*467 = 32942N = 32.9KN$
- Computations
 - The computations shall run in accordance to 6.2.1(2) EN1992 and the specific rules shall get along with truss model (EN1998)
 - According to 6.2.1(2) EC2 [2], the shear resistance of a member with shear reinforcement is equal to $V_{Rd} = V_{Rd,s} + V_{ccd} + V_{td}$. V_{td} is the design value of the shear component of the force in the tensile reinforcement, in the case of an inclined tensile chord, so $V_{td} = 0$ and $V_{ccd} = 0$.

So:
$$V_{Rd} = V_{Rd,s} + V_{ccd} \rightarrow V_{Rds} = \frac{A_{sw}}{s} * z * f_{ywd} * \cos \theta$$

- In critical regions (2*height of the beams) shear force will be carried out only by the stirrups. We choose stirrups with 2 legs, of 6mm in diameter and 80mm spacing. Shear force capacity is: $V_{Rd} = V_{Rds} = \frac{57}{80} * 467 * 434.8 = 144674.4N = 145KN >> V_{max}$.

- Outside critical regions, shear forces are carried out by stirrups with 2 legs, 6mm in diameter and 120mm spacing. Shear force capacity is:

$$V_{Rd} = V_{Rd,c} + V_{Rds} = 32900 + \frac{57}{120} * 467 * 434.8 = 129400N = 129.4KN$$

The difference between the shear force values at support A and B is small enough to neglect the possibility of modifying the shear reinforcement. Along the whole beam length, shear force must be less than the value of $V_{\text{Rd,max}}$ which is the design value of the maximum shear force which can be sustained by the member, limited by crushing of the compression struts. $V_{Rd,max} = \alpha_{cw} * b_w * z * v_1 * f_{cd} / (\cot\theta + \tan\theta)$

 v_1 is a strength reduction factor for concrete cracked in shear

 α_{cw} is a coefficient taking account of the state of the stress in the compression Г Γſ

chord. So:
$$v_l = 0.6* \left[1 - \frac{J_{ck}}{250} \right] = 0.6*0.9 = 0.54$$
 and $\alpha_{cw} = 1$

 $\rightarrow V_{Rd,max} = 1*250*467*16.7/(1+1)=526000N=526KN>V_{max}$

- The computations shall run in accordance to 6.2.1(2) – EN1992 and the specific rules shall get along with truss model (EN1998)

V.1.5.5 Specific measures

• Detailing:

Where:

- In accordance to 5.4.3.1.2(6P) EC8 [3], the stirrup minimum diameter within the critical regions is 6mm – this requirement is met.
- The first hoop is placed not more than 50mm from the end cross section of the beam this _ requirement is met.
- Within the critical regions, the spacing of the hoops is not greater than: $h_w/4 = 125mm; 24*d_{bw} = 24*6 = 144mm$ So, the condition is satisfactory.

 $225mm; 8*d_{hl} = 8*14 = 112mm$

• Casting and Placing for beam: All requirements are met.

DETAILING FOR THE FIRST FLOOR BEAM



SECTION 1-1





250

SECTION 2-2



18-24

V.1.6 REINFORCEMENT OF OTHER BEAMS

The reinforcement of other beams of the transverse frame are determined by using the similar ways as the beams on the first floor. They are summarized in the following tables.

| Floor | Position of | Sections | b _w | b _c | h _w | b _{eff} | Δ_{nom} | M^+_{Ed} | M^+_{Rd} | M_{Ed} | M _{Rd} |
|-------|-------------|----------|----------------|----------------|----------------|------------------|----------------|------------|------------|----------|-----------------|
| Level | column | of the | (mm) | (mm) | (mm) | (mm) | (mm) | (kNm) | (kNm) | (kNm) | (kNm) |
| | | beams | | | | | | | | | |
| 1-2 | External | End | 250 | 400 | 500 | 1600 | 30 | 92.5 | 119 | -186.8 | -218 |
| 1-2 | Internal | End | 250 | 400 | 500 | 1600 | 30 | 82.2 | 119 | -176.9 | -208 |
| 1-2 | Internal | Middle | 250 | 400 | 500 | 1600 | 30 | 36.0 | 119 | | |
| 3-4 | External | End | 250 | 400 | 500 | 1600 | 30 | 68.1 | | -178.5 | -198.5 |
| 3-4 | Internal | End | 250 | 400 | 500 | 1600 | 30 | 65.5 | | -162.9 | -185.1 |
| 3-4 | Internal | Middle | 250 | 400 | 500 | 1600 | 30 | 34.3 | | | |
| 5-6 | External | End | 250 | 400 | 500 | 1600 | 30 | 2.6 | | -122.3 | |
| 5-6 | Internal | End | 250 | 400 | 500 | 1600 | 30 | 13.7 | | -109.7 | |
| 5-6 | Internal | Middle | 250 | 400 | 500 | 1600 | 30 | 32.0 | | | |

Table V.1- Properties of the section and seismic actions in transverse frame

Table V.2 - Designed Longitudinal Reinforcement and specific measures in transverse frame

| Beams | Position | Sections | Тор | Bottom | ρ | ρ' | ρ_{max} | ρ_{min} | d _{max} | M _{Rd} |
|-------|----------|----------|---------------|-------------------------|-----|------|--------------|--------------|------------------|-----------------|
| of | of | of the | Reinforcement | Reinforcement | (%) | (%) | (%) | (%) | (mm) | (KNm) |
| Floor | column | beams | (mm^2) | (mm^2) | | | | | | |
| 1-2 | External | End | 1260 | 620(4\operatorname{14}) | 0.5 | 1.1 | 5.2 | 0.26 | 28 | -218 |
| 1-2 | Internal | End | 1190 | 620(4\operatorname{14}) | 0.5 | 1 | 5.2 | 0.26 | 28 | -208 |
| 1-2 | Internal | Middle | 628 | 620(4\operatorname{14}) | 0.5 | 0.5 | 5.2 | 0.26 | 26 | +119 |
| 3-4 | External | End | 910 | 620(4\operatorname{14}) | 0.5 | 0.8 | 5.2 | 0.26 | 26 | -198.5 |
| 3-4 | Internal | End | 816 | 620(4\operatorname{14}) | 0.5 | 0.7 | 5.2 | 0.26 | 26 | -185.1 |
| 3-4 | Internal | Middle | 508 | 620(4\operatorname{14}) | 0.5 | 0.45 | 5.2 | 0.26 | 26 | +119 |
| 5 | External | End | 804 | 462(3\phi14) | 0.4 | 0.7 | 5.2 | 0.26 | 26 | |
| 5 | Internal | End | 804 | 462(3\operatorname{14}) | 0.4 | 0.7 | 5.2 | 0.26 | 26 | |
| 5 | Internal | Middle | 402 | 462(3\operatorname{14}) | 0.4 | 0.35 | 5.2 | 0.26 | 26 | +119 |
| 6 | External | End | 462 | 462(3\operatorname{14}) | 0.4 | 0.4 | 5.2 | 0.26 | 26 | |
| 6 | Internal | End | 462 | 462(3\phi14) | 0.4 | 0.4 | 5.2 | 0.26 | 26 | |
| 6 | Internal | Middle | 462 | 462(3\operatorname{14}) | 0.4 | 0.4 | 5.2 | 0.26 | 26 | +119 |

Table V.3 - Designed Stirrup Reinforcement and specific measures of transverse frame

| Beams of | Sections of | V _{max} | φ - stirrup | Number | Spacing | V _{Rd} | V _{Rdmax} |
|----------|-----------------|------------------|-------------|---------|---------|-----------------|--------------------|
| Floor | the beams | (KN) | (mm) | of legs | | (KN) | (KN) |
| 1-2 | Critical | 102.7 | 6 | 2 | 80 | 145 | 1053 |
| | region | | | | | | |
| 1-2 | Outside | 82 | 6 | 2 | 120 | 129 | 1053 |
| | critical region | | | | | | |
| 3-4 | Critical | 99.7 | 6 | 2 | 80 | 145 | 1053 |
| | region | | | | | | |
| 3-4 | Outside | 76.2 | 6 | 2 | 120 | 129 | 1053 |
| | critical region | | | | | | |
| 5-6 | Critical | 77.8 | 6 | 2 | 80 | 145 | 1053 |
| | region | | | | | | |
| 5-6 | Outside | 54.4 | 6 | 2 | 120 | 129 | 1053 |
| | critical region | | | | | | |

V.2. LONGITUDINAL OR DIRECTION X CURRENT FRAME:

V.2.1 Action effects: (According to 5.4.2 – EC8 [3])

- All the steps are the same as transverse frames.
- The loads were uniformly distributed along the length of the beam. No distribution of the bending moments was made.
- The design value of the shear forces shall be determined in accordance with the capacity design rules, EC 8 5.4.2.2 1(P).
- The torsion effects were determined separately by these two dimensions according to 4.3.3.2.4(2) EC8: If the analysis is performed using two planar models, one for each main horizontal direction, torsion effects may be determined by doubling the accidental eccentricity e_{ai} of the expression $e_{ai} = \pm 0.05L_i$ and applying the rules of 4.3.3.2.4(1) EC8 with the

factor
$$\delta$$
, $\delta = 1 + 0.6 * \frac{x}{L_e}$, replaced by the factor δ , $\delta = 1 + 1.2 * \frac{x}{L_e}$.

V.2.2 Action Summary:

V.2.2.1 Gravity actions:

- DEAD Load: The self-weight load.
- DL slab: The dead loads induced by the floor and coating weight.
- LL slab: The live loads induced by the variable actions
- LL roof slab: The live loads induced by the variable roof actions
- Snow load: The loads induced by the snow.
- Joint load: The loads acting to the joints of the longitudinal frame induced by perpendicular frames.
- WIND load.

V.2.2.2 Seismic actions:

- The analysis is performed using two planar models, one for each main direction.
- The torsion effects were determined separately by these two dimensions according to

4.3.3.2.4(2) – EC8:
$$\delta = 1 + 1.2 * \frac{x}{L_e} = 1 + 1.2 * \frac{2.5}{15} = 1.2$$
. So we have $\delta = 1.2$

- The above seismic forces are total seismic acting in all of the building or all frames. According to the stiffness of each frame, we will distribute the seismic forces to each frame linearly including torsion effects.
- In the action direction of the earthquake, there are 4 portal frames. When distributing seismic forces to all floors of the frame, the torsion effects will be taken into account by the factor δ which is calculated from 4.3.3.2.4 (1) EC8. Factor δ, here, accounts for the analysis model with two planar directions. We will distribute the seismic forces to the current transverse frame as following:

$$- F_{B-6} = F_6 * \frac{1}{4} * \delta = 321.34 * \frac{1}{4} * 1.2 = 96.4 KN \cdot F_{B-5} = F_5 * \frac{1}{4} * \delta = 287.0 * \frac{1}{4} * 1.2 = 86.1 KN \cdot F_{B-4} = F_4 * \frac{1}{4} * \delta = 231.5 * \frac{1}{4} * 1.2 = 69.5 KN \cdot F_{B-3} = F_3 * \frac{1}{4} * \delta = 175.9 * \frac{1}{4} * 1.2 = 52.8 KN \cdot F_{B-2} = F_2 * \frac{1}{4} * \delta = 120.4 * \frac{1}{4} * 1.2 = 36.1 KN \cdot F_{B-1} = F_1 * \frac{1}{4} * \delta = 65.8 * \frac{1}{4} * 1.2 = 19.7 KN \cdot F_{B-2} = F_2 * \frac{1}{4} * \delta = 120.4 * \frac{1}{4} * 1.2 = 36.1 KN \cdot F_{B-1} = F_1 * \frac{1}{4} * \delta = 65.8 * \frac{1}{4} * 1.2 = 19.7 KN \cdot F_{B-2} = F_2 * \frac{1}{4} * \delta = 120.4 * \frac{1}{4} * 1.2 = 36.1 KN \cdot F_{B-1} = F_1 * \frac{1}{4} * \delta = 65.8 * \frac{1}{4} * 1.2 = 19.7 KN \cdot F_{B-2} = F_2 * \frac{1}{4} * \delta = 120.4 * \frac{1}{4} * 1.2 = 36.1 KN \cdot F_{B-1} = F_1 * \frac{1}{4} * \delta = 65.8 * \frac{1}{4} * 1.2 = 19.7 KN \cdot F_{B-2} = F_2 * \frac{1}{4} * \delta = 120.4 * \frac{1}{4} * 1.2 = 36.1 KN \cdot F_{B-1} = F_1 * \frac{1}{4} * \delta = 65.8 * \frac{1}{4} * 1.2 = 19.7 KN \cdot F_{B-1} = F_1 * \frac{1}{4} * \delta = 65.8 * \frac{1}{4} * 1.2 = 19.7 KN \cdot F_{B-1} = F_1 * \frac{1}{4} * \delta = 65.8 * \frac{1}{4} * 1.2 = 19.7 KN \cdot F_{B-1} = F_1 * \frac{1}{4} * \delta = 65.8 * \frac{1}{4} * 1.2 = 19.7 KN \cdot F_{B-1} = F_1 * \frac{1}{4} * \delta = 120.4 * \frac{1}{4} * 1.2 = 19.7 KN \cdot F_{B-1} = F_1 * \frac{1}{4} * \delta = 120.4 * \frac{1}{4} * 1.2 = 19.7 KN \cdot F_{B-1} = F_1 * \frac{1}{4} * \delta = 120.4 * \frac{1}{4} * 1.2 = 19.7 KN \cdot F_{B-1} = F_1 * \frac{1}{4} * \delta = 120.4 * \frac{1}{4} * 1.2 = 19.7 KN \cdot F_{B-1} = F_1 * \frac{1}{4} * \delta = 120.4 * \frac{1}{4} * 1.2 = 19.7 KN \cdot F_{B-1} = F_1 * \frac{1}{4} * \delta = 120.4 * \frac{1}{4} * 1.2 = 19.7 KN \cdot F_{B-1} = F_1 * \frac{1}{4} * \delta = 120.4 * \frac{1}{4} * 1.2 = 10.7 KN \cdot F_{B-1} = F_1 * \frac{1}{4} * \delta = 120.4 * \frac{1}{4} * \frac{1}$$

• Response Spectrum Analysis: Response Spectrum Analysis will be carried out the same as the transverse frame.

V.2.3 COMBINATIONS:

According to EC8 [3], there are 3 combinations determined from all actions above:

- Combination 1: DEAD Load + DL Slab + Joint Load + Seismic Load + $\sum \psi_{2,i} * Q_k, i$
- Combination 2(in opposite direction): DEAD Load + DL Slab + Joint Load Seismic Load + $\sum \psi_{2,i} * Q_k, i$
- Combination3: Envelope of Combination 1 and Combination2.

V.2.4 INTERNAL FORCES:

The internal forces will be determined by SAP2000, version 9.0. The internal forces, which are used to design the section reinforcements of the frames, will be determined by Lateral Force Analysis method.



Figure 5 - Longitudinal Frame or Direction X Frame in line B

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|-------|--|
|-------|--|

| | TABLE V.4 : Element Forces – Longitudinal or Direction X Frames | | | | | | | | | |
|-------|---|-----------------|-------------|----------|--------------|---------------|----------------------|--|--|--|
| | | | | | $P - N_{Ed}$ | $V2 - V_{Ed}$ | M3 – M _{Ed} | | | |
| Frame | Section | OutputCase | CaseType | StepType | Axial | Shear | Moment | | | |
| Text | m | Text | Text | Text | KN | KN | KN-m | | | |
| 31 | 0 | envelopeofseism | Combination | Max | 12.245 | 4.213 | 93.3445 | | | |
| 31 | 0 | envelopeofseism | Combination | Min | 6.247 | -100.021 | -181.1328 | | | |
| 32 | 0.83333 | envelopeofseism | Combination | Max | 12.245 | 53.09 | 38.8253 | | | |
| 32 | 0.83333 | envelopeofseism | Combination | Min | 6.247 | -51.143 | 24.9314 | | | |
| 33 | 1.66667 | envelopeofseism | Combination | Max | 12.245 | 101.968 | 74.583 | | | |
| 33 | 1.66667 | envelopeofseism | Combination | Min | 6.247 | -2.266 | -172.1064 | | | |
| 49 | 0 | envelopeofseism | Combination | Max | 17.308 | -3.372 | 64.0981 | | | |
| 49 | 0 | envelopeofseism | Combination | Min | 1.643 | -94.623 | -163.0272 | | | |
| 50 | 0.83333 | envelopeofseism | Combination | Max | 17.308 | 45.506 | 29.5425 | | | |
| 50 | 0.83333 | envelopeofseism | Combination | Min | 1.643 | -45.745 | 28.5401 | | | |
| 51 | 1.66667 | envelopeofseism | Combination | Max | 17.308 | 94.383 | 65.6996 | | | |
| 51 | 1.66667 | envelopeofseism | Combination | Min | 1.643 | 3.132 | -163.4305 | | | |
| 67 | 0 | envelopeofseism | Combination | Max | 20.169 | -2.257 | 67.7165 | | | |
| 67 | 0 | envelopeofseism | Combination | Min | -2.661 | -93.334 | -161.125 | | | |
| 68 | 0.83333 | envelopeofseism | Combination | Max | 20.169 | 46.62 | 29.3726 | | | |
| 68 | 0.83333 | envelopeofseism | Combination | Min | -2.661 | -44.456 | 28.2213 | | | |
| 69 | 1.66667 | envelopeofseism | Combination | Max | 20.169 | 95.498 | 61.1551 | | | |
| 69 | 1.66667 | envelopeofseism | Combination | Min | -2.661 | 4.421 | -165.3839 | | | |
| 133 | 0 | envelopeofseism | Combination | Max | 24.831 | 0.968 | 71.3445 | | | |
| 133 | 0 | envelopeofseism | Combination | Min | -7.835 | -102.606 | -173.9815 | | | |
| 134 | 0.83333 | envelopeofseism | Combination | Max | 24.831 | 49.845 | 38.545 | | | |
| 134 | 0.83333 | envelopeofseism | Combination | Min | -7.835 | -53.728 | 24.9379 | | | |
| 135 | 1.66667 | envelopeofseism | Combination | Max | 24.831 | 98.723 | 94.6589 | | | |
| 135 | 1.66667 | envelopeofseism | Combination | Min | -7.835 | -4.851 | -177.8811 | | | |

V.2.5 <u>DESIGN OF BEAMS OF THE FIRST STORY (members 31-33, 49-51, 67-69 and 133-135)</u>

V.2.5.1 Geometrical Restraints

• Effective flange width:

According to 5.4.3.1.1(3) - EC8 [3], the effective flange width b_{eff} may be assumed as follows:

- For primary seismic beams framing into exterior columns, the effective flange width, b_{eff} , is taken to the width b_c of the column in the absence of the transverse beam, or equal to this width increased by $2h_f$ on each side of the beam if there is transverse beam of similar depth.
- For the primary seismic beams framing into interior columns the above length may be increased by 2h_f on each side of the beam.

So, the effective flange width of beams framing to the exterior columns is:

 $b_c = 500mm$; $h_f = 150mm \rightarrow b_{eff} = b_c + 2 * 2 * h_f = 1100mm$

The effective flange width of beams framing to the interior columns is:

 $b_c = 500mm$; $h_f = 150mm \rightarrow b_{eff} = b_c + 2*4*h_f = 1700mm$

• Beam – Column centroidal axis distance :

The beam framing symmetrically into the exterior columns has the eccentricity as following expression: e = 0.00mm

• Minimum width of the beams :

- In accordance to 5.4.1.2.1, the effective transfer of cyclic moments from a primary seismic beam to a column shall be achieved, by limiting the eccentricity of the beam axis relative to that of the column into which it frames.
- A deemed to satisfy rule for 5.4.1.2.1 is to limit the distance between the centroidal axes of the two members to less than $b_c/4$. $\rightarrow \begin{cases} b_w \le \min\{b_c + h_w; 2b_c\} \\ b_w \ge 200mm \end{cases}$

• Width to height ratio of the web of the beam:

In accordance to 2.7.2.4 – ENV 1998 and 4.3.5.7 – EC2 [2], lateral buckling of the slender beams: (P2)

- (P1), where the safety of beams against lateral buckling is in doubt, it shall be checked by an appropriate method.
- (2), the width to height ratio of the beam's web must be ensure to the following condition:

$$h_w < 2.5 * b_w$$
, so $\begin{array}{c} h_w = 500mm \\ b_w = 250 \end{array}$ $\} \rightarrow 350 < 2.5 * 250 = 625$

• Limitation of the beam width:

According to 5.4.1.2.1 – EC8 [3], the beam width has to be checked as following condition:

$$b_w \le \min(b_c + h_w; 2*b_c) \to b_w = 250 \le \begin{cases} 250 + 500 = 750\\ 2*250 = 500 \end{cases}$$
. This condition is met.

V.2.5.2 Flexural reinforcement:

- In accordance to 2.5.3.3(5) EC2 and 2.5.3.4.2 (7), a reduction of the design bending moments is made to the column margins.
- The frame is a sway frame, so, according to the principle of 2.5.3.4.2 EC2 [2], no redistribution of the bending moment is made.
- The actual strength of the materials:
 - Concrete: As chosen above, the concrete class is C25/30, according to 3.1.2.4 EC2 [2], concrete material properties are:

$$f_{ck} = 25MPa = 25N / mm^{2}; f_{cm} = 33MPa = 33N / mm^{2}; f_{ctm} = 2.6MPa = 2.6N / mm^{2}$$
$$f_{cd} = \frac{\alpha_{c} * f_{ck}}{\gamma_{c}} = 16.67MPa = 16.67N / mm^{2}; \alpha_{c} = 1; \gamma_{c} = 1.5$$

(*Note: In Belgium* $\gamma_C = 1.5$; *In France* $\gamma_C = 1.3$)

Reinforcing steel: As chosen above, the steel class is S500, according to EC2 and EC3, $f_{yk} = 500 MPa = 500 N / mm^2$

steel material properties are:

$$f_{yd} = \frac{\alpha * f_{yk}}{\gamma_s} = \frac{1*500}{1.15} = 434.8MPa = 434.8N / mm^2$$

(Note: In Belgium
$$\gamma_{S} = 1.0$$
; In France $\gamma_{S} = 1.0$)

- In accordance to ultimate limit states of bending plus axial force design procedure of 6.1 EC 2 and 3.1.5 - EC2 [2], we will use a rectangular diagram for compressed concrete block. In this case η * f_{cd} = 1* f_{cd} = 16.7 Mpa.
- Flexural Reinforcing steel of Left side of beam (Beam number 31-33): $M^+ = 93304Nm$

 $M^{-} = -181173Nm$

- For M^+ :
 - Beam's dimensions : b=250mm ; h=500mm
 - Concrete cover thickness $+\frac{1}{2}$ reinforcement diameter =50mm
 - Working height d: $d = h concrete cover thickness stirrup diameter \frac{1}{2}$ reinforcement diameter = 500 - 50 = 450mm

$$M_{Rd} \ge M_{Ed}$$
$$M_{Rd} = \mu * b * d^2 * \eta * f_{cd}$$
$$M_{Ed} = 93304Nm$$

- The ULS condition: $\Rightarrow \mu \ge \frac{M_{Ed}}{1700 * d^2 * \eta * f_{cd}} = \frac{93304 * 10^3}{1700 * 450^2 * 1 * 16.7} = 0.02$ $\Rightarrow \frac{x}{d} = 0.066 < 0.45$ $\Rightarrow \frac{z}{d} = 0.977 \Rightarrow z = 0.977 * d = 440mm$
- On the other hand we have the relationship: $M_{Rd} = A_s * f_{yd} * z$, So the area of reinforcement steel can be determined as follows:

$$A_{s} \ge \frac{M_{Ed}}{f_{yd} * z} = \frac{93304 * 10^{3}}{434.8 * 440} = 490mm^{2} = 4.9cm^{2}$$

• We choose $2 \phi 14 + 1 \phi 16$ (A_s = 5.1 cm²) for flexural reinforcements. \Rightarrow The resistance of the section is $M_{Rd,b}^+ = +98kNm$ and the over-strength factor is $\frac{98}{M_{Rd,b}} = 1.05$.

The normalised flexural reinforcements are :

$$\rho = \frac{A_s}{b_w^* d} = \frac{5.1}{25^* (50 - 3.0 - 0.6 - \frac{1.6}{2})} = 0.004$$

- For M^- :
 - Beam's dimensions : b=250mm ; h=500mm
 - Concrete cover thickness $+\frac{1}{2}$ reinforcement diameter + stirrup diameter = 60mm
 - Working height d: d = h concrete cover thickness ½ reinforcement diameter = 500-60=440mm

$$M_{Rd} \ge M_{Ed}$$

 $M_{Rd} = \mu * b * d^2 * \eta * f_{cd}$
 $M_{Ed} = 181173Nm$

• The ULS condition: $\Rightarrow \mu \ge \frac{M_{Ed}}{b^* d^2 * \eta * f_{cd}} = \frac{181173 * 10^3}{250 * 440^2 * 1 * 16.7} = 0.247$ $\Rightarrow \frac{x}{d} = 355 < 0.45$

$$\Rightarrow \frac{z}{d} = 0.85 \Rightarrow z = 0.85 * d = 374mm$$

Area of reinforcement steel can be determined as follows:

$$A_{s} \ge \frac{M_{sd}}{f_{vd} * z} = \frac{181173 * 10^{3}}{434.8 * 374} = 1114mm^{2} = 11cm^{2}$$

- We choose $2 \phi 18 + 1 \phi 20 + 2\phi 10(A_s = 11.9 \text{ cm}^2)$ or $2 \phi 20 + 2 \phi 18$ for flexural reinforcements. \Rightarrow The resistance of the section is $M_{Rd,b}^- = -208kNm$ and the overstrength factor is $\frac{208}{181.2} = 1.14$.
- The normalised flexural reinforcements are :

$$\rho = \frac{A_s}{b_w^* d} = \frac{11.9}{25^* (50 - 3.0 - 0.6 - \frac{2.0}{2})} = 0.01$$

- Flexural Reinforcing steel of right side of beam: $M^+ = 75000Nm$ $M^- = -172000Nm$
 - For M^+ :
 - Beam's dimensions : b=250mm ; h=500mm
 - Concrete cover thickness $+ \frac{1}{2}$ reinforcement diameter =50mm
 - Effective height d: d = h concrete cover thickness ½ reinforcement diameter = 500-50=450mm

$$M_{Rd} \ge M_{Ed}; M_{Rd} = \mu * b * d^2 * \eta * f_{cd}; M_{Ed} = 75000 Nm$$

• The ULS condition: $\Rightarrow \mu \ge \frac{M_{Ed}}{b^* d^2 * \eta * f_{cd}} = \frac{75000 * 10^3}{250 * 450^2 * 1 * 16.7} = 0.088$

$$\Rightarrow \frac{x}{d} = 0.152 < 0.45; \Rightarrow \frac{z}{d} = 0.94 \Rightarrow z = 0.94 * d = 423mm$$

• Area of reinforcement steel can be determined as follows:

$$A_{s} \ge \frac{M_{Ed}}{f_{yd} * z} = \frac{75000 * 10^{3}}{434.8 * 423} = 408mm^{2} = 4.1cm^{2}$$

- We choose $3 \neq 14$ (A_s = 4.62 cm²) for flexural reinforcements. \Rightarrow The resistance of the section is $M_{Rd,b}^+ = +119kNm$ and the over-strength factor is $\frac{119}{75} = 1.59$.
- The normalised flexural reinforcements are :

$$\rho = \frac{A_s}{b_w^* d} = \frac{4.62}{25^* (50 - 2.0 - 0.6 - \frac{1.4}{2})} = 0.004$$

- For M^- :
 - Beam's dimensions : b=250mm ; h=500mm
 - Concrete cover thickness $+ \frac{1}{2}$ reinforcement diameter =60mm
 - Working height d: d = h concrete cover thickness ¹/₂ reinforcement diameter = 500-60=440mm

$$M_{Rd} \ge M_{Ed}; M_{Rd} = \mu * b * d^2 * \eta * f_{cd}; M_{Ed} = -172000 Nm$$
$$M_{Ed} = 172000 * 10^3$$

• The ULS condition: $\Rightarrow \mu \ge \frac{M_{Ed}}{b^* d^2 * \eta * f_{cd}} = \frac{172000 * 10^5}{250 * 440^2 * 1 * 16.7} = 0.212$

$$\Rightarrow \frac{x}{d} = 0.30 < 0.45; \Rightarrow \frac{z}{d} = 0.88 \Rightarrow z = 0.88 * d = 387.2mm;$$

Area of reinforcement steel can be determined as follows:

$$A_{s} \ge \frac{M_{Ed}}{f_{yd} * z} = \frac{172000 * 10^{3}}{434.8 * 387.2} = 1022mm^{2} = 10.2cm^{2}$$

- We choose $3 \neq 18+2 \neq 10$ (A_s = 10.2 cm²) for flexural reinforcements. \Rightarrow The resistance of the section is $M_{Rd,b}^- = -174 kNm$ and the over-strength factor is $\frac{174}{172} = 1.01$.
- The normalised flexural reinforcements are :

$$\rho = \frac{A_s}{b_w^* d} = \frac{10.2}{25^* (50 - 2.0 - 0.6 - \frac{1.8}{2})} = 0.01$$

V.2.5.3 Specific measures for the flexural reinforcement.

- Min/max reinforcing steel
 - In accordance to 5.4.3.1.2 EC8 [3], minimum tension reinforcement ratio shall not exceed the value: $\rho_{\min} = 0.5 * \frac{f_{ctm}}{f_{yk}} = 0.5 * \frac{0.6}{500} = 0.0006 (5.12 EC8 [3]).$

 \rightarrow The reinforcement content is satisfactory.

According to 5.4.3.1.2 – EC8 [3], Within the critical regions, the tension reinforcement ratio shall not exceed the value below: $\rho_{\text{max}} = \rho' + \frac{0.018}{\mu_{\phi} * \varepsilon_{\text{syd}}} * \frac{f_{cd}}{f_{yd}}$

Where:

- μ_{ϕ} Curvature ductility, $T_1 = 0.67s > T_C = 0.6s \rightarrow \mu_{\phi} = 2^*q_0 1 = 6.8$.
- ρ' = 0.004
- $\mathcal{E}_{sd,y} = \frac{f_{yd}}{E_s} = \frac{434.8}{200000} = 0.00217 \rightarrow \rho_{max} = 0.004 + \frac{0.018}{6.7 * 0.00217} * \frac{16.7}{434.8} = 0.05 > 0.018$

\rightarrow The reinforcement content is satisfactory.

• Longitudinal bar diameters:

According to 5.6.2.2 - EC8 [3], to prevent the bond failure, the diameter of longitudinal bars of the beams is limited as the following conditions:

- For interior beam - column joints:

$$\frac{d_{bL}}{h_{C}} \le \frac{7.5 * f_{ctm}}{\gamma_{Rd} * f_{yd}} * \frac{1 + 0.8\nu_{d}}{1 + 0.75 * k_{D} * \frac{\rho'}{\rho_{max}}}$$

Where:

- h_c is the width of the column parallel to the bars, so $h_c = 250$ mm.
- f_{ctm} : is the mean value of the tensile strength of concrete $\rightarrow f_{ctm} = 2.6 \text{N/mm}^2$.
- $F_{yd} = 434.8$ Mpa.
- v_d is the normalised design axial force in column, taken with its minimum value

for seismic design situation.
$$v_d = \frac{N_{Ed}}{f_{cd} * A_C}$$

 $N_{Ed} = -1288000N; f_{cd} = 16.67Mpa; A_c = 400x500=200000mm^2.$
 $\rightarrow v_d = \frac{N_{Ed}}{f_{cd} * A_C} = \frac{1288000}{16.7 * 200000} = 0.385$

- k_D is the factor reflecting the ductility class equal to 1 for DCH, to 2/3 for DCM.
- ρ' compression steel ratio $\rightarrow \rho' = 0.004$
- $\rho_{max} = 0.05$.
- $\gamma_{\text{Rd}} = 1$.

So:
$$\frac{d_{bL}}{h_c} \le \frac{7.5 * 2.6}{1 * 434.8} * \frac{1 + 0.8 * 0.385}{1 + 0.75 * \frac{2}{3} * \frac{0.004}{0.05}} = 0.056 \rightarrow d_{bL} = 400 * 0.056 = 22.4 \text{mm}$$

\rightarrow The chosen reinforcement is satisfactory.

- For exterior beam – column joints:

$$\frac{d_{bL}}{h_c} \le \frac{7.5 * f_{ctm}}{\gamma_{Rd} * f_{yd}} * 1 + 0.8\nu_d \iff \frac{d_{bL}}{h_c} \le 4.0 * \frac{f_{ctm}}{f_{yd}} * (1 + 0.8 * \nu_d)$$

Where:

- h_c is the width of the column parallel to the bars, so $h_c = 600$ mm.
- f_{ctm} : is the mean value of the tensile strength of concrete $\rightarrow f_{ctm} = 2.6 \text{N/mm}^2$.
- $F_{vd} = 434.8$ Mpa.

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- v_d is the normalised design axial force in column, taken with its minimum value for seismic design situation. $v_d = \frac{N_{Ed}}{f_{cd} * A_C}$ $N_{Ed} = -896000N$; $f_{cd} = 16.67Mpa$; $A_c = 400x500=200000mm^2$. $\rightarrow v_d = \frac{N_{Ed}}{f_{cd} * A_C} = \frac{896000}{16.7 * 200000} = 0.268$
- k_D is the factor reflecting the ductility class equal to 1 for DCH, to 2/3 for DCM.
- ρ' compression steel ratio $\rightarrow \rho' = 0.004$
- $\rho_{max} = 0.05$.
- $\gamma_{\text{Rd}} = 1$.

So: $\frac{d_{bL}}{h_c} \le \frac{7.5 \times 2.6}{1 \times 434.8} \times (1 + 0.8 \times 0.268) = 0.054 \text{ Or: } \frac{d_{bL}}{h_c} \le \frac{7.5 \times 2.6}{1 \times 434.8} \times \frac{1 + 0.8 \times 0.268}{1 + 0.75 \times \frac{2}{3} \times \frac{0.0047}{0.05}} = 0.052$

 $\rightarrow d_{bL} = 400*0.054=21.6$ mm \rightarrow The chosen reinforcement is satisfactory.

- Top reinforcement of the beam.
 - In accordance to 2.7.3.4 part 1-3 ENV8, one fourth of the maximum top reinforcement shall run along the entire beam length.
 - Two ϕ 18 bars will run along the entire span.

V.2.5.4 Shear resistance

- Design shear forces computed in accordance to the capacity design criterion:
 - According to 5.4.2.2 EC8 [3], in the primary seismic beams shear forces shall be calculated in accordance with the capacity design rule
 - The calculation of shear forces as following the sketch below:



- Determining M^+_{Ard1} , M^-_{BRd1} , M^-_{Ard2} , M^+_{BRd2} , V_{A0} , V_{B0} .
 - M^+_{Ard1} : The bottom reinforcement area of longitudinal bars is $2\phi 14+1\phi 16$ (5.1cm²), we determine the value of M_{Ard1} as following:

$$F_{as1} = f_{yd} * A_{s1} = 434.8 * 510 = 221748Nmm$$

$$F_c = \eta * f_{cd} * b * (h - z) = 16.7 * 250 * (500 - z)$$

$$= 4175 * (500 - z)$$

$$\sum F_{asi} = F_c \rightarrow 221748 = 4175 * (500 - z)$$

$$\rightarrow z = 446.9mm$$

$$M^+_{_{ARd1}} = \sum F_{asi} * b_{asi} + F_c * b_c$$

$$b_{as} = z - coating - \phi stirrup - \frac{1}{2}\phi bars$$

$$b_{as1} = b_{as2} = 446.9 - 20 - 6 - 7 = 413.9mm$$

$$b_c = \frac{h - z}{2} = \frac{500 - 446.9}{2} = 26.6mm$$

$$\rightarrow M^+_{_{ARd1}} = 221748 * 413.9 + 4175 * (500 - 446.9) * 26.6 = 97678517Nmm \rightarrow M^+_{_{ARd1}} = 98KNm$$

- M_{Ard2}^{-} : The top reinforcement area of longitudinal bars is $2\phi 18 + 2\phi 20(A_s = 11.9 \text{ cm}^2)$, we determine the value of M_{Ard2} as following:

$$\sum F_{asi} = f_{yd} * A_{si} = 434.8 * 1190 = 517412Nmm$$

$$F_{c} = \eta * f_{cd} * b * (h - z) = 16.7 * 250 * (500 - z) = 4175 * (500 - z)$$

$$\sum F_{asi} = F_{c} \rightarrow 517412 = 4175 * (500 - z) \rightarrow z = 376mm$$

$$M_{ARd2}^{-} = \sum F_{asi} * b_{asi} + F_{c} * b_{c}$$

$$b_{asi} = z - coating - \phi stirrup - \phi transverse \frac{1}{2} \phi bars$$

$$b_{as1} = 376 - 20 - 6 - 10 = 340mm$$

$$b_{c} = \frac{h - z}{2} = \frac{500 - 376}{2} = 62mm$$

$$\rightarrow M_{ARd2}^{-} = 434.8 * 1190 * 340 + 4175 * (500 - 376) * 62 = 208017480Nmm \rightarrow M_{ARd2}^{-} = 208KNmm$$

- M_{BRd1}^{-} :

The top reinforcement area of longitudinal bars is $4 \phi 18(A_s = 10.2 \text{ cm}^2)$, we determine the value of M_{BRd1} as following:

$$\begin{split} \sum_{asi} F_{asi} &= f_{yd} * A_{si} = 434.8 * 1020 = 443496Nmm \\ F_c &= \eta * f_{cd} * b * (h - z) = 16.7 * 250 * (500 - z) \\ &= 4175 * (500 - z) \\ \sum_{asi} F_{asi} &= F_c \rightarrow 443496 = 4175 * (500 - z) \\ &\rightarrow z = 394mm \\ M_{BR41}^{-} &= \sum_{asi} * b_{asi} + F_c * b_c \\ b_{asi} &= z - coating - \phi stirrup - \phi transverse \frac{1}{2} \phi bars \\ b_{as1} &= 394 - 20 - 6 - 20 - 9 = 339mm \\ b_c &= \frac{h - z}{2} = \frac{500 - 394}{2} = 53mm \\ &\rightarrow M_{BR41}^{-} &= 434.8 * 1020 * 339 + 4175 * (500 - 394) * 53 = 173800294Nmm \rightarrow M_{BR41}^{-} = 174KN \\ M_{BR42}^{+} &: \end{split}$$

The bottom reinforcement area of longitudinal bars is $3\phi 14$ (4.62cm²), we determine the value of M_{BRd2} as following:

$$F_{as1} = f_{yd} * A_{s1} = 434.8 * 462 = 200877.6Nmm$$

$$F_c = \eta * f_{cd} * b * (h - z) = 16.7 * 250 * (500 - z) = 4175 * (500 - z)$$

$$\sum F_{asi} = F_c \rightarrow 200877.6 = 4175 * (500 - z)$$

$$\rightarrow z = 452mm$$

$$M_{BRd2}^{+} = \sum F_{asi} * b_{asi} + F_{c} * b_{c}$$

$$b_{as} = z - coating - \phi stirrup - \frac{1}{2}\phi bars$$

$$b_{as1} = b_{as2} = 452 - 20 - 6 - 7 = 419mm$$

$$b_{c} = \frac{h - z}{2} = \frac{500 - 452}{2} = 24mm$$

$$\rightarrow M_{BRd2}^{+} = 200877.6 * 419 + 4175 * (500 - 452) * 24 = 88977314Nmm \rightarrow M_{BRd2}^{+} = 89KNm$$
Determining N_{e} and N_{e} is

$$V_{B0} = V_{A0} = \frac{3750*5}{2} + \frac{32850*5}{2*2} = 50437.5N = 50.4KN$$

- So we have:

$$V_{M1} = -\gamma_{Rd} * \frac{(M_{ARd1} + M_{BRd1})}{l} = -1 * \frac{98 + 174}{5} = -54.4$$
$$V_{M2} = \gamma_{Rd} * \frac{(M_{ARd2} + M_{BRd2})}{l} = 1 * \frac{208 + 89}{5} = 59.4$$
$$V_{B0} = V_{A0} = 50.4 KN$$

At support A: V_{min} = V_{M1} + V_{A0} = -54.4+50.4=-4 ;V_{max} = V_{M2} + V_{A0} = 49.4+50.4=109.8
At support B:

$$V_{min} = -V_{M2} + V_{B0} = -59.4 + 50.4 = -9; V_{max} = V_{M1} + V_{B0} = 54.4 + 50.4 = 104.8$$

- V_{ccd} and V_{Rd} Computations :
 - In the critical sections: $V_{ccd} = 0$
 - Outside the critical sections: $V_{ccd} = V_{Rd,c}$.
 - In accordance with EC(2) 4.3.2.3 and neglecting the axial force influence, the value of $V_{Rd,c}$

Table V.5 – Shear resistance of concrete section

EN 1992

$$V_{Rd,c} = \left[\frac{0.18}{\gamma_c} * k * (100 * \rho_l * f_{ck})^{1/3} - 0.15 * \sigma_{cp}\right] * b_w * d$$

• f_{ck} – is compressed strength of the concrete at the age of 28 days. $\gamma_c = 1.5$

•
$$k = 1 + \sqrt{\frac{200}{d}} \le 2.0 \text{ d} - \text{mm}.$$

- $\rho_l = \frac{A_{sl}}{b_w * d} \le 0.02$ where:
- A_{sl} is the area of tension reinforcements.
- b_w is the minimum width.
- $\sigma_{cp} = \frac{N_{sd}}{A_c}$; N_{sd} is the longitudinal force. MPa
- Replacing with the value of f_{ck} is 25MPa, reinforcing steel percentage is 0.01, so we have:

$$V_{Rd,c} = \left[\frac{0.18}{1.5} * 1 * (100 * 0.01 * 25)^{1/3}\right] * 250 * 464$$
$$= 40703N = 40.7KN$$

- Computations
 - The computations shall run in accordance to 6.2.1(2) EN1992 and the specific rules shall get along with truss model (EN1998)
 - According to 6.2.1(2) EN 1992, the shear resistance of a member with shear reinforcement is equal to $V_{Rd} = V_{Rd,s} + V_{ccd} + V_{td}$. V_{td} is the design value of the shear component of the force in the tensile reinforcement, in the case of an inclined tensile chord, so $V_{td} = 0$ and $V_{cc,d} = 0$. So:

$$V_{Rd} = V_{Rd,s} + V_{ccd}$$
$$V_{Rds} = \frac{A_{sw}}{s} * z * f_{ywd} * \cos \theta$$

- In critical regions (2*height of the beams) shear force will be carried out only by the stirrups. We choose stirrups with 2 legs, of 6mm in diameter and 80mm spacing. Shear force capacity is:

$$V_{Rd} = V_{Rds} = \frac{57}{80} * 450 * 434.8 = 139408N = 139.4KN >> V_{max}.$$

- Outside critical regions, shear forces are carried out by stirrups with 2 legs, 6mm in diameter and 150mm spacing. Shear force capacity is:

$$V_{Rd} = V_{Rd,c} + V_{Rds} = \frac{57}{120} * 464 * 434.8 = 95KN$$

• Along the whole beam length, shear force must be less than the value of $V_{\text{Rd,max}}$ which is the design value of the maximum shear force which can be sustained by the member, limited by crushing of the compression struts.

 $V_{Rd,max} = \alpha_{cw} \ast \ b_w \ast z \ast v_1 \ast f_{cd} \ / \ (cot\theta + tan\theta \)$ Where:

 v_1 is a strength reduction factor for concrete cracked in shear

 α_{cw} is a coefficient taking account of the state of the stress in the compression chord.

So:
$$v_l = 0.6* \left[1 - \frac{f_{ck}}{250} \right] = 0.6*0.9 = 0.54 \text{ and } \alpha_{cw} = 1$$

 $\rightarrow V_{Rd,max} = 1*250*464*16.7/(1+1)=968KN > V_{max}$

V.2.5.5 Specific measures

- Detailing:
 - In accordance to 5.4.3.1.2(6P) EC8 [3], the stirrup minimum diameter within the critical regions is 6mm this requirement is met.
 - The first hoop is placed not more than 50mm from the end cross section of the beam this requirement is met.
 - Within the critical regions, the spacing of the hoops is not greater than:

 $h_w/4 = 125mm; 24*d_{hw} = 24*6 = 144mm; 225mm$

$$8 * d_{h} = 8 * 14 = 112 mm$$

• Casting and Placing for beam : All requirements are met.




V.2.6 <u>REINFORCEMENT OF OTHER BEAMS</u>

The reinforcement of other beams of the transverse frame will be determined by using the similar ways as the beams on the first floor. They are summarized as following tables.

| | | 1 | | | | | | U | | | |
|-------|----------|----------|---------|----------------|----------------|------------------|--------------------|------------|------------|----------|----------|
| Floor | Position | Sections | b_{w} | b _c | h _w | b _{eff} | $\Delta_{\rm nom}$ | M^+_{Ed} | M^+_{Rd} | M_{Ed} | M_{Ed} |
| level | of | of | (mm) | (mm) | (mm) | (mm) | (mm) | (kNm) | (kNm) | (kNm) | (kNm) |
| | column | beams | | | | | | | | | |
| 1-2 | External | End | 250 | 500 | 500 | 1700 | 30 | 93.3 | 98 | -181.1 | -208 |
| 1-2 | Internal | End | 250 | 500 | 500 | 1700 | 30 | 75.6 | 89 | -172.1 | -174 |
| 1-2 | Internal | Middle | 250 | 500 | 500 | 1700 | 30 | 38.8 | | | |
| 3-4 | External | End | 250 | 500 | 500 | 1700 | 30 | 60.1 | | -164.3 | |
| 3-4 | Internal | End | 250 | 500 | 500 | 1700 | 30 | 60.9 | | -144.5 | |
| 3-4 | Internal | Middle | 250 | 500 | 500 | 1700 | 30 | 36.0 | | | |
| 5 | External | End | 250 | 500 | 500 | 1700 | 30 | | | -112 | |
| 5 | Internal | End | 250 | 500 | 500 | 1700 | 30 | 12.4 | | -88.8 | |
| 5 | Internal | Middle | 250 | 500 | 500 | 1700 | 30 | 35.7 | | | |
| 6 | External | End | 250 | 500 | 500 | 1700 | 30 | | | -68.3 | |
| 6 | Internal | End | 250 | 500 | 500 | 1700 | 30 | | | -68.8 | |
| 6 | Internal | Middle | 250 | 500 | 500 | 1700 | 30 | 31.7 | | | |

Table V.6: Properties of the section and seismic actions of longitudinal or direction X frame

Table V.7: Designed Longitudinal Reinforcement and specific measures in beams of longitudinal

| frame | |
|---------|--|
| 1101110 | |

| Beams | Position | Sections | Тор | Bottom | ρ | ρ' | ρ_{max} | ρ_{min} | d _{max} | M _{Rd} |
|-------|----------|----------|---------------|-------------------------|------|------|--------------|--------------|------------------|-----------------|
| of | of | of the | Reinforcement | Reinforcement | (%) | (%) | (%) | (%) | (mm) | (KNm) |
| Floor | column | beams | (mm^2) | (mm^2) | | | | | | |
| 1-2 | External | End | 1190 | 510(2\phi14+1\phi16) | 0.45 | 1 | 5.2 | 0.26 | 28 | -208 |
| 1-2 | Internal | End | 1020 | 462(3\operatorname{14}) | 0.4 | 0.9 | 5.2 | 0.26 | 28 | -174 |
| 1-2 | Internal | Middle | 508 | 308(2\operatorname{14}) | 0.27 | 0.45 | 5.2 | 0.26 | 26 | |
| 3-4 | External | End | 1020 | 462(3\phi14) | 0.4 | 0.9 | 5.2 | 0.26 | 26 | |
| 3-4 | Internal | End | 816 | 462(3\operatorname{14}) | 0.4 | 0.72 | 5.2 | 0.26 | 26 | |
| 3-4 | Internal | Middle | 508 | 462(3\operatorname{14}) | 0.4 | 0.45 | 5.2 | 0.26 | 26 | |
| 5 | External | End | 620 | 308(2\phi14) | 0.5 | 0.27 | 5.2 | 0.26 | 26 | |
| 5 | Internal | End | 620 | 308(2\phi14) | 0.5 | 0.27 | 5.2 | 0.26 | 26 | |
| 5 | Internal | Middle | 620 | 308(2\u00f614) | 0.5 | 0.27 | 5.2 | 0.26 | 26 | |
| 6 | External | End | 462 | 308(2\phi14) | 0.4 | 0.27 | 5.2 | 0.26 | 26 | |
| 6 | Internal | End | 462 | 308(2\u00fb14) | 0.4 | 0.27 | 5.2 | 0.26 | 26 | |
| 6 | Internal | Middle | 462 | 308(2\phi14) | 0.4 | 0.27 | 5.2 | 0.26 | 26 | |

Table V.8: Designed Stirrup Reinforcement and specific measures in beams of longitudinal

| | | fi | rame | | | | |
|----------|------------------|------------------|-------------|---------|---------|-----------------|--------------------|
| Beams of | Sections of the | V _{max} | φ - stirrup | Number | Spacing | V _{Rd} | V _{Rdmax} |
| Floor | beams | (KN) | (mm) | of legs | | (KN) | (KN) |
| 1-2 | Critical region | 100 | 6 | 2 | 80 | 145 | 1053 |
| 1-2 | Outside critical | 76.6 | 6 | 2 | 120 | 129 | 1053 |
| | region | | | | | | |
| 3-4 | Critical region | 93.9 | 6 | 2 | 80 | 145 | 1053 |
| 3-4 | Outside critical | 70.4 | 6 | 2 | 120 | 129 | 1053 |
| | region | | | | | | |
| 5-6 | Critical region | 73.8 | 6 | 2 | 80 | 145 | 1053 |
| 5-6 | Outside critical | 50.3 | 6 | 2 | 120 | 129 | 1053 |
| | region | | | | | | |

VI <u>COLUMN DESIGN</u>

VI.1 <u>Ground story column in axis B2 (members 121-122 transverse frame or members 97-98 longitudinal frame)</u>

VI.1.1 Geometrical restraint

- Cross section dimensions: In accordance to 5.5.1.2.2 (1P) EC8 [3], the minimum crosssectional dimension of primary seismic columns shall be not less than 250 mm →Because the cross section dimensions for the ground–level columns are 400x500, so this condition is met.
- According to 5.4.1.2.2 (1), unless $\theta \le 0.1$ (4.4.2.2(2) EC8 [3]), the cross-sectional dimensions of primary seismic columns should not be smaller than one tenth of the larger distance between the point of contra-flexure and the ends of the column, for bending within a plane parallel to the column dimension considered \rightarrow Because of $\theta \le 0.1$, so this condition must not be checked.

VI.1.2 Action effects due to the analysis for the seismic combination

- In order to design the member 121-122, we will determine the actions from two members: 121-122 and 123-124 (see figures 1 and 2)
- According to result from SAP2000 version 9.0, we have action effects for members 121-122 and 123-124 as following tables:

| Seismic | Te | op for member 12 | 22 | Bottom for member 123 | | | |
|-----------------------|-------------|------------------|-------------|-----------------------|-------------|-------------|--|
| directions | N (axial | V(for shear | M (bending) | N (axial | V(for shear | M (bending) | |
| | force) – KN | force) - KN | - KNm | force) -KN | force) – KN | – KNm | |
| Transverse | 1255 | 975 | 121.5 | 1056 | 06 | 144 | |
| Seism $Y \rightarrow$ | -1233 | 07.5 | -121.3 | -1030 | 90 | 144 | |
| Longitudinal | 1288 | 70.0 | 110 | 1075 | 83.6 | 126 | |
| Seism $X \rightarrow$ | -1200 | 79.0 | -110 | -1075 | 85.0 | 120 | |
| Transverse | 1201 | 97.2 | 121.1 | 1076 | 04.7 | 1/12 | |
| Seism $Y \leftarrow$ | -1291 | -07.5 | 121.1 | -1070 | -94.7 | -143 | |
| Longitudinal | 1255 | 70.5 | 111 | 1054 | 916 | 127 | |
| Seism $X \leftarrow$ | -1255 | -19.5 | 111 | -1034 | -04.0 | -127 | |

Table VI.1 Calculated Action effects for members 121-122 and 123-124

Table VI.2 Action effects for the base of members 121-122.

| | Base of member 121 | | | | | | | | |
|----------------|--------------------|-----------------|-----------------|----------------------------------|-------------|-------------|--|--|--|
| Seismic | Seis | mic Direction ` | $Y \rightarrow$ | Seismic Direction $X \leftarrow$ | | | | | |
| directions | N (axial | V(for shear | M (bending) | N (axial | V(for shear | M (bending) | | | |
| | force) – KN | force) - KN | - KNm | force) -KN | force) – KN | – KNm | | | |
| Transverse Y | -1273 | 87.5 | 185 | -1308 | -87.3 | -184.4 | | | |
| Longitudinal X | -1306 | 79.0 | 166.5 | -1272 | -79.5 | -167.4 | | | |

VI.1.3 Flexural reinforcement for columns

VI.1.3.1 Design bending moment:

For columns DCM, the design bending moments are determined in accordance to the capacity design criterion 5.4.2.3 – EC8. So, the sketch of designing column is the following pictures: ^M_{CSd1}



| Table | VI.3: | Applied | bending | moments | for | column | member | 121-122 | in | transverse | frame | as |
|--------|--------|-----------|-------------|--------------|-----|--------|--------|---------|----|------------|-------|----|
| derive | d from | the analy | ysis of the | e structure. | | | | | | | | |

| Transverse frame | e (Direction | $1 \rightarrow)$ | Transverse frame (Direction $2 \leftarrow$) | | | |
|-----------------------------------|---------------|------------------|--|----------|---------|--|
| Bending Resistance | Over- | Average | Bending Resistance | Over- | Average | |
| of beam | strength | | of beam | strength | | |
| | factor | | | factor | | |
| M_{BRd1}^{-} = -208 KNm | 1.18 | 1.32 | $M^{+}_{BRd2} = +119 \text{ KNm}$ | 1.18 | 1.32 | |
| $M^{+}_{ARd1} = +119 \text{ KNm}$ | 1.45 | | M_{ARd2}^{-} = -208 KNm | 1.45 | | |
| Calculated action | effects of co | olumns | | | | |
| $M_{CSd1} = 14$ | 44.0 KNm | | $M_{CSd2} = 143.1 \text{ KNm}$ | | | |
| $M_{\rm DSd1} = 11$ | 21.4 KNm | | $M_{DSd2} = 121.1 \text{ KNm}$ | | | |

Table VI.4: Applied bending moments for column member 121-122 in longitudinal frame as derived from the analysis of the structure.

| Longitudinal fram | e (Direction | n 1 →) | Longitudinal frame (Direction $2 \leftarrow$) | | | |
|--------------------------------|----------------------------------|--------|--|----------|---------|--|
| Bending Resistance | Bending Resistance Over- Average | | Bending Resistance | Over- | Average | |
| of beam | strength | | of beam | strength | | |
| | factor | | | factor | | |
| M_{BRd1}^{-} = -174 KNm | 1.01 | 1.09 | $M^+_{BRd2} = +89 \text{ KNm}$ | 1.17 | 1.09 | |
| $M^+_{ARd1} = +89 \text{ KNm}$ | 1.17 | | M_{ARd2}^{-} = -174 KNm | 1.01 | | |
| Calculated action | effects of co | olumns | | | | |
| $M_{CSd1} = 1$ | 26.1 KNm | | $M_{CSd2} = 126.6 \text{ KNm}$ | | | |
| $M_{DSd1} = 1$ | 10.1 KNm | | $M_{DSd2} = 111 \text{ KNm}$ | | | |

- According to 4.4.2.3 – EC8, in multi-storey buildings formation of a soft storey plastic mechanism shall be prevented, as such a mechanism might entail excessive local ductility demands in the columns of the soft storey. In frame buildings, with two or more storeys, the following condition should be satisfied at all joints of primary or secondary seismic beams with primary seismic columns: $\Sigma M_{\rm Rc} \ge 1, 3\Sigma M_{\rm Rb}$. – 4.29 where

- $\Sigma M_{\rm Rc}$ is the sum of the design values of the moments of resistance of the columns framing the joint. The minimum value of column moments of resistance within the range of column axial forces produced by the seismic design situation should be used in expression 4.29

- $\Sigma M_{\rm Rb}$ is the sum of the design values of the moments of resistance of the beams framing the joint. When partial strength connections are used, the moments of resistance of these connections are taken into account in the calculation of $\Sigma M_{\rm Rb}$.

So, once the beam resistance in bending M_{BRd1} and M_{BRd2} have been defined, the required moment resistance in columns are computed as:

 $M_{\text{Sd1,CD}} = 1,3 \text{ x } (M_{\text{BRd1}} + M_{\text{BRd2}})/$ (Beam number 31-33): $M^+ = 93304Nm$ $M^- = -181173Nm$

And so, we have: For the top section of column member 121-122 in the transverse frame:

| Direction Y 1 \rightarrow | Direction Y 2 \leftarrow |
|--|--|
| $M_{iR,b} = 1.3 \sum (M_{Rb,i}) = 1.3(208 + 119) = 425$ | $M_{iR,b} = 1.3 \sum (M_{Rb,i}) = 1.3(208 + 119) = 425$ |
| $M_{Sd1,CD} = \frac{121.4}{121.4 + 144} * M_{IR,b} = 0.45 * 425 = 194 KNm$ | $M_{Sd2,CD} = \frac{121.1}{121.1 + 143.1} * M_{tR,b} = 0.46 * 425 = 195.5 KNm$ |

| For the top section of column member 121-122 in | the longitudinal frame: | | | | |
|---|--|--|--|--|--|
| Direction X 1 \rightarrow | Direction X 2 \leftarrow | | | | |
| $M_{iR,b} = 1.3 \sum (M_{Rb,i}) = 1.3(174 + 89) = 342kNm$ | $M_{tR,b} = 1.3 \sum (M_{Rb,i}) = 1.3(174 + 89) = 342kNm$ | | | | |
| $M_{Sd1,CD} = \frac{110.1}{110.1 + 126} * M_{tR,b} = 0.46 * 342 = 157 KN$ | $M_{Sd2,CD} = \frac{111}{111 + 126.6} * M_{tR,b} = 0.47 * 342 = 161 KNm$ | | | | |
| Direction X 1 \rightarrow Direction X 2 \leftarrow $M_{iR,b} = 1.3 \sum (M_{Rb,i}) = 1.3(174 + 89) = 342kNm$ $M_{iR,b} = 1.3 \sum (M_{Rb,i}) = 1.3(174 + 89) = 342kNm$ $M_{sd1,CD} = \frac{110.1}{110.1 + 126} * M_{iR,b} = 0.46 * 342 = 157KNm$ $M_{sd2,CD} = \frac{111}{111 + 126.6} * M_{iR,b} = 0.47 * 342 = 161KN$ For the bottom section of column member 121-122 in the transverse frame: Direction Y 2 \leftarrow $M_{sd1,CD} = 1.3 * 1.32 * 121.4 = 208.3KNm$ $M_{sd2,CD} = 1.3 * 1.32 * 121.1 = 208KNm$ Safe side: Safe side: $M_{sd1,CD} = 1.3 * 1.45 * 121.4 = 229KNm$ $M_{sd2,CD} = 1.3 * 1.45 * 121.1 = 228.3KNm$ For the bottom section of column member 121-122 in the longitudinal frame: Direction X 2 \leftarrow $M_{sd1,CD} = 1.3 * 1.45 * 121.4 = 229KNm$ $M_{sd2,CD} = 1.3 * 1.45 * 121.1 = 228.3KNm$ Safe side: $M_{sd2,CD} = 1.3 * 1.45 * 121.1 = 228.3KNm$ For the bottom section of column member 121-122 in the longitudinal frame: Direction X 1 \rightarrow Direction X 2 \leftarrow $M_{sd1,CD} = 1.3 * 1.09 * 110.1 = 156KNm$ $M_{sd2,CD} = 1.3 * 1.09 * 111 = 157KNm$ Safe side: Safe side: | | | | | |
| Direction Y 1 \rightarrow | Direction Y 2 \leftarrow | | | | |
| $M_{Sd1,CD} = 1.3 * 1.32 * 121.4 = 208.3 KNm$ | $M_{Sd2,CD} = 1.3 \times 1.32 \times 121.1 = 208 KNm$ | | | | |
| Safe side: | Safe side: | | | | |
| $M_{Sd1,CD} = 1.3 * 1.45 * 121.4 = 229 KNm$ | $M_{Sd2,CD} = 1.3 \times 1.45 \times 121.1 = 228.3 KNm$ | | | | |
| For the bottom section of column member 121-12 | 22 in the longitudinal frame: | | | | |
| Direction X 1 \rightarrow | Direction X 2 \leftarrow | | | | |
| $M_{Sd1,CD} = 1.3 * 1.09 * 110.1 = 156 KNm$ | $M_{sd2,CD} = 1.3 \times 1.09 \times 111 = 157 KNm$ | | | | |
| Safe side: | Safe side: | | | | |
| $M_{Sd1,CD} = 1.3 \times 1.17 \times 110.1 = 167 KNm$ | $M_{Sd1,CD} = 1.3 * 1.17 * 111 = 169 KNm$ | | | | |

- In accordance to 4.3.3.5.1 EC8 [3], the computations of the flexural reinforcement takes into account the bi-directional character of the seismic action effects. We take into account two seismic action directions:
 - i. Along X axis
 - ii. Along Y axis
- According to 4.3.3.5.1 (3) EC8 [3], the combination of the horizontal components of the seismic action may be computed using two following combinations:
- a. $E_{Edx} + 0.30 E_{Edy}$
- $b. \quad 0.30E_{Edx}+E_{Edy}.$

So, we have two combinations of efforts:

- a. $M_x = 229$ KNm, $M_y = 0.3*167=50.1$ KNm, N = -1309.3KN
- b. $M_x = 229*0.3=69$ KNm, $M_y = 167$ KNm, N=-1306KN

VI.1.3.2 Column flexural reinforcement:

The designing follows Concise Eurocode 2 [5] and "How to design reinforced concrete using EC2" [6]:



• Check the slenderness:

18-40

- Effective length l₀:

$$l_0 = 0.5 * l * \sqrt{\left(1 + \frac{k_1}{0.45 + k_1}\right) * \left(1 + \frac{k_2}{0.45 + k_2}\right)}$$
(Exp (5.15 - EC2 [2])

Where: k1,k2 are the relative flexibilities of rotational restraints at end 1 and 2. We can compute l_0 as following expression:

$$\label{eq:loss} \begin{split} l_0 &= 0.85*l_{clearance}.\\ L_{clearance} &= H\text{-}h_w = 3500\text{-}500\text{=}3000mm \end{split}$$

 $\rightarrow l_0 = 0.85*3000 = 2550$

- The column slenderness: $\lambda = \frac{l_0}{i}$

Where: i - radius of gyration,

$$i = \sqrt{\frac{I}{F}} = \frac{h}{\sqrt{12}} \text{ or } \frac{b}{\sqrt{12}} \Rightarrow i = \frac{500}{\sqrt{12}} = 144.3 \text{ and } i = \frac{400}{\sqrt{12}} = 115.5$$

So, $\lambda = 17.7$ and $\lambda = 22.1$

- The limiting slenderness, λ_{lim}

$$\lambda_{\rm lim} = 20 * A * B * C / \sqrt{n}$$

Where:

- B=1.1
- A=0.7
- $C=1.7-r_m = 1.7-(-M_{01}/M_{01})=2.7$

•
$$\eta = \frac{N_{Ed}}{A_c * f_{cd}} = \frac{1309000}{400 * 500 * 16.7} = 0.392$$

$$\lambda_{\text{lim}} = 20*0.7*1.1*12.7/\sqrt{0.392} = 68$$

 \rightarrow Column is not slender

• Cover:

 $c_{nom} = c_{min} + \Delta c_{dev} (Exp 4.1 - EC2 [2])$ Where:

- $c_{min,b}$ = diameter of bar. Assume 25mm bars and 8mm hoops
- $c_{min,\ dur}$ = minimum cover due to environmental conditions. Assume XC1 \rightarrow $c_{min,dur}$ = 15mm

 $\rightarrow c_{nom} = 25mm$

• Design moments:

According to 5.8.8.2(1) - EC2 [2], we calculate the design moments for the flexural reinforcements:

$$M_{Ed} = \max \left[M_{02}, M_{Ed} + M_2, M_{01} + 0.5 * M_2 \right]$$

Where:

- $M_{02} = M + e_i * N_{Ed} \ge e_0 * N_{Ed}$
- $e_i = l_0/400$
- $e_{0x} = max(500/30, 20) = 20mm$
- $e_{0y} = max(400/30,20) = 20mm$

So, we have two cases for design moments:

* CASE 1:

$$M_{02x} = 229 + 1309.3 * \frac{2.55}{400} = 235.4 > 0.02 * 1309.3$$
 and N = 1309.3
 $M_{02y} = 50.1 + 1309.3 * \frac{2.55}{400} = 53.8 > 0.02 * 1309.3$

* CASE 2

2:
$$M_{02x} = 69 + 1306 * \frac{2.55}{400} = 76.6 > 0.02 * 1306$$

 $M_{02y} = 167 + 1306 * \frac{2.55}{400} = 160 > 0.02 * 1306$ and N = 1306

• According to [4], we use charts to determine flexural reinforcements: **CASE 1:**

a.
$$\beta = \frac{b - 1.5 * d_b}{h - 1.5 * d_h} = \frac{400 - 1.5 * 40}{500 - 1.5 * 40} = 0.8$$

b. First estimate of $M_{ux} = M_x + \frac{M_y}{\beta} = 235.4 + \frac{53.8}{0.8} = 302.7 kNm$

c.
$$\frac{N_{uy}}{N} = 1 + \frac{M_{ux}}{0.4 * N * (h - 1.5 * d_h^{'})} = 1 + \frac{302.7}{0.4 * 1309.3 * (0.5 - 1.5 * 0.004)} = 2.079 \rightarrow \frac{N}{N_{uy}} = 0.48$$

d. From table 5.4 [4]
$$\rightarrow$$
 a=1.34

e.
$$\rightarrow$$
Corrected M_{ux}: $M_{ux} = \left[M_x^a + \left(\frac{M_y}{\beta} \right)^a \right]^{\frac{1}{a}} = \left[235.4^{1.34} + \left(\frac{53.8}{0.8} \right)^{1.34} \right]^{\frac{1}{1.34}} = 246.3$

f. So,
$$\frac{\frac{M_{ux}}{b*h^2*f_{ck}}}{\frac{N}{b*h*f_{ck}}} = \frac{\frac{246.3*10^6}{400*500^2*25}}{\frac{1309.3*1000}{400*500*25}} = 0.100$$

With the ratios d_{h}/h , $\eta = \frac{N}{b^* h^* f_{ck}}$ and $\frac{M_{ux}}{b^* h^2 * f_{ck}}$ is equal to 0.08, 0.262 and 0.116, we use

the chart number 5.16 and we have $\frac{A_s * f_{yk}}{b*h*f_{ck}} = 0.24 \rightarrow A_s = 2400 \text{mm}^2$. We choose $16\phi 16 - b^2$

 $A_s = 3216 \text{mm}^2$. CASE 2:

a.
$$\beta = \frac{h - 1.5 * d_h}{b - 1.5 * d_b} = \frac{500 - 1.5 * 40}{400 - 1.5 * 40} = 1.294$$

b. First estimate of $M_{uy} = M_y + \frac{M_x}{\beta} = 160 + \frac{76.6}{1.294} = 219.2$

c.
$$\frac{N_{ux}}{N} = 1 + \frac{M_{uy}}{0.4 * N * (b - 1.5 * d_b)} = 1 + \frac{219.2}{0.4 * 1306 * (0.4 - 1.5 * 0.004)} = 2.065 \rightarrow \frac{N}{N_{ux}} = 0.484$$

d. From table 5.4 [4] \rightarrow a=1.34

e.
$$\rightarrow$$
Corrected M_{ux}: $M_{ux} = \left[M_x^a + \left(\frac{M_y}{\beta} \right)^a \right]^{\frac{1}{a}} = \left[160^{1.34} + \left(\frac{76.6}{1.294} \right)^{1.34} \right]^{\frac{1}{1.34}} = 190.6$
f. So, $\frac{M_{ux}}{b^2 * h * f_{ck}} = \frac{190.6 * 10^6}{500 * 400^2 * 25} = 0.100$
 $\frac{N}{b^* h^* f_{ck}} = \frac{1306 * 1000}{400 * 500 * 25} = 0.261$

With the ratios d_b '/b, $\eta = \frac{N}{b^* h^* f_{ck}}$ and $\frac{M_{ux}}{b^* h^2 * f_{ck}}$ is equal to 0.1, 0.261 and 0.119, we use the chart number 5.16 [4] and we have $\frac{A_s * f_{yk}}{b^* h^* f_{ck}} = 0.24 \rightarrow A_s = 2400 \text{mm}^2$. We choose 16\(\phi16) 16 \frac{16}{2\(\phi33.393.393.393.393.393.393.393.393)}

COLUMN REINFROCEMENT SECTION

400

VI.1.3.3 The effective bending moment capacities to uni-axial bending

- Along X direction: M_{x,cap}
 - $A_{s,tot} = 16\phi 16 = 3216 \text{mm}^2$; N = 1295000N



COLUMN REINFORCEMENT SECTION

- We assume that $12\phi16$ are in the tensile area, $4\phi16$ are in the compression area and z is the distance taking from compressed fiber to the neutral axis

$$\begin{split} F_{as} &= \sum F_{asi} = \sum A_{si} * f_{yd} = 12 * 201 * 434.8 = 1048737.6 \\ F_{ai} &= \sum F_{aii} = \sum A_{si} * f_{yd} = 4 * 201 * 434.8 = 349579.2 \\ F_{c} &= f_{cd} * b * (h - z) = 16.7 * 400 * (500 - z) = 6680 * (500 - z) \\ &\rightarrow F_{as} + N = F_{ai} + F_{c} \\ &\leftrightarrow 1048737.6 + 1295000 = 349579.2 + 6680(500 - z) \\ &\rightarrow 500 - z = 298.5 \rightarrow z = 201.5 mm \end{split}$$

- The condition of z is that: $(38+16) < 500-z < (38+16+69.6) \rightarrow 54 < 298.5 < 123$, so the value of z is not correct.
- We assume that the neutral axis will run through the right third layer reinforcement; so there are over $6\phi16$ in compression zone and over $8\phi16$ in tension zone.

$$\begin{split} F_{as1} &= A_{s1} * f_{yd} = 4 * 201 * 434.8 = 349579.2 \\ F_{as2} &= F_{as3} = A_{s2} * f_{yd} = 2 * 201 * 434.8 = 219789.6 \\ F_{as4} &= A_{s4} * f_{yd} * \frac{z - 282.8}{16} \\ F_{ai1} &= A_{cs1} * f_{yd} = 4 * 201 * 434.8 = 349579.2 \\ F_{ai2} &= A_{cs2} * f_{yd} = 2 * 201 * 434.8 = 219789.6 \\ F_{ai3} &= A_{s4} * f_{yd} * (1 - \frac{z - 282.8}{16}) \\ F_{c} &= f_{cd} * b * (h - z) = 16.7 * 400 * (500 - z) = 6680 * (500 - z) \\ &\rightarrow \sum F_{si} + N = \sum F_{ai} + F_{c} \\ &\rightarrow z = 287.4 mm \end{split}$$

The condition of z is that $282.8 \le z \le 282.8 + 16 = 298.8$, so this condition is met - Plastic moment will be calculated as following:



PLASTIC MOMENT CALCULATION (38+8) = 241.4mm

$$\begin{split} b_{as1} &= z - a_{s1} = 287.4 - (38 + 8) = 241.4mm \\ b_{as2} &= z - a_{s2} = 287.4 - (38 + 16 + 65.6 + 8) = 159.8mm \\ b_{as3} &= z - a_{s3} = 287.4 - (38 + 16 * 2 + 65.6 * 2 + 8) = 78.2mm \\ b_{as4} &= 287.4 - 282.8 = 4.6mm \\ b_{cs1} &= h - z - a_{cs1} = 500 - 287.4 - (38 + 8) = 166.6mm \\ b_{cs2} &= h - z - a_{cs2} = 500 - 287.4 - (38 + 16 + 65.6 + 8) = 85mm \\ b_{cs3} &= 16 - b_{as4} = 16 - 4.6 = 11.4mm; \\ b_c &= \frac{500 - z}{2} = 106.3mm \\ F_c &= 16.7 * (500 - 287.4) * 400 = 1420168N \\ M_{x,cap} &= \sum F_{asi} * b_{asi} + \sum F_{csi} * b_{csi} + F_c * b_c = \\ &= 349579.2 * (241.4 + 166.6) + 219789.6 * (159.8 + 78.2 + 85) + 219789.6 * \frac{4.6}{16} * 4.6 \\ &+ 219789.6 * \frac{11.4}{16} * 11.4 + 1420168 * 106.3 = 366660126Nmm = 367KNm \end{split}$$

• Along Y direction: M_{y,cap} $A_{s,tot} = 16\phi 16 = 3216 \text{mm}^2; \text{ N} = 1306000 \text{N}$

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PLASTIC MOMENT CALCULATION

- We assume that $10\phi16$ are in the tensile area, $6\phi16$ are in the compression area and z is the distance taking from compressed fiber to the neutral axis

$$F_{as} = \sum F_{asi} = \sum A_{si} * f_{yd} = 10 * 201 * 434.8 = 873948.0$$

$$F_{ai} = \sum F_{aii} = \sum A_{si} * f_{yd} = 6 * 201 * 434.8 = 524368.8$$

$$F_{c} = f_{cd} * b * (h - z) = 16.7 * 500 * (400 - z) = 8350 * (400 - z)$$

$$\rightarrow F_{as} + N = F_{ai} + F_{c}$$

$$\leftrightarrow 873948.0 + 1306000 = 524368.8 + 8350(400 - z)$$

$$\rightarrow 400 - z = 198.3 \rightarrow z = 201.7mm$$

- The condition of z is that: $(38+16) < 400 z < (38+16+86.7) \rightarrow 54 < 198.3 < 140$, so the value of z is not correct.
- We assume that the neutral axis will run through the first layer reinforcement; so there are less than 8\phi16 in compression zone and over 8\phi16 in tension zone.

$$\begin{split} F_{as1} &= A_{s1} * f_{yd} = 6 * 201 * 434.8 = 524368.8 \\ F_{as2} &= A_{s2} * f_{yd} = 2 * 201 * 434.8 = 174789.6 \\ F_{as3} &= A_{s3} * f_{yd} * \frac{z - 243.4}{16} = 2 * 201 * 434.8 * \frac{z - 243.4}{16} = 174789.6 * \frac{z - 243.4}{16} \\ F_{cs1} &= 6 * 201 * 434.8 = 524368.8N \\ F_{cs2} &= A_{as3} * f_{yd} * (1 - \frac{z - 243.4}{16}) = 174789.6 * (1 - \frac{z - 243.4}{16}) \\ F_c &= f_{cd} * b * (h - z) = 16.7 * 500 * (400 - z) = 8350 * (400 - z) \\ &\rightarrow \sum F_{si} + N = \sum F_{ai} + F_c \\ &\leftrightarrow 174789.6 + 174789.6 * \frac{z - 243.4}{16} + 1306000 = 174789.6 * (1 - \frac{z - 243.4}{16}) + 8350 * (400 - z) \\ &\rightarrow z = 243.5mm \end{split}$$

The condition of z is that 243.4 < z < = 243.4 + 16, so this condition is met

- Plastic moment will be calculated as following:

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PLASTIC MOMENT CALCULATION

$$\begin{split} b_{as1} &= z - a_{s1} = 243.5 - (38 + 8) = 197.5 mm; \\ b_{as2} &= z - a_{s2} = 243.5 - (38 + 16 + 86.7 + 8) = 94.8 mm \\ b_{as3} &= z - a_{s3} = 243.5 - 243.4 = 0.1 mm; \\ b_{cs1} &= h - z - a_{cs1} = 400 - 243.5 - (38 + 8) = 110.5 mm \\ b_{cs2} &= 16 - b_{as3} = 16 - 0.1 = 15.9 mm; \\ b_c &= \frac{400 - z}{2} = 78.25 mm \\ F_c &= 16.7 * (400 - 243.5) * 500 = 1306775 N \\ M_{x,cap} &= \sum F_{asi} * b_{asi} + \sum F_{csi} * b_{csi} + F_c * b_c = 524368.8 * (197.5 + 110.5) + 174789.6 * 94.8 + 174789.6 * \frac{0.1}{16} * 0.1 + 174789.6 * \frac{15.9}{16} * 15.9 + 1306775 * 78.25 = 283092682 Nmm = 283KNm \end{split}$$

• The effective reinforcing steel percentages:

$$\rho_x = \frac{A_s}{b*d} = \frac{12*2.01}{40*(50-5.25)} = 0.01684 = 1.684\%; \\ \rho_x = \frac{A_s}{b*d} = \frac{4*2.01}{40*(50-5.25)} = 0.0045 = 0.45\%$$

So, $\rho_{xaa} = 2.13\%;$

$$\rho_{y} = \frac{A_{s}}{b^{*}d} = \frac{10^{*}2.01 + 6^{*}2.01^{*}\frac{356.2 - 355.9}{16}}{50^{*}(40 - 2.19)} = 0.011 = 1.1\%$$

$$\rho_{x}^{'} = \frac{A_{s}^{'}}{b^{*}d} = \frac{6^{*}2.01^{*}\left(1 - \frac{356.2 - 355.9}{16}\right)}{50^{*}(40 - 2.19)} = 0.00626 = 0.63\%$$

$$So, \rho_{xtot} = 1.73\%$$

VI.1.3.4 Specific measures for the flexural reinforcement

• According to 5.4.3.2.1(3) – EC8 [3], in primary seismic columns the value of the normalised axial force v_d shall not exceed the value of 0.65.

$$v_d = \frac{N_{sd}}{A_c * f_{cd}} = \frac{1309.3 * 1000}{400 * 500 * 16.7} = 0.392 < v_{d,\text{max}}$$
, so the condition is met

- According to 5.4.3.2.2(1P) EC8 [3], The total longitudinal reinforcement ratio ρ l shall be not less than 0,01 and not more than 0,04. In symmetrical cross-sections symmetrical reinforcement should be provided ($\rho = \rho'$) \rightarrow The condition is met.
- According to 5.4.3.2.2(2) EC8 [3], at least one intermediate bar shall be provided between corner bars along each column side, to ensure the integrity of the beam-column joints. → The condition is met.

VI.1.3.5 Shear Resistance

- In accordance to 5.4.2.3 EC8 [3], the design values for the acting shear forces shall be determined in accordance with the capacity design criterion, as it follows:
 - According to 5.4.2.3(2), end moments M_{i,d} may be determined from the following

expression:
$$M_{i,d} = \gamma_{Rd} * M_{Rc,i} * \min\left(1, \frac{\sum M_{Rb}}{\sum M_{Rc}}\right)$$
 and γ_{Rd} is equal to 1.1
 $V_{Ed,CD} = \gamma_{Rd} * \frac{M_{DRd} + M_{CRd}}{l_{cl}}$

[C]

Where:

 $l_{cl} = 3500-500=3000 \text{mm}; \gamma_{Rd} = 1.1.$

 $M_{DRd} = M_{CRd} = M_{x,cap} = 283 KNm$. So $V_{Ed, CD} = 208 KN$

- V_{Rd,c} Computations :
 - In accordance with EC(2) 4.3.2.3 and neglecting the axial force influence alue of M CRd1 V_{Rd,c} is calculated as below

$$V_{Rd,c} = \left[C_{Rd,c} * k * (100 * \rho_l * f_{ck})^{1/3} + k_1 * \sigma_{cp}\right] * b_w * d$$
• $C_{Rd,c} = 0.18/\gamma_c$
• f_{ck} - is compressed strength of the concrete at the age of 28 days. $\gamma_c = 1.5$
• $k = 1 + \sqrt{\frac{200}{d}} = 1 + \sqrt{\frac{200}{378.1}} = 1.73 \le 2.0$
• $\rho_l = \frac{A_{sl}}{b_w * d} \le 0.02$ where:
• A_{sl} - is the area of tension reinforcements.
• b_w - is the minimum width.
• $\sigma_{-} = \frac{N_{sd}}{2}$; N_{sd} - is the longitudinal force. So, $\sigma_{-} = \frac{1306*1000}{1306*1000} = 6.53N / mm^2$

•
$$\sigma_{cp} = \frac{N_{sd}}{A}$$
; N_{sd} – is the longitudinal force. So, $\sigma_{cp} = \frac{1306*1000}{500*400} = 6.53N/$

•
$$k_1 = 0.15$$

$$V_{Rd,c} = \left[\frac{0.18}{1.5} *1*(100*0.01*25)^{1/3}\right] *500*378.1 + 0.15*6.53*500*378.1 = 251508.7N = 252KN$$

- Computations
 - The computations shall run in accordance to 6.2.1(2) EN1992 and the specific rules shall get along with truss model (EN1998)
 - According to 6.2.1(2) EN 1992, the shear resistance of a member with shear reinforcement is equal to $V_{Rd} = V_{Rd,s} + V_{ccd} + V_{td}$. V_{td} is the design value of the shear component of the force in the tensile reinforcement, in the case of an inclined tensile

chord, so
$$V_{td} = 0$$
. So: $V_{Rd} = V_{Rd,s} + V_{ccd}$; $V_{Rd,s} = \frac{A_{sw}}{s} * z * f_{ywd} * \cos\theta$

Because of $V_{Rd,c} > V_{Ed, CD}$ so the shear resistance of the concrete of the column is enough to carry the shear forces. So we can choose the hoops with 8mm in diameter and 4 legs, the distance is 100mm.

VI.1.3.6 Specific Measures

- In accordance to 5.4.3.2.2 EC8 [3], in the critical sections of the primary seismic columns the diameter of hoops or cross-tie is at least of 6mm. The diameter of the hoops is of 8mm, so this condition is satisfactory.
- In accordance to 5.4.3.2.2 (11)– EC8 [3], the maximum spacing of the hoops: $s_{max} = min (b_0/2; 175; 8d_{bL}) = min (344/2; 175; 8*16) = 128 mm;$ s = 100mm, so this condition is met.

VI.1.3.7 Local Ductility

- The length of critical regions l_{cr} : According to 5.4.3.2.2 (4) EC8 [3], l_{cr} may be computed as following expression: $l_{cr} = \max\{h_c; l_{cl} / 6; 0.45\} = \max\{0.4, 3/6; 0.45\} = 0.5m$
- According to 5.4.3.2.2 (6P and 7P) EC8 [3], in the critical region at the base of primary seismic columns a value of the curvature ductility factor, μ_{ϕ} , should be provided, and if for the specified value of μ_{ϕ} a concrete strain larger than ε_{cu2} =0.0035 is needed anywhere in the cross-section, compensation for the loss of resistance due to spalling of the concrete shall be achieved by means of adequate confinement of the concrete core. These conditions are met if

the following conditions are satisfied: $\alpha * \omega_{wd} \ge 30 * \mu_{\phi} * v_d * \varepsilon_{sy,d} * \frac{b_c}{b_0} - 0.035$

Where:

ω_{wd} - is the mechanical volumetric ratio of confining hoops within the critical regions.
 So, ω_{wd} is calculated as follows:

$$\omega_{wd} = \frac{volume \, of \, confining \, hoops}{volume \, of \, concrete \, core} * \frac{f_{yd}}{f_{cd}} = \frac{201*444}{100*444*344} * \frac{434.8}{16.7} = 0.15$$

• μ_{ϕ} - is the required value of the curvature ductility factor, $\mu_{\phi} = 6.8$

4



•
$$\varepsilon_{sy,d} = \frac{f_{yd}}{E} = \frac{434.8}{200000} = 0.00217$$
; $b_c = 400; b_0 = 344$

• α - is the confinement effectiveness factor, equal to $\alpha = \alpha_n * \alpha_s$, with

$$\alpha_n = 1 - \frac{\sum b_i^2}{6*b_0*h_0} = 1 - \frac{3*148^2}{6*344*444} = 0.93; \\ \alpha_s = \frac{1 - \frac{5}{2*b_0}}{1 - \frac{s}{2*h_0}} = \frac{1 - \frac{100}{2*344}}{1 - \frac{100}{2*344}} = 0.96$$

$$\alpha = 0.9 \rightarrow 0.9 * 0.15 \ge 30 * 6.8 * 0.319 * 0.00217 * \frac{400}{344} - 0.035 = 0.129$$

DETAILING FOR COLUMN



VI <u>CHECK FOR RESISTANCE BETWEEN COLUMNS AND BEAMS</u>

- According to 4.4.2.3 (3) EC8 [3], in multi-storey buildings formation of a soft storey plastic mechanism shall be prevented, as such a mechanism might entail excessive local ductility demands in the columns of the soft storey.
- According to 4.4.2.3(4) EC8 [3], the following condition should be satisfied at all joints of primary seismic beams and primary seismic columns:

$$\sum M_{Rc} \ge 1.3 * \sum M_{Rb}$$

Where:

- ΣM_{Rc} is the sum of the design values of the moment resistance of the columns framing to the joints.
- ΣM_{Rb} is the sum of the design values of the moment resistance of the beams framing to the joints
- Transverse Frames: It is just necessary to check for the first floor because the reinforcing areas of columns are not changed over their length and the reinforcing areas of the first floor beams are greater than the other beams.
 - $\Sigma M_{Rc} = 366*2 = 732 KNm$
 - $1.3* \Sigma M_{Rb} = 1.3* (M_{BRd1} + M_{BRd2}) = 1.3*(208 + 119) = 425.1 \text{KNm}$
 - $\rightarrow \Sigma M_{Rc}$ = 366*2=732KNm >1.3* ΣM_{Rb} = 422.5 KNm . The condition is met.
- Longitudinal Frames: It is just necessary to check for the first floor because the reinforcing areas of columns are not changed over their length and the reinforcing areas of the first floor beams are greater than the other beams.
 - $\Sigma M_{Rc} = 283*2=566 \text{ KNm} \text{ (from V.1.3.3)}$
 - $1.3* \Sigma M_{Rb} = 1.3* (M_{BRd1} + MB_{Rd2}) = 1.3*(174 + 89) = 341.9 KNm$
 - $\rightarrow \Sigma M_{Rc} = 566 \text{KNm} > 1.3^* \Sigma M_{Rb} = 341.9 \text{ KNm}$. The condition is met.

VII PROVISION CHECK FOR COLUMN-BEAM JOINTS

VII.1 <u>Beam-Column Joint Ductility:</u>

- The Beam-Column joints in the frames play a very important role during an earthquake. Under the horizontal force caused by earthquake the joints are immediately subjected to opposite moments from above and below columns and to similar moments from left and right beams. The internal forces acting on the joints are normally the shear forces. The magnitude of these internal shear forces is usually much greater than those of adjacent elements framing to the joints.
- Normally, the joints should consider as a part of the column and preferably respond within elastic range [4]. They also must have very high ductility to absorb the energy caused by the severe earthquake.
- The chosen ductility of beam-column joints is DCH.

VII.2 Design action effects:

- Action effects will be determined for the interior joint intersection of column members 122-123 and beam members 63-79 in the transverse frame and intersection of column members 98-99 and beam members 33-49 in the longitudinal frame. It is the interior beam-column joint.
- In accordance to 5.5.2.3 EC8 [2], the horizontal shear acting on the core of a joint between primary seismic beams and columns shall be determined taking into account the most adverse conditions under seismic actions.
- According to 5.5.2.3 EC8 [2], simplified expression for the horizontal shear force acting on the concrete core of the joints may be used as follows:

$$V_{jhd} = \gamma_{Rd} * (A_{s1} + A_{s2}) * f_{yd} - V_c$$

Where:

- A_{s1} is the area of the beam top reinforcement.
- A_{s2} is the area of the beam bottom reinforcement.

- V_C is the shear force in the column about the joint, from the analysis in seismic design situation
- γ_{Rd} is a factor to account for over-strength due to steel strain hardening $\gamma_{Rd} \ge 1.2$.
- For the transverse frame:
 - $A_{s1} = 11.9 \text{cm}^2$;
 - $A_{s2} = 6.2 \text{ cm}^2$;
 - $V_{\rm C} = 96.6 {\rm KN}$
 - $\gamma_{\rm Rd} = 1.2$

So: $V_{ibd} = 1.2 * (1190 + 620) * 434.8 - 96600 = 847785.6N = 848 \text{ kN}$

- For the longitudinal frame:
 - $A_{s1} = 10.2 \text{ cm}^2$;
 - $A_{s2} = 4.62 \text{ cm}^2$;
 - $V_C = 86.365 \text{KN}$
 - $\gamma_{Rd} = 1.2$
 - So: $V_{ihd} = 1.2 * (1020 + 462) * 434.8 86365 = 558008.6N = 558 \text{ kN}$

 \rightarrow The values of shear force taking from the transverse frame will be taken into account for maximum values to design the joints.

VII.3 Design resistance evaluation and verification

- Effective joint width: According to 5.5.3.3 EC8 [3], effective joint width b_j is as follows:
 - If $b_c > b_w$: $b_j = \min\{b_c; (b_w + 0.5h_c)\}$ (5.34a)
 - If $b_c < b_w$: $b_j = min\{b_w; (b_c + 0.5h_c)\}$ (5.34b)
- In the transverse frame, the value of column width is of $b_c = 400$ mm and the value of beam width is of $b_w = 250$ mm. So, we have the value of effective joint width is of $b_j = \min\{b_c; (b_w + 0.5h_c)\}$, so: $b_j = \min(400; 250+0.5*500) = 400$ mm.
- In accordance with 5.5.3.3 (1P) EC8 [3], the diagonal compression induced in the joint by the diagonal strut mechanism shall not exceed the compressive strength of concrete in the presence of transverse tensile strains.
- In accordance with 5.5.3.3 (2) EC8 [3], if there is no more precise model to compute the requirements of 5.5.3.3 (1P) may be satisfied by means of following rules: At interior beam-column joints the following expression should be satisfied:

•
$$V_{jhd} \leq \eta * f_{cd} * \sqrt{1 - \frac{\nu_d}{\eta} * b_j * h_{jd}}$$

Where:

$$-\eta = 0.6 * \left(1 - \frac{f_{ck}}{250}\right) So, \eta = 0.6 * \left(1 - \frac{25}{250}\right) = 0.54$$

- h_{jc} – is the distance between extreme layers of column reinforcement, so h_{jc} = 500-40-16=444mm.

 $-b_j = 400.$

- v_d – is the normalised axial force in the column about the joint. So, we have $v_s = \frac{N}{N} = \frac{1065.4 \times 10^3}{100} = 0.319$

$$V_{d} = \frac{1}{b*h*f_{cd}} = \frac{1}{400*500*16.7} = 0.519$$

- f_{ck} = 25MPa
$$V_{jhd} \le \eta * f_{cd} * \sqrt{1 - \frac{V_{d}}{\eta}} * b_{j} * h_{jd}$$

- So, $\leftrightarrow 847785 \le 0.54*16.7* \sqrt{1 - \frac{0.319}{0.54}} * 400*444 \rightarrow \text{the condition is met.}$
 $\leftrightarrow 847785 \le 1024595$

VII.4 Confinement Mechanism

• According to 5.5.3.3 (3) – EC8 [3], adequate confinement (both horizontal and vertical) of the joint should be provided, to limit the maximum diagonal tensile stress of concrete max σ et to *f*etd. In the absence of a more precise model, this requirement may be satisfied by providing horizontal hoops with a diameter of not less than 6 mm within the joint, such that:

$$\frac{A_{sh} * f_{ywd}}{b_{j} * h_{jw}} \ge \frac{\left(\frac{V_{jhd}}{b_{j} * h_{jc}}\right)^{2}}{f_{ctd} + V_{d} * f_{cd}} - f_{ctd}$$

Where:

A_{sh} is the total area of the horizontal hoops. A_{sh} = 4 legs (Φ 8mm)*50.24mm²*(500/100)=1004.8mm². f_{ywd} = 434.8MPa; b_j = 400mm, h_{jw} = 500-40-7-10=443mm;h_{jc} =444mm; f_{ctd} = 2.2MPa; v_d = 0.319 1004 8*434 8 $\left(\frac{847785}{400*444}\right)^2$

$$\rightarrow \frac{1004.8*434.8}{400*443} \ge \frac{(400*444)}{2.2+0.319*16.7} - 2.2.$$
So the condition is satisfied.
2.467 \ge 0.827

• According to 5.5.3.3 (6) – EC8 [3], Adequate vertical reinforcement of the column passing through the joint should be provided, so that:

$$A_{sv,i} \ge \frac{2}{3} * A_{sh} * \frac{h_{jc}}{h_{iw}}$$

Where:

- $A_{sv,i}$ denotes the total area of the intermediate bars placed in the relevant column faces between corner bars of the column (including bars contributing to the longitudinal reinforcement of columns). So $A_{sv,i} = 12\phi 16 = 2412 \text{mm}^2$.
- $A_{sh} = 1004.8 \text{mm}^2$.
- $h_{jc} = 444; h_{jw} = 443$

So, we have:
$$A_{sv,i} \ge \frac{2}{3} * A_{sh} * \frac{h_{jc}}{h_{jw}} \leftrightarrow 2412 \ge \frac{2}{3} * 1004.8 * \frac{444}{443} = 671 \rightarrow \text{the condition is met.}$$

Alternatively, Eurocode 8 indicates another design check about the transverse reinforcements in

the beam-column node: $A_{sh}f_{ywd} \ge \gamma_{Rd}(A_{s1}+A_{s2})f_{yd}(1-0.8\nu_d)$

 $\begin{array}{lll} A_{sh} = 1004.8 mm^2 & A_{s1} = 1190 \ mm^2 & A_{s2} = 620 \ mm^2 & \gamma_{Rd} = 1.2 & \nu_d = 0.319 \\ 1005 \ x \ 434 \ >? \ 1,2 \ (1190 + 620) 434 (1-0.8 \ x \ 0.319) \\ 436 \ kN \ >? \ 702 \ kN & => NO => change \ diameter \ of \ rebars. \\ Diameter \ 10 \ provides \ 680 \approx 702 \ kN & \underline{Diameter \ 12} \ provides \ 979 \ kN > 702 \ kN \end{array}$

VII.5 Specific Measures

In accordance with 5.5.3.3 - EC8 [3], the specific measures for detailing local ductility will be checked as follows:

- The diameter d_{bw} of the hoops is not less than 6mm. The real diameter of the hoops is minimum 8mm, so this condition is satisfied.
- If framing beams are present on all four faces of the column, the spacing s of hoops may be increased to: $s = min (h_c/2; 150mm)$. The spacing s of the hoops is of 100mm, so this condition is met.
- According to 5.4.3.3 (2) EC8 [3], If beams frame into all four sides of the joint and their width is at least three-quarters of the parallel cross-sectional dimension of the column, the

spacing of the horizontal confinement reinforcement in the joint may be increased to twice, but may not exceed 150 mm. So this condition is satisfactory.

- According to 5.4.3.3 (2) EC8 [3], at least one intermediate (between column corner bars) vertical bar shall be provided at each side of a joint of primary seismic beams and columns.
- \rightarrow All the conditions are met.

PART 2: PUSHOVER ANALYSIS FOR THE DESIGNED BUILDING.

The behavior of the building under un-given seismic actions in the design example which is presented in the first part can be checked by non linear analysis methods. One is the Nonlinear Static Analysis or Pushover method. Nonlinear static Analysis (Pushover) is presented in 4.3.3.4.2 of EC8[3] Part 1. According to EC8 [3], pushover analysis may be used to assess the structural behavior of existing or of newly designed buildings. Pushover is based on analyzing the structure under constant gravity loads and monotonically increasing horizontal loads. The purposes of Pushover Analysis are:

- To verify or revise the over-strength ratio values $\alpha u / \alpha_1$;
- To estimate the expected plastic mechanisms and the distribution of damage;
- To assess the structural performance of existing or retrofitted buildings for the purposes of EN 1998-3;
- As an alternative to the design based on linear-elastic analysis which uses the behaviour factor q.

Under constant gravity loads and monotonically increasing horizontal loads presenting for seismic excitations (the base shear forces at the bottom of the frames), the frames could be considered as working under an un-given earthquake. After obtaining behavior of the frames from the relationship between displacements of the control node which is usually the roof displacement and the base shear forces which are calculated by monotonically increasing horizontal loads, one could estimate the largest magnitude of the earthquake that the designed frames can suffer. The horizontal load patterns used in Pushover are Modal Load Pattern and Uniform Load Pattern. Two types of these patterns are presented in 4.3.3.4.2 of EC8[3] Part 1.

In order to perform Pushover analysis, there are some properties of the frames will be determined such as: Plastic hinge properties of each element in the frames including plastic moments of critical sections taking into account the strain of concrete and reinforcements and rotation capacity of the hinges. To determine such properties, it is necessary to use experimental data (for example the rotation angles of the hinges corresponding to reinforcement ratio and stirrup distance) which are presented in some public documents such as FEMA356... The computer program which is used to perform Pushover Analysis is SAP2000, version 9.0.3. The data needed to carry out Pushover are:

- Plastic moments of critical sections in the frames
- Load Patterns
- Plastic rotation properties of each hinge.

I Plastic moment Determination for User Defined Hinges in SAP 2000

I.1 Transverse Frames

I.1.1 Beams

I.1.1.1 Beams of the first and the second floors ((part 1 – III and IV):

- Section at the joint between external columns and beams
 - Negative Moments:

PLASTIC MOMENT CALCULATION



 $F_{as1} = A_s * f_{yd} = 1260 * 434.8 = 547826.1N; F_{cs1} = A_s * f_{yd} = 620 * 434.8 = 269565.2$

$$F_{c} = \frac{\alpha_{c} * f_{ck}}{\gamma_{c}} * b*(h-z) = 4175*(500-z)$$

$$\rightarrow F_{as1} = F_{cs1} + F_{c} \leftrightarrow 547826 = 269565.2 + 4175(500-z) \rightarrow 500 - z = 66.78 \rightarrow z = 433.22m$$

The condition of z is that: (36+14) < 500-z \rightarrow 50<105. So this condition is met.
Plastic moment will be calculated hereafter:

 $M_{pl} = \sum F_{asi} * b_{asi} + \sum F_{csi} * b_{csi} + F_c * b_c = 547826 * 387.22 + 269565 * 23.78 + 4175 * 66.78 * 33.39$ = 233010586Nmm = 233KNm

• Positive Moments:

$$F_{as1} = A_s * f_{yd} = 620 * 434.8 = 269576N; F_{as2} = A_s * f_{yd} * \frac{z - 444}{20} = 547848 * \frac{z - 444}{20}$$

$$\xrightarrow{PLASTIC MOMENT CALCULATION}$$

$$\xrightarrow{36^{20,20,32,70,36}} \xrightarrow{f_{cs1} + f_{cs2} + f_{cs1} + f_{cs2} + f_{cs1} + f_{cs2} + f_{cs1} + f_{cs2} + f_{cs1} + f_{cs1} + f_{cs1} + f_{cs2} + f_{cs1} + f$$

The condition of z is: $444 < z < 444+20=464 \rightarrow$ This condition is met. Plastic moment will be calculated hereafter: $b_{as1} = z - a_{s1} = 452.7 - (30+6+7) = 409.7mm; b_{as2} = z - a_{s2} = 452.7 - 444 = 8.7mm$

$$b_{cs1} = 20 - b_{as2} = 11.3mm; b_c = \frac{500 - z}{2} = 23.7mm$$

$$M_{pl} = \sum F_{asi} * b_{asi} + \sum F_{csi} * b_{csi} + F_c * b_c =$$

$$= 269576 * 409.7 + 547848 * \frac{452.7 - 444}{20} * 8.7 + 547848 * \left(1 - \frac{452.7 - 444}{20}\right) * 11.3 + 4175 * 47.4 * 23.7$$

- =120706465*Nmm* = 121*KNm*
- Section at the joint between internal columns and beams: In order to calculate the plastic moment of the sections conveniently, we create the excel sheets or small calculation tables using MathCad program. So, we can obtain plastic moment of the other sections as following:

| Beams of | Position | Sections | Тор | Bottom | Negative | Positive |
|----------|-----------|----------|---------------|---------------|----------|----------|
| Floor | of column | of the | reinforcement | reinforcement | Plastic | Plastic |

| | | beams | area (mm ²) | area(mm ²) | Moment | Moment |
|-----|----------|--------|-------------------------|------------------------|--------|--------|
| | | | | | (kNm) | (kNm) |
| 1-2 | Internal | End | 1190 | 620 | 223 | 120.4 |
| 1-2 | Internal | Middle | 628 | 620 | 118 | 118 |

I.1.1.2 Beams of the other floors (part 1 – III and IV):

Plastic moment at any section of all remaining beams of the frame will be determined similarly as above and they are summarized briefly as following table:

• Negative Plastic Moment of the section at the external joint of the beam on the third and the fourth floors:

Section at the external joint - Negative Plastic Moment Calculation - Unit Nmm

| Beam width - b _w | Beam height-h _w | Column width - b _c | Column height- h _c | φ _{link} - hoop diameter | A _{s1} | A _{\$2} | As3 | A ['] s1 | A's2 | d - effective depth |
|-----------------------------------|-------------------------------|----------------------------------|----------------------------------|--------------------------------------|------------------------|------------------------|------------------|--------------------------------------|--------------------------------|------------------------|
| 250 | 500 | 400 | 500 | 6 | 762 | 402 | 00 | 620 | 02 | 438.768 |
| | | | f _{cd} 16.666667 | f _{vd} 434.7826 | φ _{As1} 18 | φ _{As2} 16 | ф _{Аs3} | φ _A ' _{s1} 14 | φ _A ' _{s2} | |
| C _{min,b} | C _{min.dur} | C _{min} | Δc_{dev} | C _{nom} | a _{s1} | a _{s2} | a _{s3} | a ['] s1 | a _{ˈs2} | |
| 20 | 15 | 20 | 10 | 30 | 45 | 92 | | 43 | | |
| | | | | | F _{as1} | F _{as2} | F_{as3} | F _{cs1} | F_{cs2} | Fc |
| | | | | | 331304.3 | 174782.6 | 0 | 269565.2 | 0 | 236521.7 |
| \rightarrow | Z | | | b ['] c | b _{as1} | b _{as2} | b _{as3} | b _{cs1} | b _{cs2} | |
| | 443.2348 | | | 28.38261 | 398.2348 | 351.2348 | | 13.76522 | | |
| | | \rightarrow | M _{pl} | | | | | | | |
| | | | 203750374 | | | | | | | |

• Plastic Moment Table of all sections of the remaining beams

| | | | | 0 | | |
|----------|-----------|----------|-------------------------|------------------------|----------|----------|
| Beams of | Position | Sections | Тор | Bottom | Negative | Positive |
| Floor | of column | of the | reinforcement | reinforcement | Plastic | Plastic |
| | | beams | area (mm ²) | area(mm ²) | Moment | Moment |
| | | | | | (kNm) | (kNm) |
| 3-4 | Internal | End | 1071.5 | 620 | 189.6 | 124.4 |
| 3-4 | Internal | Middle | 508 | 620 | 96.7 | 117.3 |
| 5 | External | End | 804 | 462 | 149.6 | 89.8 |
| 5 | Internal | End | 804 | 462 | 149.6 | 89.8 |
| 5 | Internal | Middle | 402 | 462 | 77.4 | 88.4 |
| 6 | External | End | 462 | 462 | 88 | 88 |
| 6 | Internal | End | 462 | 462 | 88 | 88 |
| 6 | Internal | Middle | 462 | 462 | 88 | 88 |

I.1.2 Columns

Properties taken from Part 1: $A_{s,tot} = 16\phi 16 = 3216 \text{mm}^2$; N = 1295000N



PLASTIC MOMENT CALCULATION

 We assume that 12\u03c616 are in the tensile area, 4\u03c616 are in the compression area and z is the distance taking from compressed fiber to the neutral axis

$$\begin{split} F_{as} &= \sum F_{asi} = \sum A_{si} * f_{yd} = 12 * 201 * 434.8 = 1048737.6 \\ F_{ai} &= \sum F_{aii} = \sum A_{si} * f_{yd} = 4 * 201 * 434.8 = 349579.2 \\ F_{c} &= f_{cd} * b * (h-z) = 16.7 * 400 * (500-z) = 6680 * (500-z) \\ &\rightarrow F_{as} + N = F_{ai} + F_{c}; \leftrightarrow 1048737.6 + 1295000 = 349579.2 + 6680(500-z) \\ &\rightarrow 500 - z = 298.5 \rightarrow z = 201.5 mm; \end{split}$$

- The condition of z is that: $(38+16) < 500 z < (38+16+69.6) \rightarrow 54 < 298.5 < 123$, so the value of z is not correct.
- We assume that the neutral axis will run through the right third layer reinforcement; so there are over $6\phi16$ in compression zone and over $8\phi16$ in tension zone.

$$F_{as1} = A_{s1} * f_{yd} = 4 * 201 * 434.8 = 349579.2$$

$$F_{as2} = F_{as3} = A_{s2} * f_{yd} = 2 * 201 * 434.8 = 219789.6$$

$$F_{as4} = A_{s4} * f_{yd} * \frac{z - 282.8}{16}$$

$$F_{ai1} = A_{cs1} * f_{yd} = 4 * 201 * 434.8 = 349579.2$$

$$F_{ai2} = A_{cs2} * f_{yd} = 2 * 201 * 434.8 = 219789.6$$

$$F_{ai3} = A_{s4} * f_{yd} * (1 - \frac{z - 282.8}{16})$$

$$F_{c} = f_{cd} * b * (h - z) = 16.7 * 400 * (500 - z) = 6680 * (500 - z)$$

$$\rightarrow \sum F_{si} + N = \sum F_{ai} + F_{c}$$

$$\rightarrow z = 287.4mm$$

The condition of z is that 282.8 <= z <= 282.8 + 16 = 298.8, so this condition is met - Plastic moment will be calculated as following:



PLASTIC MOMENT CACULATION

$$\begin{split} b_{as1} &= z - a_{s1} = 287.4 - (38 + 8) = 241.4 mm; \\ b_{as2} &= z - a_{s2} = 287.4 - (38 + 16 + 65.6 + 8) = 159.8 mm \\ b_{as3} &= z - a_{s3} = 287.4 - (38 + 16 * 2 + 65.6 * 2 + 8) = 78.2 mm; \\ b_{as4} &= 287.4 - 282.8 = 4.6 mm \\ b_{cs1} &= h - z - a_{cs1} = 500 - 287.4 - (38 + 8) = 166.6 mm \\ b_{cs2} &= h - z - a_{cs2} = 500 - 287.4 - (38 + 16 + 65.6 + 8) = 85 mm; \\ b_{cs3} &= 16 - 4.6 = 11.4 mm; \\ b_{c} &= \frac{500 - z}{2} = 106.3 mm; \\ F_{c} &= 16.7 * (500 - 287.4) * 400 = 1420168 N \end{split}$$

$$M_{x,cap} = \sum F_{asi} * b_{asi} + \sum F_{csi} * b_{csi} + F_c * b_c =$$

= 349579.2*(241.4+166.6)+219789.6*(159.8+78.2+85)+219789.6* $\frac{4.6}{16}$ *4.6

$$+219789.6*\frac{11.4}{16}*11.4+1420168*106.3=366660126Nmm=367KNm$$

Similarly, we can obtain the plastic moment of other section of the remaining column as following table:

| Floor | Width of | Height | Reinforcement | Negative | Positive |
|-------|----------|--------|-------------------------|----------|----------|
| | column | of | area (mm ²) | Plastic | Plastic |
| | (mm) | column | | Moment | Moment |
| | | (mm) | | (kNm) | (kNm) |
| 3-4 | 400 | 500 | 16ф14 - 2464 | 265 | 265 |
| 5-6 | 400 | 500 | 16\overline 14 - 2464 | 265 | 265 |

I.2 Longitudinal Frames

I.2.1 Beams

I.2.1.1 Beams of the first and the second floors:

- Section at the joint between external columns and beams
 - Negative Moments:





$$F_{as1} = A_s * f_{yd} = 1190 * 434.8 = 517393.3N;$$

$$F_{cs1} = A_s' * f_{yd} = 510 * 434.8 = 221739.1N$$

$$F_c = \frac{\alpha_c * f_{ck}}{\gamma_c} * b * (h - z) = 4175 * (500 - z)$$

$$\rightarrow F_{as1} = F_{cs1} + F_c \leftrightarrow 517393.3 = 221739.1 + 4175(500 - z)$$

$$\rightarrow z = 429.04m$$

The condition of z is that: $(36+14) < 500-z \rightarrow 50 < 71$. So this condition is met. Plastic moment will be calculated hereafter:

 $M_{pl} = \sum F_{asi} * b_{asi} + \sum F_{csi} * b_{csi} + F_c * b_c = 215KNm$ • Positive Moments: $F_{as1} = A_s * f_{yd} = 510 * 434.8 = 221739.1N$ $F_{as2} = A_s * f_{yd} * \frac{z - 444}{20} = 517393.3 * \frac{z - 444}{20}$

$$F_{cs1} = A_s^{'} * f_{yd}^{'} * \left(1 - \frac{z - 444}{20}\right) = 517393.3 * (1 - \frac{z - 444}{20})$$

$$F_c = \frac{\alpha_c * f_{cs}}{\gamma_c} * b^* (h - z) = 4175 * (500 - z)$$
PLASTIC MOMENT CALCULATION

$$\frac{3632 \cdot 22.7 \cdot 23.6}{1 - 1 - 1 - 1} + \frac{1}{2} + \frac{$$

 $\rightarrow z = 453.5mm$

The condition of z is: $444 < z < 444+20=464 \rightarrow$ This condition is met. Plastic moment will be calculated hereafter:

$$\begin{split} b_{as1} &= z - a_{s1} = 453.5 - (30 + 6 + 7) = 410.5mm \\ b_{as2} &= z - a_{s2} = 453.5 - 444 = 9.5mm \\ b_{cs1} &= 20 - b_{as2} = 10.5mm \\ b_c &= \frac{500 - z}{2} = 23.25mm \\ M_{pl} &= \sum F_{asi} * b_{asi} + \sum F_{csi} * b_{csi} + F_c * b_c = \\ &= 221739.1 * 410.5 + 517393.3 * \frac{9.5}{20} * 9.5 + 547848 * \left(\frac{10.5}{20}\right) * 10.5 + 4175 * 47.4 * 23.25 \end{split}$$

=100716426.2Nmm = 101KNm

• Section at the joint between internal columns and beams:

In order to calculate the plastic moment of the sections conveniently, we create the excel sheets or small calculation tables using MathCad program. So, we can obtain plastic moment of the other sections as following:

| Beams of | Position | Sections | Тор | Bottom | Negative | Positive |
|----------|----------|----------|-------------------------|------------------------|----------|----------|
| Floor | of | of the | reinforcement | reinforcement | Plastic | Plastic |
| | column | beams | area (mm ²) | area(mm ²) | Moment | Moment |
| | | | | | (kNm) | (kNm) |
| 1-2 | Internal | End | 1020 | 462 | 186.1 | 91 |
| 1-2 | Internal | Middle | 508 | 308 | 95.8 | 61.4 |

I.2.1.2 Beams of the other floors:

Plastic moment at any section of all remaining beams of the frame will be determined similarly as above and they are summarized briefly as following table:

• Negative Plastic Moment of the section at the external joint of the beam on the third and the fourth floors:

| Beam width - | Beam height- | Column | Column | ∲ _{link} - hoop | | Δ | Δ | | Δ' | d - effective |
|--------------------|----------------------|------------------|---------------------|--------------------------|------------------|------------------|------------------|------------------|--------------------------------|---------------|
| | П _W 500 | | | ulameter | A _{s1} | A _{s2} | A _{s3} | A _{s1} | A _{s2} | ueptii |
| 250 | 500 | 500 | 400 | 6 | 1020 | 0 | | 462 | 0 | 455 |
| | | | f _{cd} | f _{yd} | ϕ_{As1} | ϕ_{As2} | ϕ_{As3} | $\phi_{A's1}$ | φ _A ' _{s2} | |
| | | | 16.666667 | 434.7826 | 18 | 0 | | 14 | 0 | |
| C _{min,b} | C _{min,dur} | C _{min} | $\Delta c_{ m dev}$ | Cnom | a _{s1} | a _{s2} | a _{s3} | aˈ _{s1} | a _{s2} | |
| 20 | 15 | 20 | 10 | 30 | 45 | 84 | | 43 | 80 | |
| \rightarrow | z | \rightarrow | M _{pl} | | F _{as1} | F _{as2} | F_{as3} | F _{cs1} | F_{cs2} | Fc |
| | 441.7739 | | 186082140 | | 443478.3 | 0 | 0 | 200869.6 | 0 | 242608.7 |
| | Z IS TRUE | | | b _c | b _{as1} | b _{as2} | b _{as3} | b _{cs1} | b _{cs2} | |
| | | | | 29.11304 | 396.7739 | 357.7739 | | 15.22609 | | |

• Plastic Moment Table of all sections of the remaining beams

| Beams of | Position | Sections | Тор | Bottom | Negative | Positive |
|----------|----------|----------|-------------------------|------------------------|----------|----------|
| Floor | of | of the | reinforcement | reinforcement | Plastic | Plastic |
| | column | beams | area (mm ²) | area(mm ²) | Moment | Moment |
| | | | | | (kNm) | (kNm) |
| 3-4 | External | End | 1020 | 462 | 186.1 | 91.0 |
| 3-4 | Internal | End | 816 | 462 | 151.4 | 90.2 |
| 3-4 | Internal | Middle | 508 | 462 | 96.3 | 89.0 |
| 5 | External | End | 620 | 308 | 116.4 | 61.2 |
| 5 | Internal | End | 620 | 308 | 116.4 | 61.2 |
| 5 | Internal | Middle | 620 | 308 | 116.4 | 61.2 |
| 6 | External | End | 462 | 308 | 88 | 61 |
| 6 | Internal | End | 462 | 308 | 88 | 61 |
| 6 | Internal | Middle | 462 | 308 | 88 | 61 |

I.2.2 Columns





PLASTIC MOMENT CACULATION

- We assume that $10\phi16$ are in the tensile area, $6\phi16$ are in the compression area and z is the distance taking from compressed fiber to the neutral axis

 $F_{as} = \sum F_{asi} = \sum A_{si} * f_{yd} = 10 * 201 * 434.8 = 873948.0; F_{ai} = \sum F_{aii} = \sum A_{si} * f_{yd} = 6 * 201 * 434.8 = 524368.8$ $F_{c} = f_{cd} * b * (h - z) = 16.7 * 500 * (400 - z) = 8350 * (400 - z);$ $\rightarrow F_{as} + N = F_{ai} + F_{c} \iff 873948.0 + 1306000 = 524368.8 + 8350(400 - z); \Rightarrow 400 - z = 198.3 \Rightarrow z = 201.7mm$

- The condition of z is that: $(38+16) < 400 - z < (38+16+86.7) \rightarrow 54 < 198.3 < 140$, so the value of z is not correct.

- We assume that the neutral axis will run through the first layer reinforcement; so there are less than 8\phi16 in compression zone and over 8\phi16 in tension zone.

$$\begin{split} F_{as1} &= A_{s1} * f_{yd} = 6 * 201 * 434.8 = 524368.8 \\ F_{as2} &= A_{s2} * f_{yd} = 2 * 201 * 434.8 = 174789.6 \\ F_{as3} &= A_{s3} * f_{yd} * \frac{z - 243.4}{16} = 2 * 201 * 434.8 * \frac{z - 243.4}{16} = 174789.6 * \frac{z - 243.4}{16} \\ F_{cs1} &= 6 * 201 * 434.8 = 524368.8N \\ F_{cs2} &= A_{as3} * f_{yd} * (1 - \frac{z - 243.4}{16}) = 174789.6 * (1 - \frac{z - 243.4}{16}) \\ F_c &= f_{cd} * b * (h - z) = 16.7 * 500 * (400 - z) = 8350 * (400 - z) \\ &\rightarrow \sum F_{si} + N = \sum F_{ai} + F_c \\ &\leftrightarrow 174789.6 + 174789.6 * \frac{z - 243.4}{16} + 1306000 = 174789.6 * (1 - \frac{z - 243.4}{16}) + 8350 * (400 - z) \\ &\rightarrow 242.5 \end{split}$$

 $\rightarrow z = 243.5mm$

The condition of z is that 243.4 < z < = 243.4 + 16, so this condition is met - Plastic moment will be calculated as following:



PLASTIC MOMENT CACULATION

$$\begin{split} b_{as1} &= z - a_{s1} = 243.5 - (38 + 8) = 197.5 mm; \\ b_{as2} &= z - a_{s2} = 243.5 - (38 + 16 + 86.7 + 8) = 94.8 mm \\ b_{as3} &= z - a_{s3} = 243.5 - 243.4 = 0.1 mm; \\ b_{cs1} &= h - z - a_{cs1} = 400 - 243.5 - (38 + 8) = 110.5 mm \\ b_{cs2} &= 16 - b_{as3} = 16 - 0.1 = 15.9 mm; \\ b_c &= \frac{400 - z}{2} = 78.25 mm \\ F_c &= 16.7 * (400 - 243.5) * 500 = 1306775 N \\ M_{x,cap} &= \sum F_{asi} * b_{asi} + \sum F_{csi} * b_{csi} + F_c * b_c = 524368.8 * (197.5 + 110.5) + 174789.6 * 94.8 + 174789.6 * \frac{0.1}{16} * 0.1 + 174789.6 * \frac{15.9}{16} * 15.9 + 1306775 * 78.25 = 283092682 Nmm = 283 KNm \\ \text{Similarly, we can obtain the plastic moment of other section of the remaining column as} \end{split}$$

| following | g table: | | | | | |
|-----------|----------|----------|--------|-------------------------|----------|----------|
| | Floor | Width of | Height | Reinforcement | Negative | Positive |
| | | column | of | area (mm ²) | Plastic | Plastic |
| | | (mm) | column | | Moment | Moment |
| | | | (mm) | | (kNm) | (kNm) |
| | 4 | 500 | 400 | $16\phi 14 - 2464$ | 217.2 | 217.2 |
| | 5-6 | 500 | 400 | 16ф14 - 2464 | 217.2 | 217.2 |

II <u>Modeling Parameters and Acceptance Criteria for Nonlinear Static Procedures (for</u> <u>User Defined Hinges in SAP 2000)</u>

II.1 Transverse Frames

II.1.1 Beams

The modeling parameters of frame elements used in Nonlinear Static analysis (Pushover) are all properties of the plastic hinges or plastic zones. These parameters can be determined from FEMA 356[7]. According to FEMA 356[7] part 6, the properties of sections which can be transferred to plastic hinges depend on the relationship between Force-Displacement or Moment – Rotation. The general relationship can be defined as follows:



IO - Immediate Occupancy; LS - Life Safety; CP - Collapse Prevention

| | | | 1 | 1 | 0 | | |
|----------|-------|----------|---------------|---------------|---------------|-------------------------|-----------------------------|
| Beams of | Span | Position | ρ of top | ρ of bottom | Balanced | $ ho_{top} - ho_{hot}$ | $ ho_{_{bot}}- ho_{_{top}}$ |
| Floor | | of | reinforcement | reinforcement | normalised | 0 | <u> </u> |
| | | plastic | area | area | reinforcement | Pbal | Pbal |
| | | hinges | | | $ ho_{bal}$ | | |
| 1-2 | 1 | Left | 0.011 | 0.005 | 0.02107 | 0.285 | <0 |
| 1-2 | 1 | Middle | 0.005 | 0.005 | 0.02107 | 0 | 0 |
| 1-2 | 1 | Right | 0.01 | 0.005 | 0.02107 | 0.237 | <0 |
| 1-2 | 2 | Left | 0.01 | 0.005 | 0.02107 | 0.237 | <0 |
| 1-2 | 2 | Middle | 0.005 | 0.005 | 0.02107 | 0 | 0 |
| 1-2 | 2 | Right | 0.01 | 0.005 | 0.02107 | 0.237 | <0 |
| 1-2 | 3 | Left | 0.01 | 0.005 | 0.02107 | 0.237 | <0 |
| 1-2 | 3 | Middle | 0.005 | 0.005 | 0.02107 | 0 | 0 |
| 1-2 | 3 | Right | 0.011 | 0.005 | 0.02107 | 0.285 | <0 |
| 3-4 | 1 | Left | 0.008 | 0.005 | 0.02107 | 0.142 | <0 |
| 3-4 | 1 | Middle | 0.0045 | 0.005 | 0.02107 | <0 | 0.024 |
| 3-4 | 1 | Right | 0.007 | 0.005 | 0.02107 | 0.095 | <0 |
| 3-4 | 2 | Left | 0.007 | 0.005 | 0.02107 | 0.095 | <0 |
| 3-4 | 2 | Middle | 0.0045 | 0.005 | 0.02107 | <0 | 0.024 |
| 3-4 | 2 | Right | 0.007 | 0.005 | 0.02107 | 0.095 | <0 |
| 3-4 | 3 | Left | 0.007 | 0.005 | 0.02107 | 0.095 | <0 |
| 3-4 | 3 | Middle | 0.0045 | 0.005 | 0.02107 | <0 | 0.024 |
| 3-4 | 3 | Right | 0.008 | 0.005 | 0.02107 | 0.142 | <0 |
| 5 | 1-2-3 | Left | 0.007 | 0.004 | 0.02107 | 0.142 | <0 |
| 5 | 1-2-3 | Middle | 0.004 | 0.004 | 0.02107 | 0 | 0 |
| 5 | 1-2-3 | Right | 0.007 | 0.004 | 0.02107 | 0.142 | <0 |

Table 2.1 : Properties of the plastic hinge section

| 1 | 8- | 62 |
|---|----|----|
|---|----|----|

| 6 | 1-2-3 | Left | 0.004 | 0.004 | 0.02107 | 0 | 0 |
|---|-------|--------|-------|-------|---------|---|---|
| 6 | 1-2-3 | Middle | 0.004 | 0.004 | 0.02107 | 0 | 0 |
| 6 | 1-2-3 | Right | 0.004 | 0.004 | 0.02107 | 0 | 0 |

Table 2.2 : Modeling Parameters for Negative Plastic Moment (According to FEMA 356 – Table 6.7 – Beams controlled by Flexure)

| | | | | | | | rs | | |
|-------|-------|------------------------|--------------------------------|------------|------------------------|---------|----------|----------|------------|
| Beam | Snan | Position of plastic | $\rho_{top} - \rho_{bot}$ | Transverse | V | Plastic | Rotation | Residual | Normalised |
| Floor | Span | hinges | $ ho_{\scriptscriptstyle bal}$ | Reinforce. | $b_w^* d * \sqrt{f_c}$ | Ar | ıgle | ratio | ratio |
| | | | | | • | a | b | с | b/a |
| 1-2 | 1 | Left | 0.285 | C. | <3 | 0.022 | 0.039 | 0.2 | 1.772727 |
| 1-2 | 1 | Middle | 0 | C. | <3 | 0.025 | 0.05 | 0.2 | 2 |
| 1-2 | 1 | Right | 0.237 | C. | <3 | 0.023 | 0.045 | 0.2 | 1.956522 |
| 1-2 | 2 | Left | 0.237 | C. | <3 | 0.023 | 0.045 | 0.2 | 1.956522 |
| 1-2 | 2 | Middle | 0 | C. | <3 | 0.025 | 0.05 | 0.2 | 2 |
| 1-2 | 2 | Right | 0.237 | C. | <3 | 0.023 | 0.045 | 0.2 | 1.956522 |
| 1-2 | 3 | Left | 0.237 | C. | <3 | 0.023 | 0.045 | 0.2 | 1.956522 |
| 1-2 | 3 | Middle | 0 | C. | <3 | 0.025 | 0.05 | 0.2 | 2 |
| 1-2 | 3 | Right | 0.285 | C. | <3 | 0.022 | 0.039 | 0.2 | 1.772727 |
| 3-4 | 1 | Left | 0.142 | C. | <3 | 0.024 | 0.044 | 0.2 | 1.833333 |
| 3-4 | 1 | Middle | <0 | C. | <3 | 0.025 | 0.05 | 0.2 | 2 |
| 3-4 | 1 | Right | 0.095 | C. | <3 | 0.024 | 0.046 | 0.2 | 1.916667 |
| 3-4 | 2 | Left | 0.095 | C. | <3 | 0.024 | 0.046 | 0.2 | 1.916667 |
| 3-4 | 2 | Middle | <0 | C. | <3 | 0.025 | 0.05 | 0.2 | 2 |
| 3-4 | 2 | Right | 0.095 | C. | <3 | 0.024 | 0.046 | 0.2 | 1.916667 |
| 3-4 | 3 | Left | 0.095 | C. | <3 | 0.024 | 0.046 | 0.2 | 1.916667 |
| 3-4 | 3 | Middle | <0 | C. | <3 | 0.025 | 0.05 | 0.2 | 2 |
| 3-4 | 3 | Right | 0.142 | C. | <3 | 0.024 | 0.044 | 0.2 | 1.833333 |
| 5 | 1-2-3 | Left | 0.142 | C. | <3 | 0.024 | 0.044 | 0.2 | 1.833333 |
| 5 | 1-2-3 | Middle | 0 | C. | <3 | 0.025 | 0.05 | 0.2 | 2 |
| 5 | 1-2-3 | Right | 0.142 | C. | <3 | 0.024 | 0.044 | 0.2 | 1.833333 |
| 6 | 1-2-3 | Left | 0 | C. | <3 | 0.025 | 0.05 | 0.2 | 2 |
| 6 | 1-2-3 | Middle | 0 | C. | <3 | 0.025 | 0.05 | 0.2 | 2 |
| 6 | 1-2-3 | Right | 0 | C. | <3 | 0.025 | 0.05 | 0.2 | 2 |

Table 2.3: Modeling Parameters for Positive Plastic Moment (According to FEMA 356 – Table6.7 – Beams controlled by Flexure)

| | | | | | | | Modell | ing Parameter | ng Parameters | | |
|---------------------|------|----------------------------------|---|--------------------------|--|---------------------------|--------|-------------------------------|------------------|--|--|
| Beam of Floor | Span | Position of plastic hinges | $rac{ ho_{_{bot}}- ho_{_{top}}}{ ho_{_{bal}}}$ | Transverse Reinforce. | $\frac{V}{b_{w}^{*} d^{*} \sqrt{f_{c}^{'}}}$ | Plastic Rotation Angle | | Residual strength ratio | Normalised ratio | | |
| | | | | | | а | b | с | b/a | | |
| 1-2 | 1 | Left | <0 | C. | <3 | 0.025 | 0.05 | 0.2 | 2 | | |
| 1-2 | 1 | Middle | 0 | C. | <3 | 0.025 | 0.05 | 0.2 | 2 | | |
| 1-2 | 1 | Right | <0 | C. | <3 | 0.025 | 0.05 | 0.2 | 2 | | |
| 1-2 | 2 | Left | <0 | C. | <3 | 0.025 | 0.05 | 0.2 | 2 | | |
| 1-2 | 2 | Middle | 0 | C. | <3 | 0.025 | 0.05 | 0.2 | 2 | | |
| 1-2 | 2 | Right | <0 | C. | <3 | 0.025 | 0.05 | 0.2 | 2 | | |
| 1-2 | 3 | Left | <0 | C. | <3 | 0.025 | 0.05 | 0.2 | 2 | | |
| 1-2 | 3 | Middle | 0 | C. | <3 | 0.025 | 0.05 | 0.2 | 2 | | |
| 1-2 | 3 | Right | <0 | C. | <3 | 0.025 | 0.05 | 0.2 | 2 | | |

| 3-4 | 1 | Left | <0 | C. | <3 | 0.025 | 0.05 | 0.2 | 2 |
|-----|-------|--------|-------|----|----|-------|------|-----|---|
| 3-4 | 1 | Middle | 0.024 | C. | <3 | 0.025 | 0.05 | 0.2 | 2 |
| 3-4 | 1 | Right | <0 | C. | <3 | 0.025 | 0.05 | 0.2 | 2 |
| 3-4 | 2 | Left | <0 | C. | <3 | 0.025 | 0.05 | 0.2 | 2 |
| 3-4 | 2 | Middle | 0.024 | C. | <3 | 0.025 | 0.05 | 0.2 | 2 |
| 3-4 | 2 | Right | <0 | C. | <3 | 0.025 | 0.05 | 0.2 | 2 |
| 3-4 | 3 | Left | <0 | C. | <3 | 0.025 | 0.05 | 0.2 | 2 |
| 3-4 | 3 | Middle | 0.024 | C. | <3 | 0.025 | 0.05 | 0.2 | 2 |
| 3-4 | 3 | Right | <0 | C. | <3 | 0.025 | 0.05 | 0.2 | 2 |
| 5 | 1-2-3 | Left | <0 | C. | <3 | 0.025 | 0.05 | 0.2 | 2 |
| 5 | 1-2-3 | Middle | 0 | C. | <3 | 0.025 | 0.05 | 0.2 | 2 |
| 5 | 1-2-3 | Right | <0 | C. | <3 | 0.025 | 0.05 | 0.2 | 2 |
| 6 | 1-2-3 | Left | 0 | C. | <3 | 0.025 | 0.05 | 0.2 | 2 |
| 6 | 1-2-3 | Middle | 0 | C. | <3 | 0.025 | 0.05 | 0.2 | 2 |
| 6 | 1-2-3 | Right | 0 | C. | <3 | 0.025 | 0.05 | 0.2 | 2 |

Table 2.4: Acceptance Criteria for Negative Plastic Moment (According to FEMA 356 – Table6.7 – Beams controlled by Flexure)

| | | | | | Acceptance Criteria | | | | | | |
|---------|-------|------------------------|---------------------------|-------|--------------------------------|------|--------|---------------|----------|---------|-------|
| | | . | | | | | Pla | astic Rotatio | on Angle | ; | |
| Beam of | Span | Position of plastic | $\rho_{top} - \rho_{bot}$ | Tran. | | | F | Performance | e Level | | |
| Floor | 1 | hinges | $ ho_{cal}$ | Rein. | $b_w^* d^* \int_{d_k} f_{d_k}$ | | Compon | ent Type | Nor | malised | ratio |
| | | | | | | IO | Prir | nary | IO/a | I S/a | CP/a |
| | | | | | | | LS | СР | 10/a | LS/a | CI/a |
| 1-2 | 1 | Left | 0.285 | С. | <3 | 0.01 | 0.014 | 0.022 | 0.45 | 0.64 | 1 |
| 1-2 | 1 | Middle | 0 | С. | <3 | 0.01 | 0.02 | 0.025 | 0.4 | 0.8 | 1 |
| 1-2 | 1 | Right | 0.237 | С. | <3 | 0.01 | 0.015 | 0.023 | 0.43 | 0.65 | 1 |
| 1-2 | 2 | Left | 0.237 | С. | <3 | 0.01 | 0.015 | 0.023 | 0.43 | 0.65 | 1 |
| 1-2 | 2 | Middle | 0 | С. | <3 | 0.01 | 0.02 | 0.025 | 0.4 | 0.8 | 1 |
| 1-2 | 2 | Right | 0.237 | С. | <3 | 0.01 | 0.015 | 0.023 | 0.43 | 0.65 | 1 |
| 1-2 | 3 | Left | 0.237 | С. | <3 | 0.01 | 0.015 | 0.023 | 0.43 | 0.65 | 1 |
| 1-2 | 3 | Middle | 0 | С. | <3 | 0.01 | 0.02 | 0.025 | 0.4 | 0.8 | 1 |
| 1-2 | 3 | Right | 0.285 | C. | <3 | 0.01 | 0.014 | 0.022 | 0.45 | 0.64 | 1 |
| 3-4 | 1 | Left | 0.142 | C. | <3 | 0.01 | 0.017 | 0.024 | 0.42 | 0.71 | 1 |
| 3-4 | 1 | Middle | <0 | C. | <3 | 0.01 | 0.02 | 0.025 | 0.4 | 0.8 | 1 |
| 3-4 | 1 | Right | 0.095 | C. | <3 | 0.01 | 0.018 | 0.024 | 0.42 | 0.75 | 1 |
| 3-4 | 2 | Left | 0.095 | C. | <3 | 0.01 | 0.018 | 0.024 | 0.42 | 0.75 | 1 |
| 3-4 | 2 | Middle | <0 | C. | <3 | 0.01 | 0.02 | 0.025 | 0.4 | 0.8 | 1 |
| 3-4 | 2 | Right | 0.095 | C. | <3 | 0.01 | 0.018 | 0.024 | 0.42 | 0.75 | 1 |
| 3-4 | 3 | Left | 0.095 | C. | <3 | 0.01 | 0.018 | 0.024 | 0.42 | 0.75 | 1 |
| 3-4 | 3 | Middle | <0 | C. | <3 | 0.01 | 0.02 | 0.025 | 0.4 | 0.8 | 1 |
| 3-4 | 3 | Right | 0.142 | C. | <3 | 0.01 | 0.017 | 0.024 | 0.42 | 0.71 | 1 |
| 5 | 1-2-3 | Left | 0.142 | C. | <3 | 0.01 | 0.017 | 0.024 | 0.42 | 0.71 | 1 |
| 5 | 1-2-3 | Middle | 0 | С. | <3 | 0.01 | 0.02 | 0.025 | 0.4 | 0.8 | 1 |
| 5 | 1-2-3 | Right | 0.142 | C. | <3 | 0.01 | 0.017 | 0.024 | 0.42 | 0.71 | 1 |
| 6 | 1-2-3 | Left | 0 | C. | <3 | 0.01 | 0.02 | 0.025 | 0.4 | 0.8 | 1 |
| 6 | 1-2-3 | Middle | 0 | C. | <3 | 0.01 | 0.02 | 0.025 | 0.4 | 0.8 | 1 |
| 6 | 1-2-3 | Right | 0 | C. | <3 | 0.01 | 0.02 | 0.025 | 0.4 | 0.8 | 1 |

Table 2.5: Acceptance Criteria for Positive Plastic Moment (According to FEMA 356 – Table6.7 – Beams controlled by Flexure)

| | | | | | | A | Acceptance | Criteria | | | |
|---------|-------|------------------------|---------------------------|-------|------------------------|------|------------|---------------|----------|---------------|------|
| | | | | | | | Pla | astic Rotatio | on Angle | | |
| Beam of | Span | Position of plastic | $\rho_{bat} - \rho_{tap}$ | Tran. | | | I | Performance | e Level | | |
| Floor | | hinges | $ ho_{bal}$ | Rein. | $b_w^* d^* \sqrt{f_d}$ | | Compon | ent Type | Nor | malised ratio | |
| | | | | | | ΙΟ | Prir | nary | IO/a | I S/a | |
| | | | | | | | LS | СР | 10/a | LS/a | CF/a |
| 1-2 | 1 | Left | <0 | С. | <3 | 0.01 | 0.02 | 0.025 | 0.4 | 0.8 | 1 |
| 1-2 | 1 | Middle | 0 | C. | <3 | 0.01 | 0.02 | 0.025 | 0.4 | 0.8 | 1 |
| 1-2 | 1 | Right | <0 | С. | <3 | 0.01 | 0.02 | 0.025 | 0.4 | 0.8 | 1 |
| 1-2 | 2 | Left | <0 | С. | <3 | 0.01 | 0.02 | 0.025 | 0.4 | 0.8 | 1 |
| 1-2 | 2 | Middle | 0 | С. | <3 | 0.01 | 0.02 | 0.025 | 0.4 | 0.8 | 1 |
| 1-2 | 2 | Right | <0 | C. | <3 | 0.01 | 0.02 | 0.025 | 0.4 | 0.8 | 1 |
| 1-2 | 3 | Left | <0 | C. | <3 | 0.01 | 0.02 | 0.025 | 0.4 | 0.8 | 1 |
| 1-2 | 3 | Middle | 0 | C. | <3 | 0.01 | 0.02 | 0.025 | 0.4 | 0.8 | 1 |
| 1-2 | 3 | Right | <0 | C. | <3 | 0.01 | 0.02 | 0.025 | 0.4 | 0.8 | 1 |
| 3-4 | 1 | Left | <0 | C. | <3 | 0.01 | 0.02 | 0.025 | 0.4 | 0.8 | 1 |
| 3-4 | 1 | Middle | 0.024 | C. | <3 | 0.01 | 0.02 | 0.025 | 0.4 | 0.8 | 1 |
| 3-4 | 1 | Right | <0 | C. | <3 | 0.01 | 0.02 | 0.025 | 0.4 | 0.8 | 1 |
| 3-4 | 2 | Left | <0 | C. | <3 | 0.01 | 0.02 | 0.025 | 0.4 | 0.8 | 1 |
| 3-4 | 2 | Middle | 0.024 | C. | <3 | 0.01 | 0.02 | 0.025 | 0.4 | 0.8 | 1 |
| 3-4 | 2 | Right | <0 | C. | <3 | 0.01 | 0.02 | 0.025 | 0.4 | 0.8 | 1 |
| 3-4 | 3 | Left | <0 | C. | <3 | 0.01 | 0.02 | 0.025 | 0.4 | 0.8 | 1 |
| 3-4 | 3 | Middle | 0.024 | C. | <3 | 0.01 | 0.02 | 0.025 | 0.4 | 0.8 | 1 |
| 3-4 | 3 | Right | <0 | C. | <3 | 0.01 | 0.02 | 0.025 | 0.4 | 0.8 | 1 |
| 5 | 1-2-3 | Left | <0 | C. | <3 | 0.01 | 0.02 | 0.025 | 0.4 | 0.8 | 1 |
| 5 | 1-2-3 | Middle | 0 | C. | <3 | 0.01 | 0.02 | 0.025 | 0.4 | 0.8 | 1 |
| 5 | 1-2-3 | Right | <0 | C. | <3 | 0.01 | 0.02 | 0.025 | 0.4 | 0.8 | 1 |
| 6 | 1-2-3 | Left | 0 | C. | <3 | 0.01 | 0.02 | 0.025 | 0.4 | 0.8 | 1 |
| 6 | 1-2-3 | Middle | 0 | C. | <3 | 0.01 | 0.02 | 0.025 | 0.4 | 0.8 | 1 |
| 6 | 1-2-3 | Right | 0 | C. | <3 | 0.01 | 0.02 | 0.025 | 0.4 | 0.8 | 1 |

II.1.2 Column

Table 2.6: Properties of the plastic hinge section

| Column | Position | N – Axial | V – Shear | Gross Area | N | V |
|----------|----------|-----------|-----------|------------|--------------------|-----------------------------------|
| of floor | of | force (N) | Force (N) | of Column | $\overline{A * f}$ | $\overline{b * d * f}$ |
| | plastic | | | $A_g(mm2)$ | $f_g f_{ck}$ | $D_w \cdot u \cdot \sqrt{J_{ck}}$ |
| | hinges | | | _ | | |
| 1-2-3 | Bottom | 1295000 | 88000 | 200000 | 0.259 | <3 |
| 1-2-3 | Тор | 1276000 | 88000 | 200000 | 0.2552 | <3 |
| 4-5-6 | Bottom | 624000 | 74000 | 200000 | 0.1248 | <3 |
| 4-5-6 | Тор | 616000 | 74000 | 200000 | 0.1232 | <3 |

Table 2.7 : Modeling Parameters for Plastic Moment (According to FEMA 356 – Table 6.8 – Columns controlled by Flexure)

| G 1 | Position | Ν | V | Transverse | Modelli | ing Parameter | S |
|------------|---------------|---------------------------|---------------------------|------------|---------------------------|-------------------------------|---------------------|
| of floor | of plastic | $\overline{A_g * f_{ck}}$ | $b_w * d * \sqrt{f_{ck}}$ | Reinforce. | Plastic Rotation Angle | Residual strength ratio | Normalised ratio |

| | hinges | | | | а | b | с | b/a |
|-------|--------|--------|----|---|-------|-------|-----|------|
| 1-2-3 | Bottom | 0.259 | <3 | С | 0.017 | 0.027 | 0.2 | 1.59 |
| 1-2-3 | Тор | 0.2552 | <3 | С | 0.017 | 0.027 | 0.2 | 1.59 |
| 4-5-6 | Bottom | 0.1248 | <3 | С | 0.02 | 0.03 | 0.2 | 1.5 |
| 4-5-6 | Тор | 0.1232 | <3 | С | 0.02 | 0.03 | 0.2 | 1.5 |

Table 2.7a: Acceptance Criteria for Plastic Moment (According to FEMA 356 – Table 6.8 – Columns controlled by Flexure)

| | | Position of plastic hinges $\frac{N}{A_g * f_{ck}}$ | | | | Ac | cceptance C | riteria | | |
|----------|------------|---|---|-------|-------|--------|--------------|---------|-------------------|------|
| | Position | | T7 | | | Plas | tic Rotation | n Angle | | |
| Column | of plastic | | $\frac{v}{b_{w}^{*}d^{*}\sqrt{f_{ck}}}$ | Tran. | | Pe | erformance | Level | | |
| of floor | hinges | | | Rein. | | Compon | ent Type | Nori | nalised r | atio |
| | | | | | IO | Prin | nary | IO/a | LS/a | CP/a |
| | | | | | | LS | СР | 10/a | L _D /a | CI/a |
| 1-2 -3 | Bottom | 0.259 | <3 | C. | 0.004 | 0.013 | 0.017 | 0.24 | 0.76 | 1 |
| 1-2-3 | Тор | 0.2552 | <3 | C. | 0.004 | 0.013 | 0.017 | 0.24 | 0.76 | 1 |
| 4-5-6 | Bottom | 0.1248 | <3 | C. | 0.005 | 0.015 | 0.020 | 0.25 | 0.75 | 1 |
| 4-5-6 | Тор | 0.1232 | <3 | C. | 0.005 | 0.015 | 0.020 | 0.25 | 0.75 | 1 |

II.2 <u>Longitudinal Frames</u> II.2.1 <u>Beams</u>

| Table 2.8 : 1 | Properties of | of the | plastic | hinge | section | of lo | ongitudinal | frame |
|---------------|---------------|--------|---------|--------|---------|-------|-------------|-------|
| | 1 | | 1 | \sim | | | 0 | |

| Beams of | Span | Position | ρ of top | ρ of bottom | Balanced | $ ho_{top} - ho_{bot}$ | $ ho_{bot} - ho_{top}$ |
|----------|-------|----------|---------------|------------------|---------------|-------------------------|-------------------------|
| Floor | | of | reinforcement | reinforcement | normalised | ρ_{hal} | ρ_{hal} |
| | | plastic | area | area | reinforcement | i bai | i bai |
| | | hinges | | | ρ_{bal} | | |
| 1-2 | 1 | Left | 0.01 | 0.0045 | 0.02107 | 0.261 | -0.261 |
| 1-2 | 1 | Middle | 0.0045 | 0.0027 | 0.02107 | 0.085 | -0.085 |
| 1-2 | 1 | Right | 0.009 | 0.004 | 0.02107 | 0.237 | -0.237 |
| 1-2 | 2 | Left | 0.009 | 0.004 | 0.02107 | 0.237 | -0.237 |
| 1-2 | 2 | Middle | 0.0045 | 0.0027 | 0.02107 | 0.085 | -0.085 |
| 1-2 | 2 | Right | 0.009 | 0.004 | 0.02107 | 0.237 | -0.237 |
| 1-2 | 3 | Left | 0.009 | 0.004 | 0.02107 | 0.237 | -0.237 |
| 1-2 | 3 | Middle | 0.0045 | 0.0027 | 0.02107 | 0.085 | -0.085 |
| 1-2 | 3 | Right | 0.01 | 0.0045 | 0.02107 | 0.261 | -0.261 |
| 3-4 | 1 | Left | 0.009 | 0.004 | 0.02107 | 0.237 | -0.237 |
| 3-4 | 1 | Middle | 0.0045 | 0.004 | 0.02107 | 0.024 | -0.024 |
| 3-4 | 1 | Right | 0.0072 | 0.004 | 0.02107 | 0.152 | -0.152 |
| 3-4 | 2 | Left | 0.0072 | 0.004 | 0.02107 | 0.152 | -0.152 |
| 3-4 | 2 | Middle | 0.0045 | 0.004 | 0.02107 | 0.024 | -0.024 |
| 3-4 | 2 | Right | 0.0072 | 0.004 | 0.02107 | 0.152 | -0.152 |
| 3-4 | 3 | Left | 0.0072 | 0.004 | 0.02107 | 0.152 | -0.152 |
| 3-4 | 3 | Middle | 0.0045 | 0.004 | 0.02107 | 0.024 | -0.024 |
| 3-4 | 3 | Right | 0.009 | 0.004 | 0.02107 | 0.237 | -0.237 |
| 5 | 1-2-3 | Left | 0.005 | 0.0027 | 0.02107 | 0.109 | -0.109 |
| 5 | 1-2-3 | Middle | 0.005 | 0.0027 | 0.02107 | 0.109 | -0.109 |
| 5 | 1-2-3 | Right | 0.005 | 0.0027 | 0.02107 | 0.109 | -0.109 |
| 6 | 1-2-3 | Left | 0.004 | 0.0027 | 0.02107 | 0.062 | -0.062 |

| 6 | 1-2-3 | Middle | 0.004 | 0.0027 | 0.02107 | 0.062 | -0.062 |
|---|-------|--------|-------|--------|---------|-------|--------|
| 6 | 1-2-3 | Right | 0.004 | 0.0027 | 0.02107 | 0.062 | -0.062 |

| Table 2.9 | : Modeling | g Parameters | for Negative | Plastic Momen | nt – longitudinal | frame (According | | | | | |
|-----------|--|--------------|--------------|---------------|-------------------|------------------|--|--|--|--|--|
| | to FEMA 356 – Table 6.7 – Beams controlled by Flexure) | | | | | | | | | | |
| | | | | | | | | | | | |

| | | | | | | Modelling Parameters | | | | |
|---------------------|-------|----------------------------------|---|--------------------------|--|----------------------|------------------|-------------------------------|---------------------|--|
| Beam of Floor | Span | Position of plastic hinges | $rac{ ho_{_{top}}- ho_{_{bot}}}{ ho_{_{bal}}}$ | Transverse Reinforce. | $\frac{V}{b_{w}^{*}d^{*}\sqrt{f_{c}^{'}}}$ | Plastic Ar | Rotation Igle | Residual strength ratio | Normalised ratio | |
| | | | | | ,, , , , , , , , , , , , , , , , , , , | a | b | с | b/a | |
| 1-2 | 1 | Left | 0.261 | C. | <3 | 0.022 | 0.039 | 0.2 | 1.772727 | |
| 1-2 | 1 | Middle | 0.085 | C. | <3 | 0.025 | 0.05 | 0.2 | 2 | |
| 1-2 | 1 | Right | 0.237 | C. | <3 | 0.023 | 0.045 | 0.2 | 1.956522 | |
| 1-2 | 2 | Left | 0.237 | C. | <3 | 0.023 | 0.045 | 0.2 | 1.956522 | |
| 1-2 | 2 | Middle | 0.085 | C. | <3 | 0.025 | 0.05 | 0.2 | 2 | |
| 1-2 | 2 | Right | 0.237 | C. | <3 | 0.023 | 0.045 | 0.2 | 1.956522 | |
| 1-2 | 3 | Left | 0.237 | C. | <3 | 0.023 | 0.045 | 0.2 | 1.956522 | |
| 1-2 | 3 | Middle | 0.085 | C. | <3 | 0.025 | 0.05 | 0.2 | 2 | |
| 1-2 | 3 | Right | 0.261 | C. | <3 | 0.022 | 0.039 | 0.2 | 1.772727 | |
| 3-4 | 1 | Left | 0.237 | C. | <3 | 0.023 | 0.045 | 0.2 | 1.956522 | |
| 3-4 | 1 | Middle | 0.024 | C. | <3 | 0.025 | 0.05 | 0.2 | 2 | |
| 3-4 | 1 | Right | 0.152 | C. | <3 | 0.024 | 0.046 | 0.2 | 1.916667 | |
| 3-4 | 2 | Left | 0.152 | C. | <3 | 0.024 | 0.046 | 0.2 | 1.916667 | |
| 3-4 | 2 | Middle | 0.024 | C. | <3 | 0.025 | 0.05 | 0.2 | 2 | |
| 3-4 | 2 | Right | 0.152 | C. | <3 | 0.024 | 0.046 | 0.2 | 1.916667 | |
| 3-4 | 3 | Left | 0.152 | C. | <3 | 0.024 | 0.046 | 0.2 | 1.916667 | |
| 3-4 | 3 | Middle | 0.024 | C. | <3 | 0.025 | 0.05 | 0.2 | 2 | |
| 3-4 | 3 | Right | 0.237 | C. | <3 | 0.023 | 0.044 | 0.2 | 1.833333 | |
| 5 | 1-2-3 | Left | 0.109 | C. | <3 | 0.024 | 0.044 | 0.2 | 1.833333 | |
| 5 | 1-2-3 | Middle | 0.109 | C. | <3 | 0.024 | 0.044 | 0.2 | 1.833333 | |
| 5 | 1-2-3 | Right | 0.109 | C. | <3 | 0.024 | 0.044 | 0.2 | 1.833333 | |
| 6 | 1-2-3 | Left | 0.062 | C. | <3 | 0.025 | 0.05 | 0.2 | 2 | |
| 6 | 1-2-3 | Middle | 0.062 | C. | <3 | 0.025 | 0.05 | 0.2 | 2 | |
| 6 | 1-2-3 | Right | 0.062 | C. | <3 | 0.025 | 0.05 | 0.2 | 2 | |

Table 2.10 : Modeling Parameters for Positive Plastic Moment (According to FEMA 356 – Table6.7 – Beams controlled by Flexure)

| | | | | | | | Modell | ing Parameter | S |
|---------------------|------|----------------------------------|---|--------------------------|--|---------------------------|--------|-------------------------------|------------------|
| Beam of Floor | Span | Position of plastic hinges | $rac{ ho_{\scriptscriptstyle bot}- ho_{\scriptscriptstyle top}}{ ho_{\scriptscriptstyle bal}}$ | Transverse Reinforce. | $\frac{V}{b_{w}^{*} d^{*} \sqrt{f_{c}^{'}}}$ | Plastic Rotation Angle | | Residual strength ratio | Normalised ratio |
| | | | | | | а | b | с | b/a |
| 1-2 | 1 | Left | <0 | C. | <3 | 0.025 | 0.05 | 0.2 | 2 |
| 1-2 | 1 | Middle | <0 | C. | <3 | 0.025 | 0.05 | 0.2 | 2 |
| 1-2 | 1 | Right | <0 | C. | <3 | 0.025 | 0.05 | 0.2 | 2 |
| 1-2 | 2 | Left | <0 | C. | <3 | 0.025 | 0.05 | 0.2 | 2 |
| 1-2 | 2 | Middle | <0 | C. | <3 | 0.025 | 0.05 | 0.2 | 2 |
| 1-2 | 2 | Right | <0 | C. | <3 | 0.025 | 0.05 | 0.2 | 2 |
| 1-2 | 3 | Left | <0 | C. | <3 | 0.025 | 0.05 | 0.2 | 2 |
| 1-2 | 3 | Middle | <0 | C. | <3 | 0.025 | 0.05 | 0.2 | 2 |
| 1-2 | 3 | Right | <0 | C. | <3 | 0.025 | 0.05 | 0.2 | 2 |

| 3-4 | 1 | Left | <0 | C. | <3 | 0.025 | 0.05 | 0.2 | 2 |
|-----|-------|--------|----|----|----|-------|------|-----|---|
| 3-4 | 1 | Middle | <0 | C. | <3 | 0.025 | 0.05 | 0.2 | 2 |
| 3-4 | 1 | Right | <0 | С. | <3 | 0.025 | 0.05 | 0.2 | 2 |
| 3-4 | 2 | Left | <0 | C. | <3 | 0.025 | 0.05 | 0.2 | 2 |
| 3-4 | 2 | Middle | <0 | C. | <3 | 0.025 | 0.05 | 0.2 | 2 |
| 3-4 | 2 | Right | <0 | C. | <3 | 0.025 | 0.05 | 0.2 | 2 |
| 3-4 | 3 | Left | <0 | C. | <3 | 0.025 | 0.05 | 0.2 | 2 |
| 3-4 | 3 | Middle | <0 | C. | <3 | 0.025 | 0.05 | 0.2 | 2 |
| 3-4 | 3 | Right | <0 | C. | <3 | 0.025 | 0.05 | 0.2 | 2 |
| 5 | 1-2-3 | Left | <0 | С. | <3 | 0.025 | 0.05 | 0.2 | 2 |
| 5 | 1-2-3 | Middle | <0 | С. | <3 | 0.025 | 0.05 | 0.2 | 2 |
| 5 | 1-2-3 | Right | <0 | С. | <3 | 0.025 | 0.05 | 0.2 | 2 |
| 6 | 1-2-3 | Left | <0 | C. | <3 | 0.025 | 0.05 | 0.2 | 2 |
| 6 | 1-2-3 | Middle | <0 | C. | <3 | 0.025 | 0.05 | 0.2 | 2 |
| 6 | 1-2-3 | Right | <0 | C. | <3 | 0.025 | 0.05 | 0.2 | 2 |

Table 2.11: Acceptance Criteria for Negative Plastic Moment (According to FEMA 356 – Table6.7 – Beams controlled by Flexure)

| | | | | | | | A | Acceptance | Criteria | | |
|---------|-------|------------------------|---------------------------|-------|-----------------------|------|--------|--------------|----------|---------|-------|
| | | D | | | | | Pla | astic Rotati | on Angle | ; | |
| Beam of | Span | Position of plastic | $\rho_{tap} - \rho_{bat}$ | Tran. | | - | H | Performanc | e Level | | |
| Floor | Spuii | hinges | $ ho_{ m bal}$ | Rein. | $b_w^*d^*_\sqrt{f_d}$ | | Compon | ent Type | Nor | malised | ratio |
| | | | | | | IO | Prir | nary | IO/a | I S/a | |
| | | | | | | | LS | СР | 10/a | LS/a | Cr/a |
| 1-2 | 1 | Left | 0.261 | С. | <3 | 0.01 | 0.014 | 0.022 | 0.45 | 0.64 | 1 |
| 1-2 | 1 | Middle | 0.085 | C. | <3 | 0.01 | 0.018 | 0.025 | 0.42 | 0.75 | 1.04 |
| 1-2 | 1 | Right | 0.237 | C. | <3 | 0.01 | 0.015 | 0.023 | 0.43 | 0.65 | 1 |
| 1-2 | 2 | Left | 0.237 | C. | <3 | 0.01 | 0.015 | 0.023 | 0.43 | 0.65 | 1 |
| 1-2 | 2 | Middle | 0.085 | С. | <3 | 0.01 | 0.018 | 0.025 | 0.4 | 0.72 | 1 |
| 1-2 | 2 | Right | 0.237 | С. | <3 | 0.01 | 0.015 | 0.023 | 0.43 | 0.65 | 1 |
| 1-2 | 3 | Left | 0.237 | С. | <3 | 0.01 | 0.015 | 0.023 | 0.43 | 0.65 | 1 |
| 1-2 | 3 | Middle | 0.085 | С. | <3 | 0.01 | 0.018 | 0.025 | 0.4 | 0.72 | 1 |
| 1-2 | 3 | Right | 0.261 | C. | <3 | 0.01 | 0.014 | 0.022 | 0.45 | 0.64 | 1 |
| 3-4 | 1 | Left | 0.237 | C. | <3 | 0.01 | 0.015 | 0.023 | 0.43 | 0.65 | 1 |
| 3-4 | 1 | Middle | 0.024 | C. | <3 | 0.01 | 0.02 | 0.025 | 0.4 | 0.8 | 1 |
| 3-4 | 1 | Right | 0.152 | C. | <3 | 0.01 | 0.017 | 0.024 | 0.42 | 0.71 | 1 |
| 3-4 | 2 | Left | 0.152 | C. | <3 | 0.01 | 0.017 | 0.024 | 0.42 | 0.71 | 1 |
| 3-4 | 2 | Middle | 0.024 | C. | <3 | 0.01 | 0.02 | 0.025 | 0.4 | 0.8 | 1 |
| 3-4 | 2 | Right | 0.152 | C. | <3 | 0.01 | 0.017 | 0.024 | 0.42 | 0.71 | 1 |
| 3-4 | 3 | Left | 0.152 | C. | <3 | 0.01 | 0.017 | 0.024 | 0.42 | 0.71 | 1 |
| 3-4 | 3 | Middle | 0.024 | C. | <3 | 0.01 | 0.02 | 0.025 | 0.4 | 0.8 | 1 |
| 3-4 | 3 | Right | 0.237 | C. | <3 | 0.01 | 0.015 | 0.023 | 0.43 | 0.65 | 1 |
| 5 | 1-2-3 | Left | 0.109 | C. | <3 | 0.01 | 0.018 | 0.024 | 0.42 | 0.75 | 1 |
| 5 | 1-2-3 | Middle | 0.109 | С. | <3 | 0.01 | 0.018 | 0.024 | 0.42 | 0.75 | 1 |
| 5 | 1-2-3 | Right | 0.109 | С. | <3 | 0.01 | 0.018 | 0.024 | 0.42 | 0.75 | 1 |
| 6 | 1-2-3 | Left | 0.062 | C. | <3 | 0.01 | 0.02 | 0.025 | 0.4 | 0.8 | 1 |
| 6 | 1-2-3 | Middle | 0.062 | C. | <3 | 0.01 | 0.02 | 0.025 | 0.4 | 0.8 | 1 |
| 6 | 1-2-3 | Right | 0.062 | C. | <3 | 0.01 | 0.02 | 0.025 | 0.4 | 0.8 | 1 |

| | | | ÷ | 2 tunis t | iona one a of | 1 10110/10 | / | | | | |
|---------|-------|------------------------|---|-----------|------------------------|------------|--------|--------------|----------|---------|-------|
| | | | | | | | A | Acceptance | Criteria | | |
| | | | | | | | Pla | astic Rotati | on Angle | ; | |
| Beam of | Span | Position of plastic | $\underline{\rho_{\rm loct}} - \overline{\rho_{\rm lop}}$ | Tran. | | | I | Performanc | e Level | | |
| Floor | opun | hinges | $ ho_{ m bal}$ | Rein. | $b_w^* d^* \sqrt{f_d}$ | | Compon | ent Type | Nor | malised | ratio |
| | | | | | | IO | Prin | nary | IO/a | LC/a | CD/a |
| | | | | | | | LS | СР | IO/a | LS/a | CP/a |
| 1-2 | 1 | Left | <0 | С. | <3 | 0.01 | 0.02 | 0.025 | 0.4 | 0.8 | 1 |
| 1-2 | 1 | Middle | <0 | С. | <3 | 0.01 | 0.02 | 0.025 | 0.4 | 0.8 | 1 |
| 1-2 | 1 | Right | <0 | С. | <3 | 0.01 | 0.02 | 0.025 | 0.4 | 0.8 | 1 |
| 1-2 | 2 | Left | <0 | С. | <3 | 0.01 | 0.02 | 0.025 | 0.4 | 0.8 | 1 |
| 1-2 | 2 | Middle | <0 | С. | <3 | 0.01 | 0.02 | 0.025 | 0.4 | 0.8 | 1 |
| 1-2 | 2 | Right | <0 | С. | <3 | 0.01 | 0.02 | 0.025 | 0.4 | 0.8 | 1 |
| 1-2 | 3 | Left | <0 | С. | <3 | 0.01 | 0.02 | 0.025 | 0.4 | 0.8 | 1 |
| 1-2 | 3 | Middle | <0 | С. | <3 | 0.01 | 0.02 | 0.025 | 0.4 | 0.8 | 1 |
| 1-2 | 3 | Right | <0 | С. | <3 | 0.01 | 0.02 | 0.025 | 0.4 | 0.8 | 1 |
| 3-4 | 1 | Left | <0 | С. | <3 | 0.01 | 0.02 | 0.025 | 0.4 | 0.8 | 1 |
| 3-4 | 1 | Middle | <0 | С. | <3 | 0.01 | 0.02 | 0.025 | 0.4 | 0.8 | 1 |
| 3-4 | 1 | Right | <0 | C. | <3 | 0.01 | 0.02 | 0.025 | 0.4 | 0.8 | 1 |
| 3-4 | 2 | Left | <0 | С. | <3 | 0.01 | 0.02 | 0.025 | 0.4 | 0.8 | 1 |
| 3-4 | 2 | Middle | <0 | С. | <3 | 0.01 | 0.02 | 0.025 | 0.4 | 0.8 | 1 |
| 3-4 | 2 | Right | <0 | C. | <3 | 0.01 | 0.02 | 0.025 | 0.4 | 0.8 | 1 |
| 3-4 | 3 | Left | <0 | С. | <3 | 0.01 | 0.02 | 0.025 | 0.4 | 0.8 | 1 |
| 3-4 | 3 | Middle | <0 | С. | <3 | 0.01 | 0.02 | 0.025 | 0.4 | 0.8 | 1 |
| 3-4 | 3 | Right | <0 | С. | <3 | 0.01 | 0.02 | 0.025 | 0.4 | 0.8 | 1 |
| 5 | 1-2-3 | Left | <0 | С. | <3 | 0.01 | 0.02 | 0.025 | 0.4 | 0.8 | 1 |
| 5 | 1-2-3 | Middle | <0 | C. | <3 | 0.01 | 0.02 | 0.025 | 0.4 | 0.8 | 1 |
| 5 | 1-2-3 | Right | <0 | C. | <3 | 0.01 | 0.02 | 0.025 | 0.4 | 0.8 | 1 |
| 6 | 1-2-3 | Left | <0 | C. | <3 | 0.01 | 0.02 | 0.025 | 0.4 | 0.8 | 1 |
| 6 | 1-2-3 | Middle | <0 | C. | <3 | 0.01 | 0.02 | 0.025 | 0.4 | 0.8 | 1 |
| 6 | 1-2-3 | Right | <0 | C. | <3 | 0.01 | 0.02 | 0.025 | 0.4 | 0.8 | 1 |

Table 2.12 : Acceptance Criteria for Positive Plastic Moment (According to FEMA 356 – Table 6.7 – Beams controlled by Flexure)

II.2.2 Column

| Table 2.13 : | Properties | of the | plastic | hinge | section |
|--------------|------------|--------|---------|-------|---------|
|--------------|------------|--------|---------|-------|---------|

| Column | Position | N – Axial | V – Shear | Gross Area | N | V |
|----------|----------|-----------|-----------|------------|---------------------------------|-----------------------------------|
| of floor | of | force (N) | Force (N) | of Column | $\overline{A * f}$ | $\frac{1}{h * d * f}$ |
| | plastic | | | $A_g(mm2)$ | ^{II} g J _{ck} | $D_w \cdot a \cdot \sqrt{J_{ck}}$ |
| | hinges | | | | | |
| 1-2-3 | Bottom | 1306600 | 79530 | 200000 | 0.261 | <3 |
| 1-2-3 | Тор | 1289200 | 79530 | 200000 | 0.258 | <3 |
| 4-5-6 | Bottom | 628800 | 63902 | 200000 | 0.126 | <3 |
| 4-5-6 | Тор | 614000 | 23902 | 200000 | 0.123 | <3 |

| Table 2.14: Modeling Parameters for Plastic Moment (According to FEMA 356 – Table 6.8 – |
|---|
| Columns controlled by Flexure) |

| | Position | | U/ | Transverse | | Modelli | ing Parameter | S |
|--------------------|---------------|------------------------------|--------------------------------------|------------|-----------------|-----------------|-------------------------------|------------------|
| Column of floor | of plastic | $\frac{N}{A_{_g}*f_{_{ck}}}$ | $\frac{v}{b_{w}^{*}d*\sqrt{f_{ck}}}$ | Reinforce. | Plastic l An | Rotation gle | Residual strength ratio | Normalised ratio |
| | hinges | | | | a | b | с | b/a |
| 1-2-3 | Bottom | 0.261 | <3 | С | 0.017 | 0.027 | 0.2 | 1.59 |
| 1-2-3 | Тор | 0.258 | <3 | С | 0.017 | 0.027 | 0.2 | 1.59 |
| 4-5-6 | Bottom | 0.126 | <3 | C | 0.02 | 0.03 | 0.2 | 1.5 |
| 4-5-6 | Тор | 0.123 | <3 | С | 0.02 | 0.03 | 0.2 | 1.5 |

Table 2.15: Acceptance Criteria for Plastic Moment (According to FEMA 356 – Table 6.8 – Columns controlled by Flexure)

| | | | | Acceptance Criteria | | | | | | | |
|----------|------------|--|-------------------------------------|---------------------|-------|--------|--------------|---------|------------------|-------|--|
| | Position | 37 | TZ. | | | Plas | tic Rotation | n Angle | | | |
| Column | of plastic | plastic inges $\frac{N}{A_g * f_{ck}}$ | $\frac{v}{b_w^* d^* \sqrt{f_{ck}}}$ | Tran. | | Pe | erformance | Level | | | |
| of floor | hinges | | | Rein. | | Compon | ent Type | Nor | Iormalised ratio | | |
| | | | | | IO | Prin | nary | IO/a | I S/a | CP/a | |
| | | | | | | LS | СР | 10/a | LD/ a | CI /a | |
| 1-2 -3 | Bottom | 0.259 | <3 | C. | 0.004 | 0.013 | 0.017 | 0.24 | 0.76 | 1 | |
| 1-2-3 | Тор | 0.2552 | <3 | C. | 0.004 | 0.013 | 0.017 | 0.24 | 0.76 | 1 | |
| 4-5-6 | Bottom | 0.1248 | <3 | C. | 0.005 | 0.015 | 0.020 | 0.25 | 0.75 | 1 | |
| 4-5-6 | Тор | 0.1232 | <3 | C. | 0.005 | 0.015 | 0.020 | 0.25 | 0.75 | 1 | |

III Lateral Loads

Pushover analysis in EC8 [3] follows the N2 method developed by Fajfar (1999). The method consists of applying two lateral distributions to the frame:

- A "modal" pattern, that is a load shape proportional to the mass matrix multiplied by the first elastic mode shape $P^1 = M\phi_1$.
- A "uniform" pattern, that is a mass proportional to the load shape $P^2 = MR$

| Frame | Floor | Modal | Uniform | Frame | Floor | Modal | Uniform |
|-------|-------|---------|---------|-------|-------|---------|---------|
| | | Pattern | Pattern | | | Pattern | Pattern |
| YZ | 6 | 1 | 1 | XZ | 6 | 1 | 1 |
| | 5 | 0.931 | 1 | | 5 | 0.939 | 1 |
| | 4 | 0.809 | 1 | | 4 | 0.824 | 1 |
| | 3 | 0.634 | 1 | | 3 | 0.657 | 1 |
| | 2 | 0.421 | 1 | | 2 | 0.45 | 1 |
| | 1 | 0.191 | 1 | | 1 | 0.218 | 1 |

Table 2.16: Lateral Loads

IV <u>Pushover Curve (Capacity Curve)</u>

By using Non-linear static Analysis in SAP 2000 version 9.0.3[8], the Pushover Curve of two vertical distributions of the lateral forces which correspond to uniform pattern loads and to modal pattern loads will be plotted as following pictures:



Picture 2.1 : Pushover Curve of frame YZ



Picture 2.2: Pushover Curve of frame XZ

Plastic Mechanisms corresponding to two modal load patterns are presented in following pictures.



Figure 2.3: Plastic Mechanism - Uniform Load Pattern



Figure 2.4: Plastic Mechanism Plane YZ - Modal Load Pattern


Figure 2.5: Plastic Mechanism Plane XZ - Modal Load Pattern



Figure 2.6: Plastic Mechanism Plane XZ - Uniform Load Pattern

V Target Displacement

To check performance of structure under earthquake excitations, we will determine the target displacements corresponding to given peak ground accelerations. Three values of PGA will be checked (a_{Rg} =0.15g; 0.3g and 0.6g). The target displacement of the structure will be determined according to ANNEX B – EC8[3]. The structure which is multi degree of freedom will be transformed to Single Degree of Freedom by using the law of energy equilibrium.

| Frames | Floors | Masses - | Norn | nalized | m _i | ф _і | mid | p_i^2 |
|--------|--------|---------------------|---------|-------------|----------------|----------------|---------------|------------|
| | | m _i (Kg) | Mo | de ϕ_i | | | | |
| | | | Modal | Uniform | Modal Pattern | Uniform | Modal Pattern | Uniform |
| | | | Pattern | Pattern | | Pattern | | Pattern |
| YZ | 6 | 57054.0265 | 1 | 1 | 57054.0265 | 57054.0265 | 57054.0265 | 57054.0265 |
| | 5 | 67568.8073 | 0.931 | 1 | 62906.55963 | 67568.8073 | 58566.00702 | 67568.8073 |

Table 2.17 : Frame Properties

| | 4 | 67568.8073 | 0.809 | 1 | 54663.16514 | 67568.8073 | 44222.5006 | 67568.8073 |
|----|---|------------|-------|---|---------------|--------------|---------------|--------------|
| | 3 | 67568.8073 | 0.634 | 1 | 42838.62385 | 67568.8073 | 27159.68752 | 67568.8073 |
| | 2 | 67568.8073 | 0.421 | 1 | 28446.46789 | 67568.8073 | 11975.96298 | 67568.8073 |
| | 1 | 68588.1753 | 0.191 | 1 | 13100.34149 | 68588.1753 | 2502.165224 | 68588.1753 |
| | | Tot | al | | Σ=259009.1845 | Σ=395917.431 | Σ=201480.3498 | Σ=395917.431 |
| XZ | 6 | 57054.0265 | 1 | 1 | 57054.0265 | 57054.0265 | 57054.0265 | 57054.0265 |
| | 5 | 67568.8073 | 0.939 | 1 | 63447.11009 | 67568.8073 | 59576.83638 | 67568.8073 |
| | 4 | 67568.8073 | 0.824 | 1 | 55676.69725 | 67568.8073 | 45877.59853 | 67568.8073 |
| | 3 | 67568.8073 | 0.657 | 1 | 44392.70642 | 67568.8073 | 29166.00812 | 67568.8073 |
| | 2 | 67568.8073 | 0.45 | 1 | 30405.9633 | 67568.8073 | 13682.68349 | 67568.8073 |
| | 1 | 68588.1753 | 0.218 | 1 | 14952.22222 | 68588.1753 | 3259.584444 | 68588.1753 |
| | | Tot | al | | Σ=265928.7258 | Σ=395917.431 | Σ=208616.7375 | Σ=395917.431 |

Table 2.18 : Target displacement of frame YZ – Modal Load Pattern, $a_{Rg} = 0.15g$ soil C

| Ite. | Step | Г | F _b | F^{*} | Dm | d^* | Em | d _y | d [*] _y | T^* | T _c | $S_e(T^*)$ | d_e^* | d_t^* |
|-------|------|------|----------------|---------|-----------|-----------|-----------------|----------------------|-----------------------------|-------|----------------|------------|---------|---------|
| Pro.s | | | (KN) | (KN) | (m) | (m) | (KNm) | (m) | (m) | S | s | | (m) | (m) |
| 1 | 4308 | 1.29 | 539.5 | 419.7 | 0.32 | 0.25 | 152 | 0.07 | 0.057 | 1.2 | 0.6 | 2.14 | 0.076 | 0.076 |
| 2 | 1026 | | 486.8 | 378.7 | 0.076 | 0.059 | 25.9 | 0.046 | 0.036 | 0.98 | 0.6 | 2.58 | 0.063 | 0.063 |
| 3 | 850 | | 476.9 | 371.0 | 0.063 | 0.049 | 19.6 | 0.044 | 0.034 | 0.97 | 0.6 | 2.60 | 0.063 | 0.063 |
| | | | | T | he target | displacen | nent is $d_t =$ | $d_{t}^{*} \Gamma =$ | 0.08m | | | | | |

Table 2.19 : Target displacement of frame YZ – Modal Load Pattern, $a_{Rg} = 0.3g$ soil C

| Ite. | Step | Г | F _b | F^* | dm | d^* | E _m | dy | d [*] y | T^* | T _c | $S_e(T^*)$ | d [*] _e | d_t^* |
|-------|------|------|----------------|-------|-----------|-----------|-----------------|------------------------|------------------|-------|----------------|------------|-----------------------------|---------|
| Pro.s | | | (KN) | (KN) | (m) | (m) | (KNm) | (m) | (m) | S | s | | (m) | (m) |
| 1 | 4308 | 1.29 | 539.5 | 419.7 | 0.32 | 0.25 | 152 | 0.07 | 0.057 | 1.18 | 0.6 | 4.29 | 0.152 | 0.152 |
| 2 | 2053 | | 513.6 | 399.5 | 0.15 | 0.12 | 64.0 | 0.055 | 0.043 | 1.05 | 0.6 | 4.85 | 0.14 | 0.14 |
| | | | | Tł | ne target | displacen | nent is $d_t =$ | $d_{t}^{*} + \Gamma =$ | 0.19m | | | | | |

Table 2.20 : Target displacement of frame YZ – Modal Load Pattern, a_{Rg} = 0.5g soil C

| Ite. | Step | Γ | F _b | F^* | dm | d^* | Em | dy | d [*] _y | T^* | T _c | S _e (T*) | d [*] _e | d_t^* |
|-------|------|------|----------------|-------|-----------|-----------|-----------------|------------------------|-----------------------------|-------|----------------|---------------------|-----------------------------|---------|
| Pro.s | | | (KN) | (KN) | (m) | (m) | (KNm) | (m) | (m) | S | s | | (m) | (m) |
| 1 | 4308 | 1.29 | 539.5 | 419.7 | 0.32 | 0.25 | 152 | 0.07 | 0.057 | 1.18 | 0.6 | 6.2 | 0.25 | 0.25 |
| | | | | Tł | ne target | displacen | nent is $d_t =$ | $d_{t}^{*} + \Gamma =$ | 0.32m | | | | | |

Table 2.21: Target displacement of frame YZ – Uniform Load Pattern, $a_{Rg} = 0.15g$ soil C

| Ite. | Step | Г | F _b | F^* | dm | d* | E _m | d _y | d [*] _v | T^* | T _c | $S_e(T^*)$ | d [*] _e | d_t^* |
|-------|------|---|----------------|-------|-----------|-----------|-----------------|----------------------|-----------------------------|-------|----------------|------------|-----------------------------|---------|
| Pro.s | | | (KN) | (KN) | (m) | (m) | (KNm) | (m) | (m) | S | s | | (m) | (m) |
| 1 | 3301 | 1 | 620.3 | 620.3 | 0.24 | 0.24 | 131 | 0.066 | 0.066 | 1.29 | 0.6 | 1.97 | 0.083 | 0.083 |
| 2 | 1121 | 1 | 562.3 | 562.3 | 0.083 | 0.083 | 34.4 | 0.043 | 0.043 | 1.09 | 0.6 | 2.32 | 0.07 | 0.07 |
| | | | | Tl | he target | displacen | nent is $d_t =$ | $d_{t}^{*} \Gamma =$ | 0.07m | | | | | |

Table 2.22: Target displacement of frame YZ – Uniform Load Pattern, $a_{Rg} = 0.3g$ soil C

| Ite. | Step | Г | F _b | F^* | dm | d* | E_m | d _v | d_v^* | T^* | T _c | $S_e(T^*)$ | d [*] _e | d_t^* |
|-------|------|---|----------------|-------|-----------|-----------|-----------------|------------------------|---------|-------|----------------|------------|-----------------------------|---------|
| Pro.s | _ | | (KN) | (KN) | (m) | (m) | (KNm) | (m) | (m) | S | s | | (m) | (m) |
| 1 | 3301 | 1 | 620.3 | 620.3 | 0.24 | 0.24 | 131 | 0.066 | 0.066 | 1.29 | 0.6 | 3.95 | 0.17 | 0.17 |
| 2 | 2296 | 1 | 604.8 | 604.8 | 0.17 | 0.17 | 85.5 | 0.048 | 0.048 | 1.11 | 0.6 | 4.56 | 0.144 | 0.144 |
| 3 | 1945 | 1 | 591.1 | 591.1 | 0.144 | 0.144 | 69.9 | 0.052 | 0.052 | 1.17 | 0.6 | 4.34 | 0.15 | 0.15 |
| | | | | Tl | he target | displacen | nent is $d_t =$ | $d_{t}^{*} + \Gamma =$ | 0.15m | | | | | |

Table 2.23: Target displacement of frame YZ – Uniform Load Pattern, $a_{Rg} = 0.5g$ soil C

| Ite. | Step | Г | F _b | F^{*} | dm | d* | E _m | dy | d [*] y | T^* | T _c | $S_e(T^*)$ | d [*] _e | d_t^* |
|-------|------|---|----------------|---------|-----------|-----------|-----------------|------------------------|------------------|-------|----------------|------------|-----------------------------|---------|
| Pro.s | | | (KN) | (KN) | (m) | (m) | (KNm) | (m) | (m) | S | s | | (m) | (m) |
| 1 | 3301 | 1 | 620.3 | 620.3 | 0.24 | 0.24 | 131 | 0.066 | 0.066 | 1.29 | 0.6 | 6.58 | 0.28 | 0.28 |
| | | | | Tł | ne target | displacen | nent is $d_t =$ | $d_{t}^{*} + \Gamma =$ | 0.24m | | | | | |

Table 2.24: Target displacement of frame XZ – Modal Load Pattern, $a_{Rg} = 0.15g$ soil C

| Ite. | Step | Г | F _b | F^{*} | dm | d* | Em | dy | d [*] y | T^* | T _c | $S_e(T^*)$ | d [*] _e | d_t^* |
|-------|------|------|----------------|------------------|------------|----------|--------------------|------------------------|------------------|-------|----------------|------------|-----------------------------|---------|
| Pro.s | | | (KN) | (KN) | (m) | (m) | (KNm) | (m) | (m) | S | s | | (m) | (m) |
| 1 | 4309 | 1.28 | 553.1 | 433.9 | 0.319 | 0.25 | 157 | 0.07 | 0.057 | 1.15 | 0.6 | 2.2 | 0.074 | 0.074 |
| 2 | 999 | | 495.9 | 489.0 | 0.074 | 0.058 | 26.2 | 0.043 | 0.034 | 0.95 | 0.6 | 2.7 | 0.061 | 0.061 |
| | | | | Th | e target d | isplacem | ent is $d_t = d_t$ | $l_{t}^{*} \Gamma = 0$ | 0.078m | | | | | |

Table 2.25: Target displacement of frame XZ – Modal Load Pattern, $a_{Rg} = 0.3g$ soil C

| Ite. | Step | Г | F _b | F^{*} | dm | d^* | Em | dy | d_{y}^{*} | T^* | T _c | $S_e(T^*)$ | d [*] _e | d_t^* |
|-------|------|------|----------------|---------|-------------|-----------|-----------------|----------------------|-------------|-------|----------------|------------|-----------------------------|---------|
| Pro.s | | | (KN) | (KN) | (m) | (m) | (KNm) | (m) | (m) | S | S | | (m) | (m) |
| 1 | 4309 | 1.28 | 553.1 | 433.9 | 0.319 | 0.25 | 157 | 0.07 | 0.055 | 1.154 | 0.6 | 4.4 | 0.149 | 0.149 |
| 2 | 2012 | | 522.9 | 410.2 | 0.149 | 0.17 | 64.4 | 0.051 | 0.04 | 1.0 | 0.6 | 5.03 | 0.13 | 0.13 |
| | | | | Tl | ne target o | lisplacen | nent is $d_t =$ | $d_{t}^{*} \Gamma =$ | 0.17m | | | | | |

Table 2.26: Target displacement of frame XZ – Modal Load Pattern, $a_{Rg} = 0.5g$ soil C

| | | | | r | | | | | , | mg or | - 0 | | | |
|-------|------|------|----------------|-------|-------------|-----------|------------------|------------------------|------------------|-------|----------------|------------|-----------------------------|---------|
| Ite. | Step | Г | F _b | F^* | dm | d^* | E _m | dy | d [*] y | T^* | T _c | $S_e(T^*)$ | d [*] _e | d_t^* |
| Pro.s | | | (KN) | (KN) | (m) | (m) | (KNm) | (m) | (m) | s | S | | (m) | (m) |
| 1 | 4309 | 1.28 | 553.1 | 433.9 | 0.319 | 0.25 | 157 | 0.07 | 0.055 | 1.16 | 0.6 | 7.3 | 0.25 | 0.25 |
| | | | | Tł | ne target (| displacen | nent is $d_t = $ | $d_{t}^{*} + \Gamma =$ | 0.32m | | | | | |

Table 2.27: Target displacement of frame XZ – Uniform Load Pattern, $a_{Rg} = 0.15g$ soil C

| Ite. | Step | Г | F _b | F^{*} | dm | d^* | E_{m} | dy | d_{y}^{*} | T^* | T _c | $S_e(T^*)$ | d [*] _e | d_t^* |
|-------|------|---|----------------|------------------|-------------|-----------|------------------------|---------------------|-------------|-------|----------------|------------|-----------------------------|---------|
| Pro.s | | | (KN) | (KN) | (m) | (m) | (KNm) | (m) | (m) | S | s | | (m) | (m) |
| 1 | 3226 | 1 | 636.9 | 636.9 | 0.24 | 0.24 | 130 | 0.072 | 0.072 | 1.33 | 0.6 | 1.91 | 0.085 | 0.085 |
| 2 | 1147 | | 569.6 | 569.6 | 0.085 | 0.085 | 36.7 | 0.042 | 0.042 | 1.00 | 0.6 | 2.37 | 0.07 | 0.07 |
| | | | | Tł | ne target (| displacen | the neutrino $d_t = 0$ | d [*] .*Γ= | 0.07m | | | | | |

Table 2.28: Target displacement of frame XZ – Uniform Load Pattern, $a_{Rg} = 0.3g$ soil C

| Ite. | Step | Γ | F _b | F^* | dm | d^* | E _m | dy | d_{y}^{*} | T^* | T _c | $S_e(T^*)$ | d [*] _e | d_t^* |
|-------|---|---|----------------|-------|------|-------|----------------|-------|-------------|-------|----------------|------------|-----------------------------|---------|
| Pro.s | | | (KN) | (KN) | (m) | (m) | (KNm) | (m) | (m) | s | s | | (m) | (m) |
| 1 | 3226 | 1 | 636.9 | 636.9 | 0.24 | 0.24 | 130 | 0.072 | 0.072 | 1.33 | 0.6 | 3.83 | 0.17 | 0.17 |
| 2 | 2296 | | 611.4 | 611.4 | 0.17 | 0.17 | 87.0 | 0.057 | 0.057 | 1.2 | 0.6 | 4.22 | 0.16 | 0.16 |
| | The target displacement is $d_t = d_t^* + \Gamma = 0.16m$ | | | | | | | | | | | | | |

Table 2.29: Target displacement of frame XZ – Uniform Load Pattern, $a_{Rg} = 0.5$ g soil C

| Ite. | Step | Γ | F _b | F^{*} | dm | d* | Em | dy | d_{y}^{*} | T^* | T _c | $S_e(T^*)$ | d [*] _e | d_t^* |
|-------|---|---|----------------|---------|------|------|-------|-------|-------------|-------|----------------|------------|-----------------------------|---------|
| Pro.s | | | (KN) | (KN) | (m) | (m) | (KNm) | (m) | (m) | S | S | | (m) | (m) |
| 1 | 3226 | 1 | 636.9 | 636.9 | 0.24 | 0.24 | 130 | 0.072 | 0.072 | 1.33 | 0.6 | 6.37 | 0.28 | 0.28 |
| 2 | 2296 | | 611.4 | 611.4 | 0.17 | 0.17 | 87.0 | 0.057 | 0.057 | 1.2 | 0.6 | 4.22 | 0.16 | 0.16 |
| | The target displacement is $d_t = d_t^* + \Gamma = 0.24m$ | | | | | | | | | | | | | |

VI <u>Over-strength Factor and behavior factor</u>

• According to 5.2.2.2 - EC8[3], over strength factor is the ratio between the values of α_u , which is the multiplier of the horizontal seismic design action with all other design actions constant, at formation of plastic hinges in a number sections sufficient for the development of overall structural instability and of α_1 , which is the multiplier of the horizontal seismic design action at first attainment of member flexural resistance anywhere in the structure. The ratio α_u/α_1 taken into account structural behavior at first yielding and plastic mechanism is equal to the ratio between the values of the base force at plastic mechanism and of the base force at first yielding.

All of these values will be displayed as following tables:

Table 2.30: Over-strength Factor

| Frame | | Moda | I Load Patter | 'n | | Uniform Load Pattern | | | | | |
|-------|----------------|-----------|---------------------------|---------|-----------------------|----------------------|-----------|---------------------------|-----------------------|---------------------|--|
| | Base | Displace. | Base | Displac | α_u / α_1 | Base | Displace. | Base | Displac at | α_u/α_1 | |
| | Force at | at first | Force at | at | | Force at | at first | Force at | plastic | | |
| | first | yielding | plastic | plastic | | first | yielding | plastic | mecha. d _y | | |
| | yielding | dy | mecha. | mecha. | | yielding | dy | mecha. | _ | | |
| | $\alpha_1 V_b$ | | $\alpha_{\rm u}V_{\rm b}$ | dy | | $\alpha_1 V_b$ | | $\alpha_{\rm u}V_{\rm b}$ | | | |
| Ϋ́Z | 370.1KN | 0.032m | 539.5KN | 0.32m | 1.46 | 399.4 | 0.028m | 620.3KN | 0.244m | 1.55 | |
| XZ | 346.8 | 0.0264m | 553.1KN | 0.32m | 1.6 | 386.1 | 0.025m | 636.9KN | 0.239m | 1.65 | |

• According to 3.2.2.5 - EC8 [3], the behaviour factor q is an approximation of the ratio of the seismic forces that the structure would experience if its response was completely elastic with 5% viscous damping, to the seismic forces that may be used in the design, with a conventional elastic analysis model, still ensuring a satisfactory response of the structure. The q – factor will be determined as following table:

| Table 2.31 | Behaviour | factors |
|-------------|-----------|-----------|
| 1 4010 2101 | Donation | Inclusion |

| Frame | | Moda | l Load Pattern | | Uniform Load Pattern | | | | | |
|-------|--|--|--|-----|--|--|--|-----|--|--|
| | Base Force at yielding (equi. | Maximum Displac . (equi. SDOF d _y *) | Displace. at first yielding d _y (SDOF) | q | Base Force at yielding (equi. | Maximum Displac . (equi. SDOF d _y *) | Displace. at first yielding d _y (SDOF) | q | | |
| | SDOF) | | | | SDOF) | | | | | |
| YZ | 419.7KN | 0.25m | 0.057m | 4.4 | 620.3 | 0.24 | 0.072 | 3.3 | | |
| XZ | 433.9 | 0.25 | 0.057 | 4.4 | 636.9 | 0.24 | 0.072 | 3.3 | | |

VII Check the performance of the structure

The performance of the structure under given earthquake excitation will be obtained by comparing capacity of the structure (capacity curve) and demand of the earthquake excitation. (the target displacements). The state of the structure at target displacement under a given earthquake represented by elastic response acceleration will be summarized as follows:

Table 2.32: Plastic Hinge Distributions under different earthquake excitations – Modal Pattern

| Frame | a _{Rg} – | dt (m) | Step | Modal Load Pattern (Number of plastic hinges) | | | | | | | |
|-------|-------------------|--------|------|---|-------|-------|------|-----|--|--|--|
| | Soil C | | | B-IO | IO-LS | LS-CP | CP-C | C-D | | | |
| | 0.15g | 0.08 | 1080 | 34 | 0 | 0 | 0 | 0 | | | |
| YZ | 0.3g | 0.19 | 2567 | 23 | 19 | 0 | 0 | 0 | | | |
| | 0.5g | 0.32 | 4308 | 18 | 5 | 20 | 0 | 1 | | | |
| | 0.15g | 0.078 | 1053 | 41 | 0 | 0 | 0 | 0 | | | |
| XZ | 0.3g | 0.17 | 2296 | 26 | 21 | 0 | 0 | 0 | | | |
| | 0.5g | 0.32 | 4309 | 16 | 16 | 20 | 0 | 1 | | | |

Table: Plastic Hinge Distributions under different earthquake excitations – Uniform Pattern

| Frame | a _{Rg} – | dt (m) | Step | Uniform Load Pattern (Number of plastic hinges) | | | | | | | |
|-------|-------------------|--------|------|---|-------|-------|------|-----|--|--|--|
| | Soil C | | | B-IO | IO-LS | LS-CP | CP-C | C-D | | | |
| | 0.15g | 0.07 | 945 | 24 | 0 | 0 | 0 | 0 | | | |
| YZ | 0.3g | 0.15 | 2026 | 27 | 10 | 0 | 0 | 0 | | | |
| | 0.5g | 0.24 | 3301 | 15 | 10 | 15 | 0 | 1 | | | |
| | 0.15g | 0.07 | 945 | 33 | 0 | 0 | 0 | 0 | | | |
| XZ | 0.3g | 0.16 | 2161 | 20 | 21 | 0 | 0 | 0 | | | |
| | 0.5g | 0.24 | 4309 | 19 | 16 | 12 | 0 | 1 | | | |

The behaviors of the structure under PGA 0.15g excitation which are observed at target displacements in two planar frames are similar. There is no soft-story mechanism happening to the structure. The states of all plasticized hinges are in the range of yielding and immediate occupancy (B-IO) that means all of these hinges just begin to yield. The performances of two frames under PGA 0.3g excitation in two load patterns are also similar. Under the PGA 0.5g excitation, the plastic mechanisms are observed in two frames. The desired plastic mechanism in

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which the plastic hinges are concentrated at the end of all beams and at the base of column is only attained in Modal Load Pattern for both frames. The collapse of the frames happens when the rotation of plastic hinge at the column's base section exceeds limit value.

VIII <u>Conclusion</u>

- The reinforced concrete frames in a given seismic region which are correspondingly designed to EC8 [3] are checked by Nonlinear Static Analysis (Pushover). For the acceleration a_{gR} =0,15g equal to the designed acceleration, the behavior of the frames is quite good (the structure can reach to the target displacement with some plastic hinges). There is no soft-story mechanism observed.
- Under greater earthquakes (for $a_{gR}=0.2g$; $a_{gR}=0.3g$), the structure still reach to target displacements with more plastic hinges. There is no soft-story mechanism observed with these accelerations.
- Under the earthquake with $a_{gR}=0.5g$, the structure can not reach to target displacement with because of some local plastic hinge collapses.

The symbols which are used in the design example are:

 $A_{\rm Ed}$: design value of seismic action (= $\gamma_{\rm I}.A_{\rm Ek}$)

 A_{Ek} : characteristic value of the seismic action for the reference return period

*E*d: design value of action effects

Q: variable action

 $S_{e}(T)$: elastic horizontal ground acceleration response spectrum also called "elastic response spectrum". At T=0, the spectral acceleration given by this spectrum equals the design ground acceleration on type A ground multiplied by the soil factor *S*.

 $S_{ve}(T)$: elastic vertical ground acceleration response spectrum

 $S_{De}(T)$: elastic displacement response spectrum

 $S_d(T)$: design spectrum (for elastic analysis). At T=0, the spectral acceleration given by this spectrum equals the design ground acceleration on type A ground multiplied by the soil factor S soil factor

T: vibration period of a linear single degree of freedom system

*T*s: duration of the stationary part of the seismic motion

 a_{sR} : reference peak ground acceleration on type A ground

 a_{s} : design ground acceleration on type A ground

 $d_{\rm g}$: design ground displacement

g : acceleration of gravity

q: behaviour factor

 γ_{I} : importance factor

 η damping correction factor

 ξ viscous damping ratio (in percent)

 $\phi_{\text{ 2,i}}$: combination coefficient for the quasi-permanent value of a variable action i

 $\phi_{\text{E}i}$: combination coefficient for a variable action *i*, to be used when determining the effects of the design seismic action

 E_{Edx} , E_{Edy} : design values of the action effects due to the horizontal components (x and y) of the seismic action

 $E_{\rm Edz}$: design value of the action effects due to the vertical component of the seismic action

 F_i : horizontal seismic force at storey i

*F*b: base shear force

H: building height from the foundation or from the top of a rigid basement

 L_{max} , L_{min} : larger and smaller in plan dimension of the building measured in orthogonal directions

R^d : design value of resistance

Sa: seismic coefficient for non-structural elements

 T_1 : fundamental period of vibration of a building

d : displacement

 d_r : design interstorey drift

e^a: accidental eccentricity of the mass of one storey from its nominal location

h: interstorey height

 m_i : mass of storey i

n: number of storeys above the foundation or the top of a rigid basement

qd: displacement behaviour factor

 s_i : displacement of mass m_i in the fundamental mode shape of a building

 z_i : height of mass m_i above the level of application of the seismic action

 $\alpha\;$:ratio of the design ground acceleration to the acceleration of gravity

 θ : interstorey drift sensitivity coefficient

Ac: Area of section of concrete member

Ash: total area of horizontal hoops in a beam-column joint

 A_{si} : total area of steel bars in each diagonal direction of a coupling beam

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Ast: area of one leg of the transverse reinforcement

 A_{sv} : total area of the vertical reinforcement in the web of the wall

Asv,i: total area of column vertical bars between corner bars in one direction through a joint

 ΣM_{Rb} : sum of design values of moments of resistance of the beams framing into a joint in the direction of interest

 ΣM_{Rc} : sum of design values of the moments of resistance of the columns framing into a joint in the direction of interest

 D_0 : diameter of confined core in a circular column

 $M_{i,d}$: end moment of a beam or column for the calculation of its capacity design shear

 $M_{\text{Rb,i}}$: design value of beam moment of resistance at end i

 $M_{\text{Rc,i}}$: design value of column moment of resistance at end *i*

 $N_{\rm Ed}$: axial force from the analysis for the seismic design situation

 T_1 : fundamental period of the building in the horizontal direction of interest

 $T_{\rm C}$: corner period at the upper limit of the constant acceleration region of the elastic spectrum

 $V_{\text{Ed,max}}$: maximum acting shear force at end section of a beam from capacity design calculation

*V*_{Ed,min}: minimum acting shear force at end section of a beam from capacity design calculation

 $V_{Rd,c}$: design value of shear resistance for members without shear reinforcement in accordance with EN1992-1-1:2004

*V*_{Rd,S} : design value of shear resistance against sliding

b : width of bottom flange of beam

 $b_{\rm c}$: cross-sectional dimension of column

 b_{eff} : effective flange width of beam in tension at the face of a supporting column

 b_i : distance between consecutive bars engaged by a corner of a tie or by a cross-tie in a column

 b_0 : width of confined core in a column or in the boundary element of a wall (to centreline of hoops)

 $b_{\rm W}$: thickness of confined parts of a wall section, or width of the web of a beam

d : effective depth of section

 $d_{\rm bL}$: longitudinal bar diameter

 d_{bw} : diameter of hoop

*f*_{cd} : design value of concrete compressive strength

 $f_{\rm ctm}$: mean value of tensile strength of concrete

 f_{yd} : design value of yield strength of steel

 $f_{yd, h}$: design value of yield strength of the horizontal web reinforcement

 $f_{yd, v}$: design value of yield strength of the vertical web reinforcement

fyld: design value of yield strength of the longitudinal reinforcement

 f_{ywd} : design value of yield strength of transverse reinforcement

h: cross-sectional depth

 h_c : cross-sectional depth of column in the direction of interest

 $h_{\rm f}$: flange depth

h_{jc}: distance between extreme layers of column reinforcement in a beam-column joint

*h*_{jw}: distance between beam top and bottom reinforcement

 h_0 : depth of confined core in a column (to centreline of hoops)

*h*s: clear storey height

 h_w : height of wall or cross-sectional depth of beam

 k_D : factor reflecting the ductility class in the calculation of the required column depth for anchorage of beam bars in a joint, equal to 1 for DCH and to 2/3 for DCM

 $k_{\rm w}$: factor reflecting the prevailing failure mode in structural systems with walls

 l_{cl} :clear length of a beam or a column

 $l_{\rm cr}$: length of critical region

n: total number of longitudinal bars laterally engaged by hoops or cross ties on perimeter of column section

 q_0 : basic value of the behaviour factor

s: spacing of transverse reinforcement

 x_u : neutral axis depth

z: internal lever arm

 $\alpha \;$:confinement effectiveness factor, angle between diagonal bars and axis of a coupling beam

 α o: prevailing aspect ratio of walls of the structural system

 α $_{\rm l}$: multiplier of horizontal design seismic action at formation of first plastic hinge in the system

 α <code>u</code> : multiplier of horizontal seismic design action at formation of global plastic mechanism

 γ c: partial factor for concrete

 γ Rd model uncertainty factor on design value of resistances in the estimation of capacity design action effects, accounting for various sources of overstrength

 γ s: partial factor for steel

- ϵ cu2 : ultimate strain of unconfined concrete
- ϵ cu2,c: ultimate strain of confined concrete
- ϵ su,k : characteristic value of ultimate elongation of reinforcing steel

 ϵ sy,d: design value of steel strain at yield

 η : reduction factor on concrete compressive strength due to tensile strains in transverse direction

 ζ ratio, $V_{\text{Ed,min}}/V_{\text{Ed,max}}$, between the minimum and maximum acting shear forces at the end section of a beam

 $\mu \phi$: curvature ductility factor

- $\mu \delta$: displacement ductility factor
- v : axial force due in the seismic design situation, normalised to $A_{c}f_{cd}$
- ξ : normalised neutral axis depth
- ρ : tension reinforcement ratio
- ρ ': compression steel ratio in beams
- σ $_{\text{cm}}$: mean value of concrete normal stress

 $\rho_{\rm max}$: maximum allowed tension steel ratio in the critical region of primary seismic beams

 ρ w: shear reinforcement ratio

 ω_{ν} : mechanical ratio of vertical web reinforcement

 ω wd : mechanical volumetric ratio of confining reinforcement

 Γ : transform factor

m^{*}: the mass of the equivalent SDOF system

 F^* : The force F^* and displacement d^* of the equivalent SDOF system

d*: The displacement d* of the equivalent SDOF system

 d_y^* : the yield displacement of the idealised SDOF system

 E_m^* : the actual deformation energy up to the formation of the plastic mechanism.

 $d_{\rm m}^*$: the displacement of the idealised SDOF system at plastic mechanism of MDOF system.

 T^* : the idealized equivalent SDOF system

 F_{y}^{*} : the yield force of the idealised SDOF system

 d_{et}^* : The target displacement of the structure with period T* and unlimited elastic behaviour

 $S_{e}(T^{*})$: the elastic acceleration response spectrum at the period T^{*} .

 d_t^* : target displacement of the idealised SDOF system

 d_t : The target displacement of the MDOF system

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